

Towards Active Diagnosis of Hybrid Systems leveraging Multimodel Identification and a Markov Decision Process

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Towards Active Biagnosis of Hyprid Systems leveraging Multimodel Identification and a Markov Decision Process Elorian de Mortain^{1,24}. Audine Subias^{1,2}

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Abstract: Active diagnosis is defined as the association of fault detection and isolation algorithms with the second one of the systems of the proposes of a second transformation. This player addresses active diagnosistic hybrid transformations the proposes of a second transformation. This player addresses active diagnosistic hybrid transformations the proposes of a second transformation and transformation diagnosistic hybrid transformation of the proposes of a second transformation and transformation diagnosistic hybrid transformation of the proposes of a second transformation and the second transformation distances and a difference of the proposes of a second transformation of the second transformation and the diagnosistic hybrid transformation algorithm identifies the most probable of autitors and the second transformation of the second transformation of the second determined (ADDP) of the multimodel diagnosis algorithm identifies the most probable of autitors and the second determined (ADDP) of the multimodel diagnosis algorithm identifies the most probable of autitors and the second determined of the transformation of the second determined as the most probable of autitors are all determined and the second determined at the second determined as the diagnosis results depending and the applied operation sequence of the bank of the diagnosis results depending and the applied operation sequence of the bank of the diagnosis results depending and the applied operation and the optimal conditional planning is formulated as the MDP, which is the diagnosis accuracy and the cost of actions and the optimal conditional planning is formulated as the diagnosis the the diagnosis accuracy and the cost of actions and the optimal conditional plan is characterized thanks in the diagnosis accuracy and the cost of actions and the optimal conditional plan is characterized thanks in the diagnosis accuracy and the cost of actions and the optimal conditional plan is characterized thanks in the diagnosis accuracy and the cost of acti

1: INTROBUCTION

1. INTRODUCTION Ear diagnosis is challenged by the unceasing evolution of car technologies: Technicians diagnosing can find the important workshops are neighbor in their task by decision support foors matched to be continuously channed: One opport foors matched them is on complete channed: One opport foors introved them is one continuously channed: One opport foors introved them is one continuously channed: One opport foors introved them is one continuously channed: One opport foors introved them is one continuously channed: One opport foors introved them is one continuously channed: One opport foors (EDI) value of the continuously channed: One opport foors (EDI) value of the continuously channed of the system benavior, with the application of relevant control naws; incent an opposing and research operformance: Such a waik of control and chagnosis is known as active diagnosis. The first opiective of our work is to set up an active

The first objective of our work is to set up an active diagnosis is known as active diagnosis. The first objective of our work is to set up an active diagnosis after the first a work had to meet the an office diagnosis after the first of our work had to meet the an office diagnosis after the first of our work had to meet the an office diagnosis after the first of our work had to meet the and office of the first of our work had been designed with the and of observations. The first of has been designed with the and of observations of the first of our work of the first of the and office of the first of the first of the first of the office of the observations of the first of the first of the first of the office of other the first of the first of the first of the office of the office of the first of the first of the first of the office of the office of the first office of the first of the first of the office of the office of the first office of the first of the first of the office of the office of the office of the first of the office of the first of the first of the office of the office office office of the first office of the first of the office of the office of the office of the first office of the first of the office of the office of the office of the first office of the first of the office of the office office office office office office of the first of the office of the office office office office office office of the first office of the office of

The literature of active diagnosis of ES is firstly composed of methods based on weithinger incomplete the statistic of the one hand; diagnosis is the multimodel deermining from a second models; each corresponding to a deermining of the statistical models; each corresponding to a deermining of the statistical models; each corresponding to a deermining of the statistical models; that best first the system behavior. On the other hand, the one that best first the system behavior. On the other hand, planning for diagnosis is achieved, e.g. in (Blackmore & planning for diagnosis is achieved, e.g. in (Blackmore & winnuns 'ogoog, no though chigagach

this analysis out: In the literature oriented towards DES. (Bayoudh et al. 2009) presents a method of active diagnosis of hyprid systems cast in carpes manew of active diagnosis of hyprid systems cast in carpes manew of active diagnoser that integrates stems cast hyprid automaton, is transponder that integrates stems day hyprid automaton, is transponder that integrates stems day with a provide the integrates stems of a provide the systems of a provide the systems of a provide the systems of a hyprid automaton and then integrates stems to the events optimized from cestual optimists while references of hyprid automaton and the matter a provide the stems of a provide the events optimized from cestual optimists while references of hyprid automaton and the matter and a provide the stems of hyprid automaton and the matter and a provide the stems of hyprid automaton and the matter and a provide the stems of hyprid automaton and the matter and a provide the events optimized from the stematic the stems of the provide the stems of the stematon of the stems of the provide the stems of the stematon of the stematon of the stems of the stems of the provide the stems of the stems of the stematon of the stematon of the stems of the stematon o in (Chanthery et al. 2010) an application of active diagnosis of DES is developed based on an AO* heuristic search in a AND/OR graph derived from a diagnoser automaton. Besides, in (Pattipati & Alexandridis 1990) the authors formulate and solve a test sequencing problem based on a Markov Decision Process.

The method developed in this paper is, first of all, based on a simplifying hypothesis. The considered hybrid system Σ is considered to be remaining into a limited operation range called mode q, where discrete events do not occur and its behavior consists only of continuous dynamics. That is why the approach exploits a nonlinear model, typically used to represent continuous systems.

The first part of the method presents a diagnosis process based on multimodel identification, also called here multimodel diagnosis. The method explains how to generate residuals with multiple models and how to find the most probable fault by comparing the system residuals with the fault models ones, by means of a distance measure. Furthermore a new criterion, called the Correct Diagnosis Rate (CDR), is presented. Its function is to rate the confidence of a diagnosis depending on the uncertainty level and on the past sequence of actions. The multimodel diagnosis process is presented in section 2. The second part of the method outlines a framework for conditional planning for active diagnosis formulated as a Markov Decision Process (MDP). A new reward function based on the CDR and the cost of actions is proposed. Section 3 is dedicated to this MDP formulation. Finally, section 4 deals with the application of the method on an industrial model of a diesel engine airpath system. It illustrates its complexity and shows how to generate residuals, how to compute the CDR and finally how to solve a simple conditional planning scenario. Conclusions and perspectives are given in section 5.

2. MULTIMODEL DIAGNOSIS PROCESS

The first stage of the approach is dedicated to the design of a diagnosis algorithm along with a way to rate the relevance of its results. The process of multimodel diagnosis involves three steps which are the building of multiple fault models, the generation of residual sequences for the system and each fault model and finally the selection of the fault model whose residuals best match the system ones. Furthermore, a quantitative criterion called the Correct Diagnosis Rate (CDR) is introduced. Its role is to help guiding the process of active diagnosis by indicating how much confidence can be assigned to a diagnosis depending on the past sequence of actions.

2.1 System, control framework and multiple fault models

The system to diagnose is a hybrid system Σ , constrained into a limited operation mode q, where its dynamics are purely continuous. Its model is given, for each time $t_n \ \epsilon \ T =$ $\{t_0, t_1, \dots, t_{N_T}\}$, by the following discrete-time stochastic state space representation:

$$\boldsymbol{x}_{n+1} = \boldsymbol{g}_n(\boldsymbol{x}_n, \boldsymbol{u}_n, \boldsymbol{f}, \boldsymbol{w}_n)$$
(1)

$$\boldsymbol{y}_n = \boldsymbol{h}_n(\boldsymbol{x}_n, \boldsymbol{u}_n, \boldsymbol{f}, \boldsymbol{v}_n)$$
(2)

where g_n and h_n are nonlinear vector functions. $x_n \in \mathbb{R}^{Nx}$ is the continuous state of the system, $u_n \in \mathbb{R}^{Nu}$ is the input, $y_n \in \mathbb{R}^{Ny}$ is the output and $f \in \mathbb{R}^{Nf}$ is the fault parameter. $w_n \in \mathbb{R}^{Nw}$ and $v_n \in \mathbb{R}^{Nv}$ are respectively the process and measurement noise variables. They are modeled by zero mean Gaussian probability density vector functions $p(w_n)$ and $p(v_n)$.

The system Σ is integrated in a generic closed-loop control architecture, shown in figure (1), where it is connected with a controller Γ . Hence the system behavior is more robust to uncertainties and in the specific case of automotive control, it helps preventing the engine to stall or to be overspeeding. The controller Γ is fed in a discrete-time approach by control actions $a \in \Omega$, where Ω is the finite set of N_{Ω} control actions. A sequence of N_A consecutive actions a is denoted $A = \{a_0, ..., a_{N_e I}\} \in \Omega^{N_A}$, while its associated time sequence is T_A . x_0 is the initial state of the system.

The essence of multimodel diagnosis is to anticipate the system fault behaviors by means of fault-dedicated models. The process of building fault models starts by defining a list of fault parameters. They represent the faults cases which may occur and that have not yet been discarded by other diagnosis means. The finite set of $(N_{\rm F}+1)$ fault parameters $f_i \in \mathbb{R}^{N_{\rm f}}$ is denoted $F = \{f_0, ..., f_{N_F}\}$. f_0 accounts for the nominal case. The single fault hypothesis holds, hence only one element of a parameter vector $f_i \in F$ deviates from zero at a time. Moreover, various fault parameters can refer to the same fault, when different fault amplitudes are modeled. For example, biased measurement faults of 5% and 10% of a specific sensor can be modeled by two different fault parameters f_i and $f_i \in F$.

A set of fault-dedicated models is finally obtained by replacing the variable f in the equations (1) and (2) by a fault parameter $f_i \ \epsilon \ F$, resulting in stochastic models denoted s_{f_i} . This set of multiple fault-dedicated models is denoted in a synthesized way, $S_{DIAG} = \{s_{f_i}\}_{f_i \in F}$. The set S_{DIAG} thus represents Σ in a whole range of anticipated fault situations.

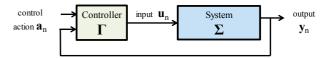


Fig. 1. The system Σ is associated to a generic controller Γ .

2.2 Residual generation

Now that each fault has its model, the motivation here is to generate the data on which to base the comparison between the system and the fault models. Most contributions in the active diagnosis literature do it by means of input-output data; see (Blackmore & Williams 2006) and (Šimandl & Punčochář 2009). However, a more generic alternative, widespread in the classical FDI literature, consists in using residuals instead. Residuals are signals resulting from a processing of the input-output behavior data of the system. Residuals are theoretically zero when there is no fault and deviate from zero at least during a transient, when at least one of the faults they are sensitive to, affects the system.

The general manner to generate residuals is to identify in the system model, a set of equations and known variables that reconstructs a given variable in two different ways. The known variables are the input u_n , output y_n and control actions a_n , as shown in fig. 2.

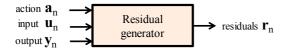


Fig. 2. Generic residual generation scheme.

In the application part (cf. section 4.2), two residual generation techniques are specified, which are estimation error residuals and simulation error residuals. The following developments are independent of the residual generation technique.

In the active diagnosis case, a sequence of residuals is evaluated online by driving the system Σ with the action sequence **A**. The sequence is denoted $\mathbf{R}_A^{\Sigma} = \{\mathbf{r}_n^{\Sigma}\}_{0 \le n \le N_A}$. Besides, it is also sought to generate residuals specific to each fault. Therefore, in an offline process, each faultdedicated model s_{f_i} of the set S_{DIAG} is used to generate residual sequences by reproducing in simulation the conditions applied to Σ . The sequence is denoted $\mathbf{R}_A^{f_i} = \{\mathbf{r}_n^{f_i}\}_{0 \le n \le N_A}$ for each $f_i \in F$. The process of residuals generation in a multimodel scheme thus results in sequences of residuals for the system Σ and for each fault model $s_{f_i} \in S_{\text{DIAG}}$. This paves the way for electing the most probable fault with the diagnosis test.

2.3 Diagnosis test

The role of the diagnosis test is to identify the fault parameter $f_i \in F$ that best explains the system behavior. It relies on a distance measure that compares residuals from the system and the fault models with each other. These residuals are then seen as data points in a multidimensional algebraic space. Moreover, as it is thoroughly explained in (Eriksson et al. 2013), model uncertainties are key to interpret residuals values. In order to simplify the uncertainty definition, the following approximation is made. The noise on the residual value resulting from the process noise and measurement noise is considered to be a white Gaussian noise of variance matrix I_{σ} . Even if this hypothesis is not strictly true for nonlinear systems, it is reasonable in the context of our study. The variance matrix I_{σ} is designed based on the analysis of the gap between experimental behavior data of the system and its modeled behavior. Let us now define a distance measure δ that evaluates the dissimilarity between the residuals sequences of the system Σ and a fault model $s_{f_i} \in S_{DIAG}$:

$$\delta(\boldsymbol{R}_{A}^{\Sigma},\boldsymbol{R}_{A}^{f_{i}}) = \sum_{\boldsymbol{t}_{n} \in \tau_{A}} \sqrt{(\boldsymbol{r}_{n}^{\Sigma} - \boldsymbol{r}_{n}^{f_{i}})^{t} \boldsymbol{I}_{\sigma}^{-1}(\boldsymbol{r}_{n}^{\Sigma} - \boldsymbol{r}_{n}^{f_{i}})} \quad (3)$$

Based on this distance measure, the next definition specifies how to determine the most probable fault, i.e. the diagnosis.

Definition 1 Given an action sequence A, the fault parameter $f_i \in F$ is the diagnosis if:

$$\boldsymbol{f}_{i} = \arg\min_{f_{j} \in F} \delta(\boldsymbol{R}_{A}^{\Sigma}, \boldsymbol{R}_{A}^{f_{j}})$$
(4)

This definition means that the diagnosis is considered to be the fault parameter whose residuals are the most similar, in terms of the distance measure δ , with the system ones.

2.4 Correct diagnosis rate

The diagnosis algorithm returns the most probable fault after a given action sequence A. But due to model uncertainties, the system residuals may be not closer to the theoretical residuals from the fault the system is affected by, and the distance measure diagnosis may be wrong. This is illustrated in figure 5 (mostly presented in part 4) where noisy fault residual vectors, which are spread in a large area, mingle with other residuals from other faults. Thus there is an ambiguity on the diagnosis result due to uncertainties.

This ambiguity also depends on the applied actions. For example, as illustrated in figure 4 (mostly presented in part 4 as well), the nominal residuals are similar to the intake leakage residuals after the control action a_1 , while they are dissimilar to both the intake leakage and the airflow sensor residuals after the control action a_3 . As a result, there is a greater ambiguity on a diagnosis concluding that the system is nominal (with no fault) after the action $\{a_1\}$ rather than after the action sequence $\{a_3\}$ or $\{a_1, a_3\}$, because there is less chance to confuse the nominal case with the leakage.

So as to quantify the concept of ambiguity of a diagnosis, and help in the selection of the best action sequences, a criterion called the Correct Diagnosis Rate (CDR) is defined. It relates to the ambiguity as the less the diagnosis is ambiguous, the greater the CDR. The criterion refers to both a diagnosis $f_i \in F$ and a past sequence of actions A. So as to pave the way for the definition of the MDP, a new concept of diagnosis state is as well defined so as to synthetize A and f_i in a single mathematical object.

Definition 2 The system Σ is in the diagnosis state $d_A^{f_i}$ if the last available diagnosis obtained by the application of the action sequence $A \in \Omega^{N_A}$, is the fault parameter $f_i \in F$.

The CDR is computed offline, based on a test sample of noisy fault models, denoted S_{TEST} . This test set is built by duplicating all models of the initial set S_{DIAG} , into a large number of clone models, and replacing the measurement and noise parameters, v_n and w_n , by randomly instantiated values according to their probabilistic models. All fault parameters $f_i \in F$ appear the same number of times in S_{TEST} . The CDR is defined by the following probabilistic expression:

$$\operatorname{CDR}\left(\boldsymbol{d}_{A}^{f_{i}}\right) = p_{S_{TEST}}\left(\boldsymbol{f}_{i} \middle| \boldsymbol{d}_{A}^{f_{i}}\right)$$
(5)

The CDR is a way to compute the probability of true positives in a multiple fault framework. This stage has thus specified a multimodel diagnosis algorithm. Also to prepare the design of the best action sequences, a criterion rating the ambiguity of a diagnosis has been set up.

3. OPTIMAL CONDITIONNAL PLANNING FORMULATED AS A MARKOV DECISION PROCESS

The second and last stage of the approach consists in formulating a problem of optimal conditional planning for active diagnosis. The objective here is to design an optimal policy of actions, i.e. to determine which is the best next action based on the past observations. After any sequence of actions, the resulting diagnosis always carries some ambiguity, because of model uncertainties. Therefore the optimal policy of actions should minimize this ambiguity by driving the system to the most informative operation points. Also, the diagnosis should stop when no significant reduction of the diagnosis ambiguity is expected to occur. In the approach, a MDP model is introduced so as to represent this problem and its optimal solution is characterized with the help of the Bellman equation.

3.1 Definition of the Markov Decision Process

Optimal conditional planning is modeled as a Markov Decision Process, illustrated in figure 6, that consists of the following elements:

- a set of states $d_{A}^{f_i}$,
- a set of actions $a \in \Omega$,
- a transition function $T(\boldsymbol{d}_{A}^{f_{j}}, \boldsymbol{a}, \boldsymbol{d}_{A \cup a}^{f_{i}}),$
- a reward function $R(\boldsymbol{d}_{A}^{f_{j}}, \boldsymbol{a}, \boldsymbol{d}_{A\cup a}^{f_{i}})$.

The states $d_A^{f_i}$, defined in definition 2, are associated to both a diagnosis $f_i \in F$ and a past sequence of actions A. They also include an initial state d_{Start} that precedes the start of the active diagnosis session. The number of states N_D equals the number of combinations of (f_i, A) , i.e. $N_D = 1 + N_F \sum_{t_i \in T} (N_\Omega)^n$.

The transition function $T(d_A^{f_j}, a, d_{A \cup a}^{f_i})$ gives the transition probabilities from any state $d_A^{f_j}$ to any next state $d_{A \cup a}^{f_i}$ given a control action a. In practice, these transition probabilities are computed offline, based on the test set S_{TEST} , according to the definition below.

$$T\left(\boldsymbol{d}_{A}^{f_{j}},\boldsymbol{a},\boldsymbol{d}_{A\cup a}^{f_{i}}\right) = p_{S_{TEST}}\left(\boldsymbol{d}_{A\cup a}^{f_{i}} \middle| \boldsymbol{a},\boldsymbol{d}_{A}^{f_{j}}\right)$$
(6)

In other words, evaluating transition probabilities consists in counting the proportion of models $s_{f_k} \in S_{\text{TEST}}$ that are in the state $d_A^{f_j}$ after the control sequence A, and reach the state $d_{A \cup a}^{f_i}$ when the additional action a is applied. Moreover, the transition function satisfies $\sum_{f_i \in F} T(d_A^{f_j}, a, d_{A \cup a}^{f_i}) = 1$.

The role of the reward function is to orient the choice of action by associating a reward value to each state transition. In the approach it is based on the correct diagnosis rate CDR and a cost of action C, which is constant and independent of the action $a \in \Omega$. The reward function is defined as follows:

$$\mathbf{R}\left(\boldsymbol{d}_{A}^{f_{j}},\boldsymbol{a},\boldsymbol{d}_{A\cup a}^{f_{i}}\right) = \mathbf{CDR}\left(\boldsymbol{d}_{A\cup a}^{f_{i}}\right) - \mathbf{CDR}\left(\boldsymbol{d}_{A}^{f_{j}}\right) - C \qquad(7)$$

The first two terms of the function consist of the improvement of the diagnosis accuracy. The actions that better the confidence of a diagnosis are then favored compared to other. The third and last term is the cost of action. Its role is to disadvantage the application of new actions compared to stopping the diagnosis, in the case they do not significantly improve the CDR.

Optimal conditional planning is a decision process in the sense that next actions are decided based on the past observations. Furthermore, this is a Markovian decision process provided it respects the property of process without memory. This property says that based upon the present state, the future and the past are independent. In a mathematical form, it is summed up as:

$$P\left(d_{A_{i_{n+l}}}^{f_{i_{n+l}}} \mid d_{A_{i_{n}}}^{f_{i_{n}}}, a_{i_{n}}, d_{A_{i_{n-l}}}^{f_{i_{n-l}}}, a_{i_{n-l}}, \dots, d_{Start}\right) = P\left(d_{A_{i_{n+l}}}^{f_{i_{n+l}}} \mid d_{A_{i_{n}}}^{f_{i_{n}}}, a_{i_{n}}\right)$$
(8)

The hypothesis is made here that the decision process respects this property. In the context of active diagnosis, the present diagnosis, realized based on all available residuals (from time t_1 to current time t_n) is the only relevant one, and all past diagnosis are obsolete. Therefore the property of process without memory is consistent with the problem. As a result, the formalism of the MDP is now fully set up and next step presents its optimal solution.

3.2 Optimal solution

The objective here is to characterize the optimal policy π^* of the MDP. The concept of utility function is firstly introduced.

Definition 3 Given a policy π , the utility function $V^{\pi}(d_A^f)$ is the expected sum of future rewards starting in state d_A^f and then acting according to the policy π until reaching a final state.

The optimal policy, denoted π^* , is the one that maximizes the utility of the initial state. According to the Bellman principle, π^* also maximizes the utility starting from any state of the MDP. The Bellman equation translates this principle in a mathematical form. It characterizes the optimal utility $V^*(d_A^{f_i})$ starting from any state $d_A^{f_i}$, in a backward recursive way, as follows:

$$V^*(\boldsymbol{d}_A^{f_j}) = \max_{\boldsymbol{a}\in\Omega} \sum_{f_i\in F} T\left(\boldsymbol{d}_A^{f_j}, \boldsymbol{a}, \boldsymbol{d}_{A\cup a}^{f_i}\right) \left[R(\boldsymbol{d}_A^{f_j}, \boldsymbol{a}, \boldsymbol{d}_{A\cup a}^{f_i}) + V^*(\boldsymbol{d}_{A\cup a}^{f_i}) \right]$$
(9)

The computation of the optimal policy based on the Bellman equation requires enumerating all the states and computing the rewards and transition probabilities for all cases. Due to the process size, which consists of N_D states, this solution is intractable in the general case. Heuristic techniques, such as the AO* algorithm, may however address this issue by quickly identifying suboptimal policies.

4. APPLICATION TO A DIESEL ENGINE AIRPATH MODEL

This last part exemplifies the multimodel diagnosis and conditional planning methods on an industrial model of a Diesel engine airpath. It is a dynamic, nonlinear and greybox model made of both physical equations and data-based maps. The design of optimal control actions for diagnosis is simplified by taking account only static operation points. It fits with the framework developed in part 2 and 3 with the condition that time steps are taken very large compared to the system dynamics. The key ideas of this part are to show how the diagnosis method is setup in practice, how it takes into account model uncertainties with the CDR and finally how to select the best next actions based on the MDP.

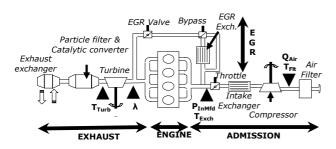


Fig. 3.Illustration of the diesel engine airpath system

4.1 System description, fault modeling and residual design

The studied airpath system is illustrated in fig. 3. It is composed of 11 sensors, e.g. pressure and temperature variables, and 4 actuators: the fuel injection u_{Inj}, turbocharger valves position u_{Turb}, EGR valve position u_{Egr} and throttle u_{Thrt}. Moreover a PI controller is used to control u_{Ini} according to a reference for the engine speed N_{Eng}. Many faults can affect the system such as clogging, leakage, sensor and actuator faults. In the case study, yet 3 fault models are considered: the nominal case, a leakage in the intake manifold and a positive bias of the airflow sensor, respectively denoted $f_{Nom},\ f_{LkInMfd}$ and $f_{SnsQair+}.$ They are modeled according to the equations in (Eriksson et al. 2013). The section of the leakage is set at 2% of a standard engine pipe section and the level of the sensor bias is 5% of the real value of the measured variable. Moreover, the standard deviation of the model uncertainties encompassing process and sensor noise is set at 5% on the output variables.

Then a bank of 2 residuals is designed. They are the intake manifold pressure simulation error r_P and the airflow estimation error r_Q . The estimation of the airflow is reconstructed thanks to other measured variables.

$$r_{p} = \left(P_{lnMfd}^{meas} - P_{lnMfd}^{nom} \right) / P_{lnMfd}^{nom}$$
(10)

$$r_{\varrho} = \left(\underline{Q}_{Air}^{meas} - \underline{Q}_{Air}^{est} \right) / \underline{Q}_{Air}^{nom} \tag{11}$$

$$Q_{Air}^{est} = \left(N_{Eng}^{meas} V_{Cyl} \eta_{Vol} P_{lnMfd}^{meas} \right) / \left(I20 r_{lnMfd} T_{Exch}^{meas} \right)$$
(12)

where P_{InMfd} is the intake manifold pressure, Q_{Air} is the airflow, V_{Cyl} is the cylinders volume, η_{Vol} is the volumetric efficiency, r_{InMfd} is the gas constant in the intake manifold and T_{Exch} is the temperature after the exchanger. The exponents meas and est respectively refer to measured and estimated variables.

4.2 Distance measure diagnosis & CDR

The operation points of the case study are the following ones: $a_1 = \{N_{Eng} = 3000 \text{rpm}, u_{turb} = 0\%\}, a_2 = \{N_{Eng} = 0\%\}$ 3000rpm, $u_{turb} = 100\%$ } and $a_3 = \{N_{Eng} = 2000rpm, u_{turb} =$ 100%}. The inputs u_{egr} and u_{thrt} are set to fixed values. The residuals generated by simulation for the three fault models associated to $f_{Nom}\,,\,f_{LkInMfd}$ and $f_{SnsQair^+}$ on the 3 operation points are illustrated on figure 4. The x-axis refers to the residuals r_P and r_Q while the y-axis refers to their value. This graph illustrates how residuals vary depending on the fault and the operation point. Let us zoom now on the first operation point a₁. Figure 5 represents the 2 residuals on a 2D view. The large crosses are the responses of the fault models without noise. The disks represent the standard deviation of the process and measurement noise (5% on all residuals). A real system would generate residuals represented by a data point on this graph. The diagnosis by distance measure δ is equivalent to finding the fault model whose response is the closest in this graph to the real system data point. S_{TEST} is composed in this case study of 3000 noisy fault models and is not fully represented on the graph for sake of simplicity. The CDR is also computed for each fault and each action sequence. On the operation point a_1 , the CDRs for f_{Nom} and $f_{SnsQair+}$ are $CDR(\boldsymbol{d}_{a1}^{Nom}) = 0.39$ and $CDR(\boldsymbol{d}_{a1}^{SnsQair+}) = 0.60$. Indeed, as shown in figure 5, the nominal residuals are close to the intake leakage residuals on a₁, rather than the airflow sensor bias distant from those two first fault responses. Therefore there is more ambiguity (lower CDR) on a diagnosis giving f_{Nom}, as there is a higher risk of mixing with f_{LkInMfd}, and less ambiguity (higher CDR) on a diagnosis giving f_{SnsQair+}.

4.3 MDP based conditional planning

Let's now illustrate the conditional planning mechanism by considering a situation where the system has already been driven on the operation point a_1 and the diagnosis process has identified the nominal case f_{Nom} as the most probable fault. Figure 6 shows the MDP and the considered subpart (in bold) starts from state d_{a1}^{Nom} . There are 3 next possible decisions: applying the control action a_2 , applying a_3 or no applying any additional action. The utility function is computed for the 3 cases, by choosing a cost of action C = 0.05. This computation uses the values of the transition probabilities and the CDRs, stored in table 1, themselves evaluated thanks to S_{TEST} . The resulting utility values are given in table 2. They show that, with respect to the chosen reward function, applying action a_2 is the best decision compared to applying a_3 or stopping the diagnosis. This is consistent with figure 4 as on the operation point a_2 all the 3 fault signatures are rather dissimilar with each other rather than on a_3 , the residuals for $f_{LklnMfd}$ and $f_{SnsQair+}$ are rather similar. Hence a_2 should be preferred to a_3 . In the same analysis between a_2 and a_1 , one can conclude that after having applied a_1 and reaching the state d_{a1}^{Nom} , applying a_2 is a better option than stopping the diagnosis there. This shows how to compute utility values for a one-step horizon. A perspective for this approach is to use a heuristic technique so as to make the computation of the utility fast, as for a longer horizon the number of states to explore grows exponentially and the problem becomes intractable.

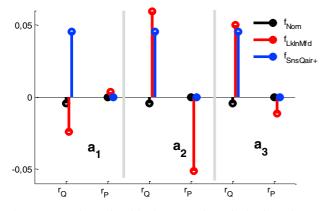


Fig. 4. Stem view of residual vectors for 3 faults f_{Nom} , $f_{LklnMfd}$ and $f_{SnsQair+}$ and 3 static control actions $a_{1,} a_{2}$ and a_{3} . The y axis has no unit because residuals values are relative.

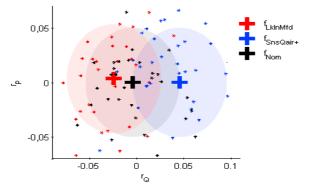


Fig. 5. 2D view of residual vectors without noise (+) and with noise (*), for the 3 faults and the static control action a_1 .

5. CONCLUSIONS

This paper addressed the design of an active diagnosis solution. The scope includes hybrid systems whose operation is constrained into a mode and an industrial application that is a Diesel engine airpath system. The originality of the research approach lies in the mix of techniques dedicated to CS and DES. A multimodel diagnosis process is set up and introduces a specific distance measure and a criterion called the CDR. The CDR helps rating the confidence assigned to a diagnosis depending on the uncertainties level and on the past sequence of actions and consists of a first contribution. Then conditional planning for active diagnosis is formulated as a MDP with a reward function weighing the diagnosis accuracy (CDR) and the cost of additional actions. This framework consists of a second contribution. At last, an application to an industrial model of a diesel engine airpath illustrates the feasibility of the approach.

The main perspective of this work is to apply heuristic techniques, such as the AO* algorithm, to address the complexity issue of the MDP and to quickly build suboptimal conditional plans.

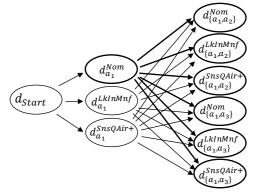


Fig. 6. Partial Markov Decision Process for the 3 faults and the final operation sequences $\{a_1,a_2\}$ and $\{a_1,a_3\}$, with a highlight on the subpart starting from state d_{al}^{Nom} .

d_A^f	d_{a1}^{Nom}	$d^{Nom}_{\{a_1,a_2\}}$	$d^{LkInMfd}_{\{a_1,a_2\}}$	$d^{SnsQair+}_{\{a_1,a_2\}}$	$d^{Nom}_{\{a_1,a_3\}}$	$d^{LkInMfd}_{\{a_1,a_3\}}$	$d^{SnsQair+}_{\{a_1,a_3\}}$
$CDR(d_A^f)$	0.39	0.65	0.70	0.67	0.61	0.61	0.65
$T(\rightarrow d_A^f)$	-	0.410	0.396	0.194	0.484	0.387	0.129

Table 1. Transitions probabilities and CDR for the subpart of the MDP starting from d_{al}^{Nom} .

$V^{a2}(d_{a1}^{Nom})$	$V^{a3}(d_{a1}^{Nom})$	$V^{stop}(d_{a1}^{Nom})$
0.23	0.17	0

Table 2. Utility values for actions a_2 , a_3 , and stop from d_{a1}^{Nom} .

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