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# SOFI: Finding point group symmetries in atomic clusters as finding the set of degenerate solutions in a shape-matching problem

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Point Group (PG) symmetries play a fundamental role in many aspects of theoretical chemistry and computational materials science. With the objective to automatize the search of PG symmetry operations of generic atomic clusters, we present a new algorithm called Symmetry Operation FInder (SOFI). SOFI addresses the problem of identifying PG symmetry by framing it as a degenerate shape-matching problem, where the multiple solutions correspond to distinct symmetry operations. The developed algorithm is compared against three other algorithms dedicated to PG identification, on a large set of atomic clusters. The results, along with some illustrative use cases, showcase the effectiveness of SOFI. The SOFI algorithm is released as part of the IRA library, accessible at <https://github.com/mammasmias/IterativeRotationsAssignments>.

## I. INTRODUCTION

In the rise of quantum-chemistry and first-principle methods, the identification of Point Group (PG) symmetry has been a necessary step to effectively downsize the numerical problem and reduce the cost of simulations. Besides the computational accelerations made possible by exploiting the symmetry, the presence and identification of a PG symmetry in a molecule, or rather a cluster, or a defect, can be used to address the fundamental properties of its electronic ground, and excited states<sup>1</sup>. Assigning symmetry label to each state (i.e. vibrational or electronic), is desirable to connect to group theory, which is the formal context where PG symmetries are described. If the symmetry is assigned to all relevant quantum (eigen)states, group theory can be applied to specific quantum-mechanical operators to understand which matrix elements are expected to vanish based on symmetry rules. This is extremely useful for example in molecular spectroscopy: depending on the operator governing the interaction term, the symmetry-based *selection rules* will provide information on which transitions will actually be forbidden<sup>2,3</sup>.

As the identification of PG symmetry is not a new problem, the computational community has made numerous attempts to automatize it. Typically, quantum chemistry software and some molecular builders/editors include capabilities related to the symmetries of the system (i.e. automatic identification, symmetrization of structure). The algorithmic approaches to identify the PG may vary based on how the atomic structures are handled, and the way symmetry elements are utilised/exploited within the software framework. Despite the fundamental nature of PG symmetries and the broad use of related algorithms, there seem to be relatively few standalone libraries devoted to their identifi-

cation. Moreover, it is often very difficult to trace which PG identification algorithm (and/or library) is integrated into the larger software environment, as the information is often poorly, or not at all documented. Many well-known quantum chemistry packages already date back to several years ago, when the modularity in programming was not necessarily a priority, so each developing group has created an "ad-hoc" method plugged into the code, often poorly updated through the years. For example by inspecting NWChem source code<sup>4</sup> one can find a collection of old Fortran routines apparently written in the 90s, used for identifying symmetries. Besides, proprietary codes do not necessarily share information about their algorithm choice, even if some initiatives are more transparent, for example the IQmol builder<sup>5</sup>, which uses, and references the SymMol<sup>6</sup> algorithm in its documentation.

In the subsequent paragraph we highlight a handful of approaches for the identification of PG symmetry, which have been devised as standalone algorithms/libraries, with some of them presently integrated into larger quantum chemistry codes, and/or computational "toolboxes".

The PG symmetry of a structure can be identified in several ways. A relatively common strategy, used in several available approaches, is to first find the principal axis of symmetry, and then test for possible operations along other axes in relation to the principal axis. The principal axes could be identified straight-forwardly by relying on the properties of the principal moments and axes of the inertia tensor, as done in SymMol<sup>6</sup>, and Symmetrizer<sup>7</sup> software. Relying on the inertia tensor can however be problematic, since its principal axes can be ambiguous in some specific cases (spheroidal shapes). Alternatively, certain properties of the atomic structure itself (atomic positions, midpoints between atoms, etc.) can be used to identify the axes of symmetry, such as employed in SYMMAPS<sup>8</sup>, and SYVA<sup>9</sup> software. Another idea is to partition the atomic structure into sets of symmetry-equivalent atoms, and search for symmetries within those

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sets. The partitioning can be done through the inspection of the distance matrix of the structure, such as in libmsym<sup>10</sup>, while the search for symmetries is conducted based on the properties of the inertia tensor of each equivalence set<sup>11</sup>, and the PG of the entire structure is the subset of the symmetry operations common to all partitions. Some approaches based on arguments from graph theory also exist<sup>12,13</sup>.

It is also common for PG-identification software to implement some other capabilities, such as precise symmetrization of structures<sup>7,9</sup>, or similar, which can be thought of as extensions to the fundamental task of identifying the PG symmetry elements of a structure.

In the interest of our discussion and the algorithm we propose, we now briefly recall some fundamental notions of PG symmetry. If  $\theta$  is a specific symmetry operation, which is an element of the PG of an atomic structure  $A$ , the equation:

$$A' \leftarrow \theta A, \quad (1)$$

represents the application of symmetry operation  $\theta$  on structure  $A$ , which results in a symmetry-transformed structure  $A'$ . By definition of symmetry operations,  $A$  and  $A'$  are equivalent up to a permutation of atomic indices  $P_A$ :

$$A' = P_A A, \quad (2)$$

where  $P_A$  is a permutation matrix, which is unique for a given operation  $\theta$ . Then, the relation:

$$P_A A = \theta A. \quad (3)$$

holds for any and every symmetry operation  $\theta$  of the structure  $A$ . Each element (symmetry operation) of the PG of structure  $A$  corresponds to a unique solution of Eq. (3), in the form of a pair  $\{\theta, P_A\}$ .

It can be observed that the Eq. (3) is equivalent to the shape matching problem of two exactly congruent (equivalent) structures  $A$  and  $B$ , as:

$$P_B B = \mathbf{R} A + \mathbf{t}, \quad (4)$$

where  $\mathbf{R}$  is an orthonormal transformation matrix, and  $\mathbf{t}$  is a translation vector. By comparing Eq. (3) to Eq. (4), we see that  $\mathbf{R}$  is replaced by a symmetry operation  $\theta$ , and the translation  $\mathbf{t}$  vanishes. When solving the general shape matching problem of Eq. (4), only one solution (the optimal one) is sought, whereas in the case of PG identification in Eq. (3), the set of all degenerate solutions represents the set of all possible symmetry operations of structure  $A$ . Finding the PG of a structure can therefore be addressed as a "degenerate" shape matching problem.

In practice, the "degeneracy" of these solutions is never exact, due to numerical limitations, or distortions in the atomic positions within the structure. An interpretation of "degeneracy" is thus needed, in terms of a threshold, such that all solutions within a given threshold are considered equivalent, degenerate. By the tuning of such

threshold, the notion of inexact symmetries can be covered.

In this work, we present the Symmetry Operation FInder (SOFI) algorithm, and its implementation as a standalone library, aimed at solving the general problem of PG symmetry identification, in a way that is independent of specific properties of the atomic structure. SOFI finds the PG symmetry operations in the form of  $3 \times 3$  matrices, and the corresponding permutations of atomic indices. The working principle of SOFI is fundamentally based on ideas and arguments of the shape-matching algorithm IRA<sup>14,15</sup>. In contrast to other algorithms from the literature mentioned earlier, SOFI does not attempt to identify any special axes of symmetry, but is instead focused directly on generating the possible symmetry operations along *any* axis. SOFI takes as input an atomic structure, and returns the list of symmetry operation matrices, written in the specific form of the original reference frame, in which the structure was input/written. As such, the matrices can directly be used without any post processing. From this point of view, SOFI is a *solver* for symmetry elements, that does not modify the input structure in any way. In order to determine the PG of a structure, a separate routine is called, taking as input the list of symmetry operation matrices. Within this routine, each symmetry operation is first associated to the axis it acts on, and labelled according to the Schoenflies notation<sup>3</sup>. The PG is then deduced by inspection of the symmetry elements, following a standard flowchart. The search for non-exact symmetries in SOFI can be tuned via a threshold parameter, whose value is directly linked to the distortions in the atomic positions of the structure. Moreover, in case of an incomplete list of elements of a PG, basic arguments of group theory can be used to find the missing elements. An incomplete list of symmetry elements can be an indicator of broken symmetries in the system, which might happen when the atomic positions get distorted in a particular way. Due to the modularity of the algorithm implementation, external conditions acting on symmetry elements can easily be implemented through custom functions. As an example of such function, the action of an external arbitrary-direction magnetic field on the PG of a structure<sup>16</sup> is included in the code. SOFI is written in Fortran, with a C-bound Application Programming Interface (API), making it a directly interoperable library. It can be used on its own, or easily inserted into other software.

Section II describes the details of our SOFI algorithm, and the Section III gives the implementation details. In the Section IV, SOFI algorithm is compared to three other algorithms for PG symmetry identification, namely SYVA<sup>9</sup>, SymMol<sup>6</sup>, and libmsym<sup>10</sup>. The discussion in Section V provides some possibly valuable insight into technical details of the algorithm, and the limits and tuning of its maximal "resolving" power. The Section VI gives some exemplary use cases of the SOFI algorithm, and its output. Further examples can be found in the online documentation.

## II. THE ALGORITHM

We approach the problem of finding PG symmetries by solving the degenerate shape-matching problem of Eq. (3), but firstly we need to address the question of the origin point.

A fixed point is a point in space which remains unchanged under transformation by an arbitrary set of orthonormal matrices. When an atomic structure is transformed by symmetry operations belonging to some PG, we can observe one or more such fixed points. The points that remain fixed under transformation by all symmetry elements of the PG are the origin points of the entire PG, while points that are fixed only for a subset of the symmetry elements are origin points of the subgroups associated to that PG. For example, the *Oh* PG has six *C<sub>4v</sub>* subgroups oriented in three different directions, each with a different origin point, while in the case of *C*-groups, all points along the primary rotation axis are fixed. However, the only point of a generic structure, which is guaranteed to always remain fixed under transformation by any orthonormal matrix or symmetry element, is the geometric center (center of geometry, arithmetic mean, centroid). Therefore, picking the geometric center of a structure as the origin point, guarantees that the algorithm will parse the full PG of the structure. Indeed, most of the available algorithms assume this choice by default. However, alternative origin points are possible. For example when searching for symmetry operations about a given atom, the origin point should be the position of that specific atom (or some other specific point of choice). SOFI is agnostic to the choice of origin, which means it will find symmetry operations about the given point. This also means the origin has to be chosen from the outside (by the user, or another application).

After the origin point has been selected and the structure shifted accordingly, the atomic structure enters the main search loop of the SOFI algorithm. The key idea of SOFI is to parse the space of orthonormal transformations, at each step construct a trial transformation, evaluate Eq. (3) with the trial transformation, and keep track of all favourable solutions. Thus, the algorithm needs two main components, as follows.

The first component is a function which will evaluate Eq. (3). The idea employed in SOFI is to transform Eq. (3) into a distance  $d(P_A A, \theta A)$ , which should be equal to zero when  $P_A$  and  $\theta$  correspond to a solution of Eq. (3), and greater than zero otherwise. In order to compute the distance  $d(P_A A, \theta A)$ , we employ the Hausdorff distance function<sup>14,15,17</sup> with the generic form:

$$d_H(A, B) = \max_{a \in A} \min_{b \in B} d(a, b) \quad (5)$$

where  $A$  and  $B$  are structures with atomic vectors  $a \in A$ ,  $b \in B$ , and  $d(a, b)$  is a Cartesian distance. The Hausdorff distance is invariant to permutations, and variant to other rigid transformations of either structure (rotation, reflection, translation). The evaluation of Eq. (3) is

thus done by computing Eq. (6).

$$d(P_A A, \theta A) = d_H(A, \theta A) \quad (6)$$

If  $\theta$  is a solution of Eq. (3), then  $d_H(A, \theta A) = 0$ . In order to compute  $d_H$  in SOFI, we use the CShDA algorithm, introduced in Ref.<sup>14</sup>. CShDA imposes a one-to-one assignment constraint on the atoms, and returns the permutation  $P_A$  and distance  $d_H$ .

The second component of the algorithm is a way of parsing the space of orthonormal transformations ( $3 \times 3$  orthonormal matrices  $\theta$ ). This parsing should be computationally efficient, but still broad enough to identify all possible solutions of Eq. (3). In SOFI, we define the parsing of transformation space in a similar way as in IRA<sup>14</sup>, in which the orthonormal transformations (bases) are constructed directly from atomic vectors present in the structure. It follows from Eq. (3), that for each atom  $i \in A$  with the atomic position  $a_i$ , there exists a unique atom  $j \in A$  with the atomic position  $a_j$ , such that:

$$a_i = \theta a_j. \quad (7)$$

The Eq. (7) can be seen as operation of change of basis, from the basis  $\beta$  defined by  $a_i$ , to basis  $\gamma$  defined by  $a_j$ , written:

$$\beta a_i = \gamma a_j, \quad (8)$$

from which we see that

$$\theta = \beta^T \gamma. \quad (9)$$

Therefore, the operation  $\theta$  is completely defined by two orthonormal bases, namely  $\beta$  and  $\gamma$ , which are defined by atomic positions  $a_i$  and  $a_j$ , respectively.

However, an orthonormal basis set in 3D cannot be uniquely defined from a single 3D vector. This problem is resolved by adding another atomic vector  $a_{i'}$  to the definition of the basis, as follows. The first basis vector  $\hat{e}_1$  is the normalised atomic vector  $a_i$ , the second basis vector  $\hat{e}_2$  is the component of the atomic vector  $a_{i'}$  orthonormal to  $\hat{e}_1$ , and the third basis vector is a cross product  $\hat{e}_3 = \hat{e}_1 \times \hat{e}_2$ . In this way, the basis  $\beta$  is defined by positions of atoms  $i$  and  $i'$ , and the basis  $\gamma$  by positions of atoms  $j$  and  $j'$ . Due to this, SOFI is restricted to structures containing at least 3 non-collinear atoms. The same procedure for constructing an orthonormal basis is used in IRA<sup>14</sup>.

According to the preceding considerations, in order to identify any symmetry operation  $\theta$ , we need to find the quadruplet of atoms  $\{i, i', j, j'\}$ , which construct  $\theta$  by Eq. (9), such that Eq. (3) is satisfied. In order to find all possible solutions of Eq. (3), we need in turn to list all unique matrices  $\theta$  that can be constructed by such quadruplets of atoms, while also satisfying  $d_H(A, \theta A) = 0$  by Eq. (5). The most naive algorithm to find all symmetry operations  $\theta$  is then to brute-force search over all combinations of quadruplets of atoms in  $A$ , which give  $d_H = 0$ . Such algorithm is constructed by four nested

DO loops over all atoms, meaning an  $\mathcal{O}(N^4)$  complexity, where  $N$  is the number of atoms in the structure. We can however quickly observe that such approach contains a huge degree of redundancy, which can be greatly reduced, or even avoided, by applying the following considerations.

### A. Reduce complexity I: fix one basis

The Eq. (7) holds true for a given  $\boldsymbol{\theta}$ , for all atoms  $i$  simultaneously. Therefore, instead of looping over all  $i$ ,  $i'$ ,  $j$ , and  $j'$ , we can simply select any two different atoms  $i$  and  $i'$ , and loop over only  $j$  and  $j'$ . The atoms  $i$  and  $i'$  construct the basis  $\beta$ , which is kept fixed throughout the search, while the basis  $\gamma$  constructed by atoms  $j$  and  $j'$  keeps changing, effectively constructing different trial  $\boldsymbol{\theta}$  operations. The argument also holds for all possible operations  $\boldsymbol{\theta}$ , since each true symmetry operation  $\boldsymbol{\theta}$  is associated to a single permutation  $P_A$ . Thus the complexity of the search algorithm is reduced to  $\mathcal{O}(N^2)$ .

### B. Reduce complexity II: preserve distances and atomic types

A PG symmetry operation  $\boldsymbol{\theta}$  is a unitary transformation, meaning it preserves distances. Thus, an atom after the transformation cannot have a position which is at a different distance from the origin than it was before the transformation. Moreover, upon transformation by  $\boldsymbol{\theta}$ , the position of atom  $i$  is effectively replaced by the atom  $j$ , which must have the same properties as atom  $i$ . Hence atom  $j$  should possess the same atomic type, and be positioned at the same distance from the origin, as atom  $i$ . This can be translated into a simple constraint for the choice of atom  $j$  – and also  $j'$  – namely the norms of atomic vectors (distances from the origin) must be equal,  $\|a_i\| = \|a_j\|$  and  $\|a_{i'}\| = \|a_{j'}\|$ ; and the atomic types of the pairs  $\{i, j\}$  and  $\{i', j'\}$  must be identical (see lines 4,5 and 7,8 of Alg. 1). Thus the complexity of the search algorithm is further reduced, to  $\mathcal{O}(N_i N_{i'})$ , where  $N_i$  and  $N_{i'}$  are the number of atoms within the same radial distance and atomic type as atom  $i$ , and atom  $i'$ , respectively.

### C. Reduce complexity III: pick atoms close to origin

The numbers  $N_i$  and  $N_{i'}$  are further reduced by choosing  $i$  and  $i'$  which are as close as possible to the origin (avoiding the atoms at the origin, for numerical reasons), and are of the atomic type which has the least number of equivalent atoms in that radial shell. For close-packed structures (clusters), the worst-case scenario is a structure of a single atomic type, where  $N_i$  and  $N_{i'}$  are 12 (hexagonal close-packed single-crystal structure), which

means 144 possible constructions of  $\boldsymbol{\theta}$  by the SOFI algorithm. For some types of structures however, these numbers can be a lot higher, the extreme case being fullerene-type structures where all the  $N$  atoms are at the same distance from the origin,  $N_i = N_{i'} = N$ . For those structures, the use of SOFI as described and implemented in the present paper is not efficient.

### D. A word about (roto-)reflections

Notice that when the bases  $\beta$  and  $\gamma$  are generated with the procedure defined earlier, the matrix  $\boldsymbol{\theta}$  resulting from Eq. (9) is always such that its determinant is positive,  $\det(\boldsymbol{\theta}) = 1$ . This means our search algorithm always produces trial transformations which correspond strictly to rotations. In order to mitigate this behaviour, we systematically flip each of the three vectors for each basis  $\gamma$  that is generated (see line 11 of Alg. 1). As such, the resulting trial transformations include proper rotations, reflections, and roto-reflections. This slightly raises the complexity of the algorithm by a factor of 4 (one for the original  $\gamma$ , and additional three for each flipped axis).

### E. Inexact symmetries

A structure can exhibit inexact symmetries due to disorder or inaccuracies in atomic positions, which can be purely numerical, or due to physical reasons. In any case, this disorder can cause some symmetry elements to become inexact, *i.e.* the distance  $d_H(A, \boldsymbol{\theta}A)$  does not reach zero, but only a local minimum. For this reason we introduce the threshold `sym_thr` into SOFI, which modifies the condition for a transformation  $\boldsymbol{\theta}$  to be recognised as symmetry operation of a structure  $A$  into  $d_H(A, \boldsymbol{\theta}A) \leq \text{sym\_thr}$ , which is interpreted as the maximal deviation (in units of distance) between an atom of the non-transformed structure, and its associated atom of the transformed structure, must be below the threshold. The value of `sym_thr` is an input parameter to SOFI. For the same reason of possible disorder in the atomic structure, the transformations  $\boldsymbol{\theta}$  which are constructed from atomic vectors by Eq. (9), can potentially become inexact (in the sense of non-zero  $d_H$ ). In order to obtain as precise transformation matrices  $\boldsymbol{\theta}$  as possible, we introduce the concept of matrix refinement, see Sec. III and Alg. 3.

It can still happen that SOFI's parsing procedure will not identify all the symmetry operations of a structure due to such atomic disorder. In that case, arguments of fundamental group theory can be used to generate the missing symmetry operations. The most important argument is the property of group closure, which states that if  $\boldsymbol{\theta}_i \in G$  and  $\boldsymbol{\theta}_j \in G$  then also the product  $\boldsymbol{\theta}_i * \boldsymbol{\theta}_j \in G$ , where  $G$  is the point group. Therefore, after the main parsing procedure of SOFI is performed, the list of found symmetry operations can be looped through itself, and

all possible products of the operations generated, then tested for the symmetry condition on the structure, and finally included in the set accordingly. Thus if any symmetry operation has been missed by the main search algorithm for any reason, it will be found and added by this (optional) procedure.

The value given to the threshold `sym_thr` is directly linked to the level of disorder in atomic positions on the structure. Its extremal value can ultimately be related to the distance between nearest atoms in the structure, in the sense that if the value `sym_thr` is close to, or larger than that, the algorithm will accept operations that effectively exchange the positions of atoms, as valid symmetry operations. In order to avoid that, the rule of thumb is that `sym_thr` can sensibly be set to any values up to about half the distance between nearest atoms, anything beyond that should be carefully tested, and will most probably produce results that will be hard to interpret.

### III. IMPLEMENTATION

The main loop of the SOFI search procedure is schematised in Alg. 1, which follows the considerations from Sec. II. Each iteration of the main loop consists of constructing a new orthonormal basis  $\gamma$ , and with it a new trial operation  $\theta'$ . Each trial  $\theta'$  is passed to the routine `try_sofi` (schematised in Alg. 2). This routine first determines if the matrix is already a known symmetry operation, and if not, computes the first  $d_H(A, \theta' A)$  via the CShDA algorithm. If the first  $d_H$  is small enough, the trial  $\theta'$  is considered as potential symmetry operation, and passed to the `refine` routine (schematised in Alg. 3). The `refine` routine returns a refined trial  $\theta'$  and the associated  $d_H(A, \theta' A)$ . If this distance  $d_H$  is below the threshold `sym_thr`, the trial  $\theta'$  is stored as a new symmetry operation of  $A$ . At the end of the main loop, the list of symmetry operations  $\theta$  of structure  $A$  is known.

A trial matrix transformation  $\theta'$ , whose action on a structure  $A$  is sufficiently close to some true symmetry operation  $\theta$ , can be identified, and `refined` to correspond to the true symmetry  $\theta$ , see Alg. 3. The matrix  $\theta'$  is said to be sufficiently close to  $\theta$ , when the distance  $d_H(A, \theta' A)$  is below a given parameter value, but not zero (this value in SOFI corresponds to  $5 * \text{sym\_thr}$ , see line 4 of Alg. 2). In this case, the permutation of atoms  $P_A$  that is returned when computing  $d_H(A, \theta' A)$  with CShDA, is not exact, but can be said to be partially correct, meaning that there are at least some atoms for which the assignments are correct. This partially correct assignment can be applied to the structure  $A$ , and used as input to the well-known SVD-based algorithm described in Ref.<sup>18</sup>, which returns an optimal rotation given a fixed permutation of atoms. The small rotation  $\nu$  which is found by SVD is added to the original transformation,  $\theta'' = \nu\theta'$ , and applied to the structure,  $\theta'' A$ . At this point, the distance  $d_H(A, \theta'' A)$  and the corresponding assignments

---

**Algorithm 1:** The main search loop of SOFI, including the considerations from Sec. II A-II D. The called routine `try_sofi` is schematised in Alg. 2.

---

**Input:** structure  $A$ , threshold `sym_thr`.  
**Output:** List of symmetry operations  $\theta$ .

```

1 Select  $i$  and  $i'$  close to origin;           !! Sec IIC
2  $\beta \leftarrow \text{OrthonormalBasis}(i, i')$ ;    !! Sec IIIA
3 for  $j \in 1, N$  do
4   if ( $abs(|a_i| - |a_j|) > \text{sym\_thr}$ ) cycle; !! Sec IIIB
5   if ( $typ(i) \neq typ(j)$ ) cycle;
6   for  $j' \in 1, N$  do
7     if ( $abs(|a_{i'}| - |a_{j'}|) > \text{sym\_thr}$ ) cycle;
8     if ( $typ(i') \neq typ(j')$ ) cycle;
9      $\gamma \leftarrow \text{OrthonormalBasis}(j, j')$ ;
10    for  $m \in 0, 3$  do
11      flip axis  $m$  of  $\gamma$ ;           !! Sec IID
12       $\theta' = \beta^T \gamma$ ; call try_sofi( $A, \theta', \text{sym\_thr}$ );
13    end
14  end
15 end
```

---

**Algorithm 2:** The schema of routine `try_sofi`. The called routine `refine` is schematised in Alg. 3.

---

**Input:** structure  $A$ ,  $3 \times 3$  matrix  $\theta'$ , threshold `sym_thr`.  
**Output:** Updated list of symmetry operations  $\theta$ .

```

1 Compare  $\theta'$  to current list of all  $\theta$ ;
2 if ( $\theta' \in \text{list}$ ) return;
3 Compute  $d = d_H(A, \theta' A)$  via CShDA algorithm;
4 if ( $d > 5.0 * \text{sym\_thr}$ ) return;
5 call refine( $A, \theta', d_H$ );
6 if ( $d_H \leq \text{sym\_thr}$ ) add  $\theta'$  to list;
```

---

$P_A''$  are recomputed. If  $P_A''$  contains permutations, the cycle of SVD-CShDA is repeated. Once the new assignment does not contain any further permutation, the procedure is stopped, the refined matrix is  $\theta'' = \nu\theta'$ , and if  $d_H(A, \theta'' A) \leq \text{sym\_thr}$ , then the refined matrix  $\theta''$  is a true symmetry operation  $\theta$ . The process is schematised in Algorithm 3.

---

**Algorithm 3:** The schema of routine `refine`.

---

**Input:** structure  $A$ , trial matrix  $\theta'$ .  
**Output:** refined matrix  $\theta'$ , distance  $d_H$ .

```

1  $\theta'' \leftarrow \theta'$ ;
2  $P_A, d_H \leftarrow \text{CShDA}(A, \theta'' A)$ ;
3 for  $n \in 1, \text{max\_iter}$  do
4    $\nu \leftarrow \text{SVDrotation}(A, \theta'' A)$ ;
5    $\theta'' \leftarrow \nu\theta''$ ;
6    $P_A, d_H \leftarrow \text{CShDA}(A, \theta'' A)$ ;
7   if (no permutation in  $P_A$ ): exit loop;
8 end
9 return  $\theta' \leftarrow \theta'', d_H$ 
```

---

The self-sufficient iteration scheme of Algorithm 3 is similar to the algorithm Iterative Closest Point (ICP)<sup>19</sup>, which is very well known in the computer vision community. ICP has some known pitfalls, and several proposed solutions to them<sup>20</sup>. The most notable being getting stuck in local minima, or oscillating between two equivalent solutions. It should be stated that these pitfalls can in principle occur in our matrix refinement approach as well, however, they occur in situations when  $d_H(A, \theta' A)$  is far from zero, and above any meaningful threshold, thus the trial transformation  $\theta'$  in such situations is far from a suitable candidate for our purposes, and it is not of concern. Moreover, the number of iterations in Algorithm 3 has a hard limit at `max_iter=3`.

In order to determine the PG from a list of symmetry operations in the form of  $3 \times 3$  matrices, as returned by SOFI, we have implemented a decision process based on a flowchart available in physical chemistry textbooks<sup>3</sup>. The decision tree is based on the identification and classification of specific symmetry elements. For our purpose, the simplest way of carrying it out is to employ the Schoenflies notation for the symmetry elements, in the form of  $Op\ n^p$ , where  $Op$  is the name of the operation ( $C$  for rotation,  $S$  for rotoreflection,  $I$  for inversion, and  $E$  for identity),  $n$  is the order of rotation, and  $p$  the multiple of rotation, for example  $S\ 12^5$  corresponds to a rotoreflection with an angle of  $\frac{5}{12}2\pi$ . The analysis of a  $3 \times 3$  matrix, and assignment of its Schoenflies label is done as described in the Appendix A. Once the list of symmetry operations is converted to the Schoenflies notation, and grouped together by the axis they act on, the decision tree to determine the PG is applied.

The SOFI software library is organized as a series of independent routines. For performing a default (full) search for PG of a structure, there is a wrapper routine which includes calls to all the needed routines. This includes shifting the structure to its geometric center before entering SOFI, and using the closure property of the groups to fully identify all symmetry operations (see Sec. II E). A workflow for more specialized tasks can be constructed as-needed from the routines included in the library.

The source code repository also includes an API to the main SOFI routines, which is bound to the C-namespace via the `iso_c_binding` intrinsic Fortran module. The API is compiled into a dynamic library (file `.so`), and thus the interface routines can easily be linked and called from either Fortran or C, or imported into Python. Example programs for each of these languages are included in the repository. An appropriate Python module is also proposed, which acts as an interface to the C-bound routines in the dynamic library, through the `ctypes` Python module.

#### IV. COMPARISON TO OTHER ALGORITHMS

The SOFI algorithm has been compared to the SYVA<sup>9</sup>, SymMol<sup>6</sup>, and libmsym<sup>10</sup> software. The full details and results of the tests are available in the Supplementary Materials, and the associated Zenodo repository<sup>21</sup> which contains all the structures, software, and scripts used in the test, and all results in plain text format. The goal of this comparison is to showcase the behaviour of SOFI in comparison to other established software.

All of the atomic structures included in our comparison test were obtained from the Cambridge Cluster Database (CCD)<sup>22</sup>. They include atomic cluster structures, where we have excluded any structures with number of atoms less than 3. The total number of structures included in the test is thus 3858, with the number of atoms varying between 3 and 380. There is only one set of structures with more than one atomic type, which has two atomic types.

The comparison tests were carried out by computing the PG of each input structure, at different values of the symmetry threshold. Changing the value of this threshold can result in the respective algorithm detecting a different number of possible symmetry operations, and hence a different assignment of the PG. The SYVA and SymMol algorithms have a single adjustable parameter for the tolerance, which, to our understanding, is more or less equivalent to the symmetry threshold `sym_thr` used in SOFI. That is, it specifies the maximal allowed displacement of any atom of the symmetry-transformed structure, with respect to the original structure. Therefore, it is possible to directly compare the results of SYVA, SymMol, and SOFI algorithms at the same value of tolerance. On the other hand, the libmsym algorithm does not have a single-valued parameter for the tolerance, but rather a set of parameters which act upon different segments of the algorithm, and it is therefore not straight-forward to compare the results. Any computation where a respective algorithm outputs an explicit message of error or failure, or the software crashes with no output, is recorded as a failure.

The values for the tolerance used in SYVA, SymMol, and SOFI were  $tol = 0.001$  and  $tol = 0.05$ , while for libmsym we used three sets of parameters which are also used in the Avogadro software<sup>23</sup>, where they are labelled as "default", "medium", and "loose".

To the best of our knowledge in the CCD database, the source/algorithm which was used for obtaining the listed PGs is not clearly specified. This is an issue since the claimed PG cannot be actually tested or revised. In other words, the PG assignment by CCD cannot be assumed to have a benchmarking value.

The Fig. 1 gives a correlation plot of the PGs as assigned by the different algorithms included in the test, excluding CCD. This plot has been made by combining the results of each algorithm in the test, using the value of tolerance for which that algorithm produced the least failures. These are explicitly SYVA( $tol = 0.001$ ),

`SymMol( $tol = 0.05$ )`, `libmsym( tol = "default")`, and `SOFI( $tol = 0.05$ )`. A point on the diagonal of the plot represents PG assignments of SOFI equal to any of the other algorithms, while an off-diagonal point represents different assignment of PGs, for the same structure. The distance of a point from the diagonal could be seen as proportional to the extent of the difference in the assignment, in terms of number of symmetry operations of a group. Similar plots of this type are available in the Supplementary Materials, resolved per each algorithm and tolerance value included in the test.

We show in the Supplementary Materials, that SOFI is fully capable of computing the PG symmetry in atomic clusters. Contrary to other algorithms in the test, there are zero cases of failure in SOFI, among all the structures and tolerance values included in the test. In all cases of disagreement between SOFI and another algorithm, SOFI is capable of finding a PG of the same order, or higher, when computed with an appropriate tolerance value.

The small differences in SYVA, SymMol, and SOFI most probably arise due to the different ways in which algorithms find the symmetry operations, or their axes. A small difference in the axis on which a symmetry element acts, can lead to a small difference in the atomic positions of the symmetry-transformed structure, which leads to a different value of distance to the original structure. When such small discrepancies lead to distance values that are comparable to the value of symmetry threshold used, they can be sufficient to cause an algorithm to detect PGs of a different (lower) order. These small variations can be observed in our tests, where in some cases SOFI detects less symmetry operations than SYVA and SymMol, however upon slight increase in the threshold, the higher-order PGs are always retrieved.

A more in-depth analysis of all the results would require a detailed inspection of the participating algorithms, and a case-to-case analysis of each result, which is well beyond the scope of the present article. Besides, our tests did not investigate the impact of the symmetry threshold in a systematic way, which makes drawing any general conclusions from this comparison test nontrivial.

The Dzugutov-mod clusters dataset was used to give some indicative timing of the algorithms. It contains 248 structures with number of atoms from 3 to 250, all of the same atomic type. The structures where an algorithm was not able to determine a PG were excluded from this measurement, since they take a disproportionate amount of time. The SYVA algorithm took 155.8 s to determine 248 PGs, SymMol took 2.1 s to determine 245 PGs, libmsym took 0.8 s to determine 245 PGs, and SOFI took 1.2 s for 248 PGs. All the timing measurements were done on single Intel Core i7-10700K processor.

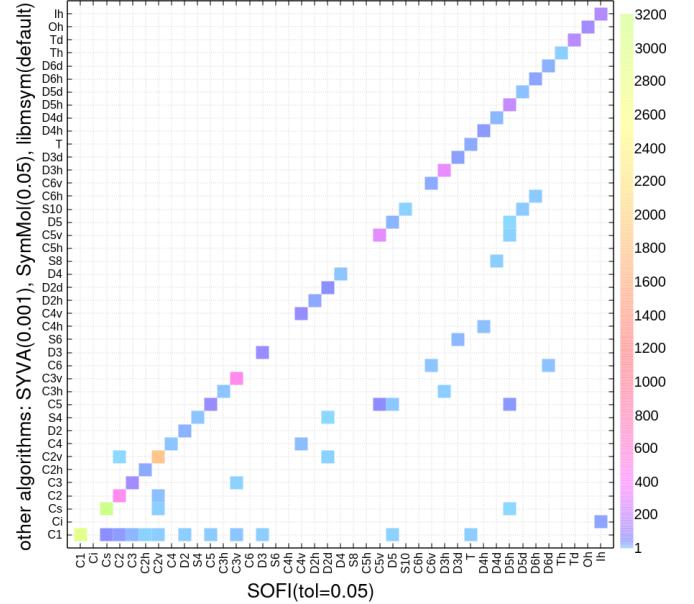


FIG. 1. Compact summary of the comparison test results: The horizontal axis represents PGs as assigned by SOFI, and the vertical axis PGs assigned by any other algorithms in the test (SYVA, SymMol, libmsym). Labels of PGs are sorted by the cardinality of the groups. The points below the diagonal represent cases where SOFI assigned a PG with higher order, and values above the diagonal represent cases where SOFI assigned a PG with lower order. The color of each point represents the number of structures where that particular combination of PG assignment happened.

## V. DISCUSSION

Due to the SVD-based "matrix refinement" procedure introduced in SOFI (Sec. III, Alg. 3), the axis of a symmetry element is ultimately set such that the root-mean-square distance between the original, and the symmetry-transformed structure  $d_{rmsd}(A, \theta A)$  is minimized. However it should be noted that, in general, the value of  $\theta$  which minimizes a distance function  $D$ , in the sense of Eq. (10),

$$\arg \min_{\theta} \{D(\theta A, A)\} \quad (10)$$

can be slightly different for different distance functions  $D$ , such as the root-mean-square  $d_{rmsd}$ , and Hausdorff distance  $d_H$ , the latter of which is used to evaluate the operations  $\theta$  in SOFI by Eq. (6). This is a small inconsistency in the SOFI algorithm, and it means the value of Eq. (6) can actually *increase* slightly after the matrix refinement procedure. We have found in our tests that this is the reason for SOFI to set the axis of some symmetry operation slightly different than the other algorithms, and that leads to rare cases when SOFI needs a slightly higher value of symmetry threshold, to obtain the same PG as SYVA or SymMol. In the set of structures used in our comparison test, the usefulness of the matrix refine-

ment procedure might not be apparent, however when SOFI is used on structures with more disorder in the atomic positions, the refinement procedure is key to the recognition of proper symmetry operations.

The slowest part of the SOFI algorithm is the evaluation of the distance  $d_H(A, \theta' A)$  from Eq. (5), calculated by the CShDA algorithm, which is done for each trial  $\theta'$ . It would make sense to spend some computational effort in trying to lower as much as possible the number of times CShDA is computed. This can be done by recognising when a trial  $\theta'$  is very similar to some already known symmetry operation  $\theta$ , meaning the trial  $\theta'$  can be skipped, and thus avoid computing CShDA. In order to evaluate the similarity between two orthonormal matrices, we use a simple distance function  $d(\theta^a, \theta^b)$ , which is a sum of the distances between the matrix elements:

$$d(\theta^a, \theta^b) = \sqrt{\sum_{i,j} (\theta_{ij}^a - \theta_{ij}^b)^2} \quad (11)$$

which can be seen as a measure of the order of rotation needed to transform  $\theta^a$  into  $\theta^b$ . By default, SOFI considers two orthonormal matrices, namely  $\theta'$  and  $\theta$ , as equal when the order of rotation needed to transform one into the other is more than 200, that is an operation C200 in the Schoenflies notation, or rotation by angle  $0.005 \cdot 2\pi$ . This sets the maximal limit to the resolving power of SOFI, meaning that any symmetry operation of order higher than 200 can not be recognised. This default behaviour can be changed by tuning of some internal parameters, and recompiling the code. The procedure to do that is detailed in the online documentation, available through the front page of the GitHub repository.

With this modification to SOFI, a relatively big speed-up is achieved for structures with a large number of atoms close to the origin (number  $N_i$  in Sec. II C), where the redundancy of the search space of matrices  $\theta$  is large. The very extreme example of such structure being the perfect fullerene-type structures, where all atoms are at the same distance.

The search space of highly symmetric tetrahedral, octahedral, and icosahedral PGs in particular –  $T$ ,  $O$ , and  $I$  variants – can be largely redundant. In SOFI, this redundancy can be reduced by an early-termination condition, which is triggered when both of the following criteria are met: *i*) either  $\sigma$  or  $I$  operations are found, and *ii*) there are two or more unique  $C_n$  axes with  $n \geq 3$ . The two criteria are sufficient to terminate the search procedure, and directly identify the corresponding PG by the standard procedure. In principle, this condition can be ambiguous, since a group can be a subgroup of another (for instance, all  $T$  variants are subgroups of  $Oh$ ). However the ambiguity is lifted by performing the combinations of symmetry elements identified at the current step of the algorithm, which are at that point extremely unlikely to be cyclic, and will thus generate the missing operations. The overhead of computing the early-termination condition is largely negligible.

The redundancy of the search space however cannot be reduced by the mentioned arguments when the number of symmetry operations is low, as for instance in  $C1$ ,  $Cs$ , and  $Ci$  PGs. The absolute worst-case performance for the SOFI algorithm as presented in this article is thus a structure with many atoms  $N$ , all of a single atomic type, where relatively many of them are close to the origin ( $N_i$  in Sec. II C), and a low-order PG.

## VI. EXEMPLARY USES

### A. Generating PG by combination of group elements

In SOFI, the assignment of PG name is done by a separate routine, which acts only on the list of operations  $\theta$ . Thus, we can design a small program which reads a number of input operations, generates all possible combinations  $\theta' = \theta^i * \theta^j$  in a self-consistent manner, and assigns the PG name to the final list of operations. In the present example, we use this program to confirm that the D2h and D3d groups are indeed among the subgroups of D6h. In group theory a high-symmetry PG may lose certain elements to give rise to a new PG, which is a subgroup of the former. Such descent of symmetry can be useful in certain applications. The small program of this example is included in the examples directory of the git repository: `examples/SOFI/ex_D6h_subgroup`.

The upper part of Table I lists the symmetry operations  $\theta$  of some atomic structure with the D6h PG (the precise structure is not important for this example). If we take only the four operations of labels 5 and 7, and generate all possible unique combinations  $\theta' = \theta^i * \theta^j$ , we obtain the list of operations in the middle part of Table I. It is straightforward to verify that the obtained list of operations corresponds to D2h PG, and that all the resulting operations are in fact part of D6h, and therefore D2h is a subgroup of D6h.

Similarly, by generating all possible combinations of the four operations labelled 6 and 7 on the upper part of Table I, we obtain the list shown in the lower part of Table I, which constitutes the D3d PG, and is a subgroup of D6h. It can be verified that if we take all unique operations from the middle and lower parts of Tables I, which is 16 operations, and input them to the combinations program, we obtain back the list of 24 operations of D6h from the upper section of Table I.

### B. Obtaining symmetry-equivalent configurations

The power of knowing the set of local symmetries  $\theta$  is demonstrated on the example system of heptamer island on Pt(111) surface, taken from the OptBench database<sup>24</sup>, shown on Fig. 2.

A particular, known displacement of the atoms from the initial structure is shown on Fig. 3 in six symmetry-equivalent variants in each panel, with the displacement

	Label	Operations $\theta$	Axis
D <sub>6h</sub>	0	$E, I$	
	1	$\sigma, C_2, C_3, C_6, S_3, S_6$	0.989 -0.094 -0.109
	2	$\sigma, C_2$	-0.052 -0.939 0.339
	3	$\sigma, C_2$	-0.134 -0.330 -0.934
	4	$\sigma, C_2$	-0.022 0.648 -0.761
	5	$\sigma, C_2$	-0.112 -0.978 -0.173
	6	$\sigma, C_2$	-0.142 -0.756 -0.639
D <sub>2h</sub>	0	$E, I$	
	1	$\sigma, C_2$	-0.112 -0.978 -0.173
	2	$\sigma, C_2$	0.090 -0.183 0.979
	3	$\sigma, C_2$	0.989 -0.094 -0.109
D <sub>3d</sub>	0	$E, I$	
	1	$C_3, \overline{C}_3, S_6, \overline{S}_6$	0.989 -0.094 -0.109
	2	$\sigma, C_2$	0.090 -0.183 0.979
	3	$\sigma, C_2$	-0.142 -0.756 -0.639
	4	$\sigma, C_2$	-0.052 -0.939 0.339

TABLE I. Upper part: list of operations  $\theta$  of some structure with the D<sub>6h</sub> PG, grouped together by the axis they act on. The transposes of applicable operations ( $\overline{C}_3, \overline{C}_6, \overline{S}_3, \overline{S}_6$ ) on axis 1 are omitted for clarity.

Middle part: the resulting operations of all possible combinations of four operations on axes 5 and 7 from the upper part. The PG with these operations is D<sub>2h</sub>, and all the operations are also included in D<sub>6h</sub>.

Lower part: the resulting operations of all possible combinations of four operations on axes 6 and 7 from the upper part. The PG with these operations is D<sub>3d</sub>, and all the elements are also included in D<sub>6h</sub>.

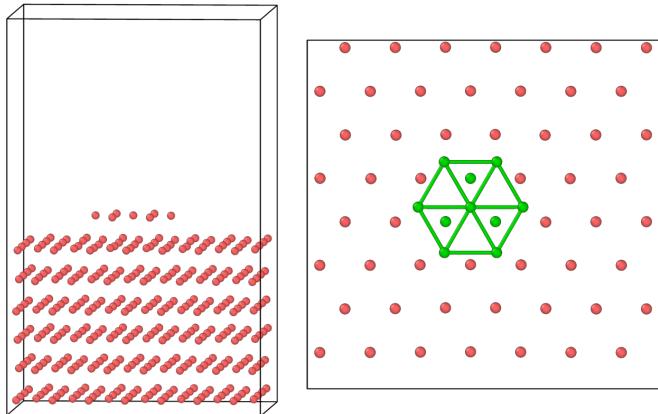


FIG. 2. Initial state configuration of the heptamer island on Pt(111) surface. Left: side view. Right: top view of the surface layer, with bonds drawn between the atoms of the island. Marked in green are the atoms of the local configuration that is used as input for SOFI.

vectors marked in cyan, each labelled  $\Delta_j$ , for  $j \in [1, 6]$ . The displacement of the atoms by specifically these vectors actually corresponds to equivalent configurations at the saddle point of the potential energy surface (PES) of the system, the details of which are not important for the purpose of this example. By knowing only one of these displacements, say  $\Delta_1$  shown on the top left panel of Fig. 3, the other five can be generated by only using the information of local symmetry of the heptamer

island, which can be computed by SOFI.

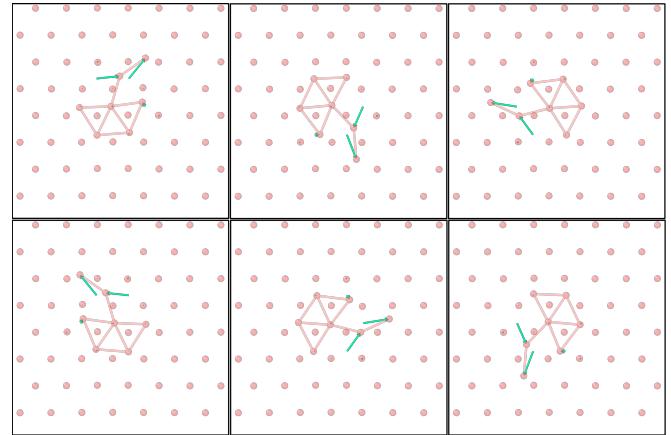


FIG. 3. First panel (top left) shows  $\Delta_1$  in cyan, which is on other panels transformed by the set  $\{\theta_j, P_j\}$ , and represents saddle points of the PES equivalent by local symmetry. The top row contains the rotations of  $\Delta_1$  about the axis through the origin atom (out of plane axis), and the bottom row contains reflections of  $\Delta_1$  over three mirror planes.

In the present example, this was done by first selecting the first-neighbour local configuration around the atom at the center of the heptamer, shown in green on Fig. 2, where the set of atomic indices contained in the local configuration is labelled  $[s]$ , and the atom at the center of the heptamer is taken as the origin point. This local configuration was then input to SOFI as an independent atomic structure, which returns the set of six symmetry operation matrices and the corresponding permutations  $\{\theta_j, P_j\}$ , in relation to the desired origin. The symmetry operations are three rotations about the vertical axis through the origin atom, and three mirror reflections. The displacement  $\Delta_1[s]$  on the subset of atoms  $[s]$  can then be transformed by applying each matrix  $\theta_j$ , followed by permutation of the vector elements  $P_j$ , to obtain the other five displacements  $\Delta_j[s]$ ,

$$\Delta_j[s] = P_j(\theta_j \Delta_1[s]) \quad (12)$$

which correspond to the displacement vectors of Fig. 3, and bring the system to the symmetry-equivalent saddle point configurations.

The example shown in this section illustrates a procedure which exploits the list of symmetry operations, and applies them on some property of the atomic structure to obtain the symmetry-equivalent representations of that property, in this case a displacement. By analogy, such procedure can be done to any vectorial property of a structure, for which symmetry-equivalent representations exist. The symmetrization of an atomic structure is an example of such procedure (with some modifications), acting on the atomic positions.

## VII. CONCLUSION

We have developed the SOFI algorithm for finding PG symmetry operations of non-periodic atomic structures, based on the IRA shape matching algorithm<sup>14</sup>. The working principle of SOFI is to cast the problem of finding PGs as a shape-matching problem of a single structure with itself, and find all the degenerate solutions. The set of these solutions corresponds to the symmetry operations of the atomic structure.

Contrary to some other algorithms, SOFI is not limited to the number of atoms that a structure can contain. It is also agnostic to the choice of the origin point, which allows the identification of symmetry operations about any chosen point/atom, not only the geometric center.

We have tested SOFI on a large set of atomic structures where symmetry identification can be challenging, such as single-element clusters and close-packed structures. The former are critical because of the large number of possible permutations of atomic indices, and the latter due to the rather homogeneous spatial distribution of atoms, which prevents simple identification of any principal axes. Both these cases are of relevance for numerical applications, for instance in processing substructures obtained from other condensed phase (periodic) simulations, whenever a local symmetry assignment is required for clusters or slabs, and hence where an automatic assignment of symmetry is highly desirable. Due to the way SOFI parses through the space of possible operations, it can be advantageous in such critical cases.

We have compared the results of our SOFI algorithm to three other algorithms for PG identification from the literature, namely SYVA, SymMol, and libmsym, at two different values of the symmetry threshold. The results are given in a statistical manner that shows the general behaviour of SOFI, as compared to other algorithms. SOFI was able to successfully identify PGs across all sets, with a large degree of agreement with other algorithms. In most cases of disagreement between algorithms, SOFI has found a higher number of symmetry elements within the specified symmetry threshold, and thus a higher order point group. In all cases where SOFI found a lower order PG than another algorithm, we have been able to retrieve the higher order PG by tuning of the symmetry thresholds parameter of SOFI.

We also present two examples of how SOFI can be utilised, other than simple identification of PGs; in the first example as a tool to generate combinations of several matrices until group completeness; and in the second example as tool to aid automatic generation of structures, and their properties (in this case a displacement vector), that transform according to the local PG symmetry about a specific atom, *i.e.* any covariant property.

One of the core ideas of SOFI is to provide a modular, and interoperable set of computational routines, which could be used for retrieving the point group symmetry properties of a structure, as standalone, or within another application. The inclusion of SOFI into the IRA library

makes it a convenient, and accessible tool for purposes related to the precise analysis of atomic structures.

## SUPPLEMENTARY MATERIALS

The supplementary material contains all results of the comparison tests done in this work. The results are reported in tables and images, where the tables report the result (PG) of each algorithm included in the test for each structure, and the images serve as an overall comparison between the algorithms.

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## AUTHOR DECLARATIONS

### Conflict of interest

The authors have no conflicts to disclose.

### Author contributions

**M. Gunde:** Conceptualization, Data curation, Software, Writing - original draft, Writing - review & editing, Supervision, Visualization; **N. Salles:** Conceptualization, Writing - review & editing, Supervision, Visualization; **L. Grisanti:** Conceptualization, Writing - review & editing, Supervision, Visualization; **L. Martin-Samos:** Conceptualization, Writing - review & editing, Supervision, Visualization; **A. Hemeryck:** Conceptualization, Writing - review & editing, Supervision, Visualization;

## DATA AND SOURCE CODE AVAILABILITY

SOFI is released as part of the IRA library, which is under double licensing, GPL v3 and Apache v2. The source code and example programs are available at <https://github.com/mammasmias/IterativeRotationsAssignments>. Link to the online documentation is available from the main GitHub page, which includes some tutorials, and detailed descriptions

of the source code, the C-bound API, and the python interface. All data used in the comparison tests is openly available from the CCD<sup>22</sup>. All datasets and scripts used in the comparison test, and plain-text results are available from Zenodo<sup>21</sup>.

## Appendix A: Some properties of PG symmetry matrices

The matrices  $\boldsymbol{\theta}$  corresponding to PG symmetry operations are orthonormal ( $\boldsymbol{\theta}^{-1} = \boldsymbol{\theta}^T$ ), non-symmetric matrices with real elements, and correspond to either pure rotations (symbol  $C$ ), pure reflections (symbol  $\sigma$ ), or combinations of both (rotoreflections, symbol  $S$ ).

The matrices  $\boldsymbol{\theta}_R$  corresponding to pure rotations (symbol  $C$ ) have a positive determinant,  $\det(\boldsymbol{\theta}_R) = 1$ , the value of trace is  $\text{Tr}(\boldsymbol{\theta}_R) = 1 + 2\cos(\alpha)$ , and their eigenvalues are  $\lambda_1 = 1$ , and  $\lambda_{2,3} = \exp(\pm i\alpha)$  where  $\alpha$  is the angle of rotation about the axis given by the eigenvector corresponding to  $\lambda_1$ . A pure rotation matrix can be constructed from knowing the angle and axis of rotation, for example by the well-known Euler-Rodrigues rotation formula.

Matrices  $\boldsymbol{\theta}_F$  which represent pure reflection (symbol  $\sigma$ ) are characterised by the negative determinant,  $\det(\boldsymbol{\theta}_F) = -1$ , the value of trace  $\text{Tr}(\boldsymbol{\theta}_F) = 1$ , and their eigenvalues are  $\lambda_1 = -1$ , and  $\lambda_{2,3} = 1$ . The normal vector of the plane of reflection is given by the eigenvector of  $\boldsymbol{\theta}_F$  corresponding to  $\lambda_1$ . A reflection matrix can be constructed from knowing the normal vector of the plane of reflection  $|x\rangle$  by  $\boldsymbol{\theta}_F = E - 2|x\rangle\langle x|$ , where  $E$  is the identity matrix, and  $|\cdot\rangle\langle\cdot|$  indicates the outer product.

Matrices  $\boldsymbol{\theta}_{RF}$  corresponding to rotoreflections (symbol  $S$ ) are characterised by the negative determinant,  $\det(\boldsymbol{\theta}_{RF}) = -1$ , the value of trace  $\text{Tr}(\boldsymbol{\theta}_{RF}) = -1 + 2\cos(\alpha)$ , and their eigenvalues are  $\lambda_1 = -1$ , and  $\lambda_{2,3} = \exp(\pm i\alpha)$ , where  $\alpha$  is the angle of rotation about the axis given by the eigenvector of  $\lambda_1$ , which is at the same time also the normal vector of the plane of reflection. Matrices corresponding to rotoreflections can be constructed from combination of pure rotation and pure reflection matrices,  $\boldsymbol{\theta}_{RF} = \boldsymbol{\theta}_F\boldsymbol{\theta}_R$ , where  $\boldsymbol{\theta}_F$  and  $\boldsymbol{\theta}_R$  have the same vector as the axis of rotation, and the normal of the plane of reflection.

The angle  $\alpha$  in radians is transformed to integers  $n$  and  $p$ , such that  $\alpha/2\pi = p/n$ . For instance, the rotation for 5/12th of a circle (angle 150°), would be  $n = 12$  and  $p = 5$ .

It can be observed that the use of  $\sigma$  symbol for pure reflections over some axis is redundant, since an equivalent notation is a rotoreflection  $S$  with angle  $\alpha = 0$ . We thus label pure reflections as "S 0".

The properties listed above are synthesised in the Table II.

The slight exceptions to the above are the identity  $E = \text{diag}(1, 1, 1)$  and the point-inversion  $I = \text{diag}(-1, -1, -1)$ , which have the same matrix form regardless of the orientation of the reference frame. Never-

	identity $E$	inversion $I$	rotation $C$	rotoreflection $S$
$\det(\boldsymbol{\theta})$	1	-1	1	-1
$\lambda_{1,2,3}$	1, 1, 1	-1, -1, -1	$1, \exp(\pm i\alpha)$	$-1, \exp(\pm i\alpha)$
$\text{Tr}(\boldsymbol{\theta})$	3	-3	$1 + 2\cos(\alpha)$	$-1 + 2\cos(\alpha)$

TABLE II. The axis of rotation (plane of reflection) is given by the eigenvector corresponding to  $\lambda_1$ .

theless, the identity matrix can be seen as rotation about any axis for an angle  $\alpha = 0$  (operation  $C$  0), and the point-inversion can be seen as rotoreflection about any axis for an angle  $\alpha = \pi$  (operation  $S$  2^1).

Due to the numerical procedure of matrix diagonalization, where any  $\pm$  direction is an equivalent solution for the eigenvectors (thus the axis), the relative orientation of the operation (sign of the angle  $\alpha$ ) cannot be trusted. For this reason, we follow the convention for orienting the axis such that its components are:  $z > 0$ , if  $z = 0$  then  $x > 0$ , and if  $x = 0$  then  $y > 0$ . The sign of  $\alpha$  is then deduced with respect to this axis.

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# Supplementary Materials for: "SOFI: Finding point group symmetries in atomic clusters as finding the set of degenerate solutions in a shape-matching problem"

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## 1 Algorithms and datasets used in the comparison test

All the structures, software source codes, scripts, and plain-text format of all results from the test can be downloaded from Zenodo [1].

The SOFI algorithm presented in the main article has been compared to the SYVA [2], SymMol [3], and libmsym [4] software. SYVA has been downloaded from <sup>1</sup>. SymMol software has been extracted from IQmol3 repository, commit 32cbf13 at <sup>2</sup>, and libmsym v0.2.3 from <sup>3</sup>.

In order to make the tests run smoother, we had to make some small modifications to some of the source code, mostly regarding their output. The SYVA code was used completely as-is, it is limited to max 250 atoms, and we were not able to modify that limit. The SymMol code is by default limited to maximum 100 atoms, but we were able to simply modify this to our needs. Its source was also modified in one instance of integer initialisation, which was causing a crash due to segmentation fault. The output of SymMol uses the label "C3i", and "T23" for the groups "S6" and "T" respectively. The former is a possible alternative nomenclature, while we are not sure of the latter, it might simply be a typo in the code. We change all instances of these labels to "S6", and "T", after SymMol outputs them. The libmsym software has been modified as suggested in the GitHub issue #17 <sup>4</sup> to properly output the group C1, instead of an error message, when that is the case. All modifications to the source codes done for the purpose of this test are available as diff patches in the Zenodo reference [1].

The data sets containing the atomic structures used for testing the code are taken from the Cambridge Cluster Database (CCD) website [5], more specifically the sets where PG information is available. The ones used in our test are listed below, referred to by their name as it appears on the CCD website:

- Lennard-Jones clusters N=3-150 [6],
- Quantum Lennard-Jones clusters [7],
- Sutton-Chen clusters 10-8 , 9-6 , and 12-6 [8],
- Glue clusters Al, [9] , and Pb [10],
- Gupta clusters (Zn, Cd, Pb, Na) [11, 12, 13],
- Murrel-Mottram clusters (Na) [12],
- Finnis-Sinclair clusters Mo and Fe [14],
- C60 clusters [15],
- C60-Pacheco clusters [16],
- Morse clusters [17, 18, 19],

<sup>1</sup><https://data.mendeley.com/datasets/xd4g8hyjf2/1>

<sup>2</sup><https://github.com/nutjunkie/IQmol3/blob/09e9f6b832e8a7cb6bde1e787a93a03993023713/src/Fortran/symmol.f90>

<sup>3</sup><https://github.com/mcodev31/libmsym/releases/tag/v0.2.3>

<sup>4</sup><https://github.com/mcodev31/libmsym/issues/17>

- Dzugutov [20], and Dzugutov-mod clusters [21],
- $(\text{NaCl})_N \text{Cl}^-$  for Coulomb/Born-Meyer and Welch potentials [22],
- binary Lennard-Jones clusters [23].

The format of the files containing atomic structures was changed into the regular xyz format, and all atomic types have been assigned to character (string) symbol values. In cases when the atomic type is not obvious (i.e. in the binary LJ, or morse dataset), H and/or He were used as surrogate symbols.

The total dataset of atomic structures thus contains 3858 structures, with number of atoms ranging from 3 to 380. The only set of structures containing more than one atomic type is the bin\_LJ set, which contains two atomic types.

## 2 Methodology

### 2.1 The tolerance values

The algorithms SYVA [2], SymMol [3], and SOFI have a more or less equivalent definition of the tolerance parameter (symmetry threshold in SOFI), which is that the maximal displacement of any atom of the symmetry-transformed structure, with respect to the original structure, should be below the tolerance. Due to the equivalent definition and meaning of the tolerance value, the results of these three algorithms can be directly compared at the same value of tolerance.

We have performed the tests with the tolerance at two values, (i) with `tol=0.001`, which is the default value for the tolerance in the SYVA code, and (ii) at the value `tol=0.05`. These values were applied to the SYVA, SymMol, and SOFI algorithms. The software libmsym [4] does not have a single value for the tolerance parameter, but instead several values related to different aspects of the respective algorithm. For the present test, we took three different sets of values for the tolerance in libmsym, which are also used in the avogadro software [24], in which they are labelled as "tight" or "default", "medium", and "loose" (see link <sup>5</sup>).

### 2.2 Reported values

For each input structure we compute the PG with a given tolerance, using each algorithm. The symbol "-" in any entry indicates a failure of the software to find any PG, where the error or failure was either reported by the code, the code has crashed with no output, or in the case of SymMol the computation has timed out.

The leading hypothesis for differences in the results of the compared algorithms is that the use of principal axes of inertia can be ambiguous when its eigenvalues are very similar. For this reason, we explicitly compute the matrix of inertia for each structure, and diagonalize it to obtain the principal axes. We then perform the scalar product between each of the principal axes of inertia, and each of the principal axes of symmetry as found by SOFI, and store the highest value of the dot product among all the possible combinations. The absolute value 1.0 of this dot product indicates that any one of the principal axes of inertia is indeed along any one of the principal axes of symmetry, while a value significantly lower than 1.0 indicates that none of the principal axes of inertia are aligned with any of the principal axes of symmetry. The value is reported in the tables under the column "dot product". For the C1 point groups, the reported value is irrelevant since the C1 group has no principal axis of symmetry.

The columns labelled  $N_{op}$  report the number of symmetry operations associated to the respective PG.

## 3 Results

For a more compact representation, the results are plotted in form of 2D histograms (*i.e.* Fig. S1), where each of the axes represents the result for a given atomic structure by a given algorithm, at a given tolerance value. All cases of failure are omitted from the 2D histograms. The values inside the plot are positioned such that their  $(x, y)$  position encodes the PGs resulting from each of the two algorithms, and their numerical value represents the number of input structures where such combination of PGs occurred. The values on the diagonal of the plot represent cases when the two compared algorithms returned the same result for the same structure. The off-diagonal values represent cases where the two algorithms have returned a different result.

The point groups are ordered on the axes by their order/cardinality (number of elements). All values appearing on the upper side of the diagonal indicate that the resulting PG by algorithm reported on the  $y$ -axis has a higher order than the same result with the algorithm on the  $x$ -axis, and the opposite for values below the diagonal.

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<sup>5</sup><https://github.com/OpenChemistry/avogadrolibs/blob/master/avogadro/qtplugins/symmetry/symmetrywidget.cpp>

In the big majority of structures, the algorithms agree among each other in the resulting PG, there are however some cases of different results. In the following sections we analyze the cases of differences, mainly from the point of view of SOFI. That is, we are not interested in analysing and resolving each particular problematic case of every algorithm, but rather only those where there is a difference with respect to SOFI. In cases where SOFI finds a lower-order PG, we find the value of tolerance needed by SOFI to obtain the same PG. In the opposite case, we do not perform any further computation. Due to this, the comparison tests performed here cannot be viewed as fair benchmarking of algorithms, but merely as a way to expose the performance of SOFI, by means of comparison to other established algorithms.

The Sections 3.1, 3.2, and 3.3 contain the comparisons to SYVA, SymMol, and libmsysm, respectively. The Section 5 lists the results of all algorithms and structures used in the test. The summary of reported failures is provided in the Tab. S8.

### 3.1 Comparison with SYVA

The SYVA software is by implementation limited to max 250 atoms, we thus ignore all structures with more than 250 atoms, they are not included in the following analysis.

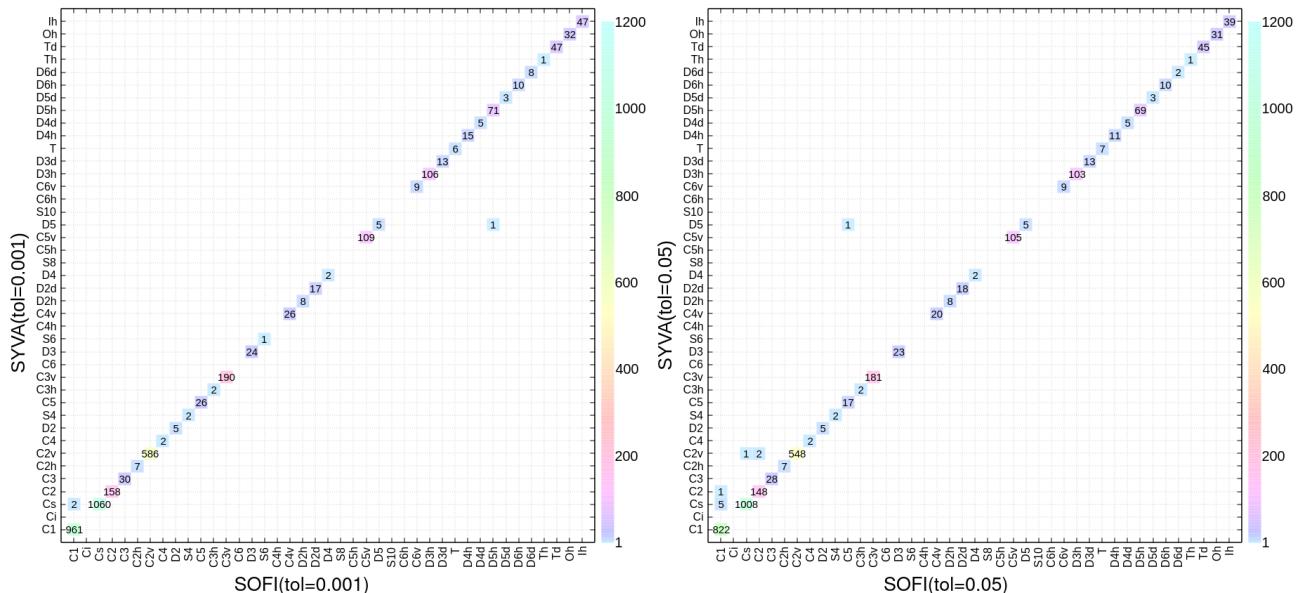


Figure S1: Comparison of SYVA and SOFI at (left)  $\text{tol} = 0.001$ , and (right)  $\text{tol} = 0.05$ .

### 3.1.1 Value $tol = 0.001$

The case with  $tol = 0.001$  is shown on Fig. S1(left). All the resulting PGs agree with the result of SYVA( $tol = 0.001$ ), except the five cases listed in Tab. S1, which we analyzed further:

set	struc name	SYVA	$N_{op}$	SOFI	$N_{op}$	dot product	needed tol
glue_Pb	54	–	0	S10	10	1.00000	
gupta/Co	174	Cs	2	C1	1	1.00000	0.00131
gupta/Co	183	–	0	C2	2	1.00000	
gupta/Co	190	D5	10	D5h	20	1.00000	
QLJ	75A	Cs	2	C1	1	0.96203	0.0014

Table S1: Cases of different results between SYVA and SOFI at  $tol = 0.001$ . There are two cases of failure by SYVA. In cases where SYVA has found a PG with a higher order, the column labelled "needed tol" indicates the value of  $tol$  such that SOFI( $tol$ ) retrieves the same PG as SYVA.

- structure glue\_Pb:54, SYVA reports "unable to determine PG", however the symmetry operations that it reports correspond to point group S10. SOFI reports group S10.

- structure Gupta/Co:174, SYVA reports group Cs, while SOFI reports group C1. The S0 symmetry operation that is missed by SOFI( $tol = 0.001$ ) is found with SOFI( $tol = 0.00131$ ).
- structure Gupta/Co:183, SYVA reports 3 symmetry operations, but reports a failure to find PG. SOFI( $tol = 0.001$ ) reports 2 symmetry operations and the group C2. The extra symmetry operation found by SYVA( $tol = 0.001$ ) is found by SOFI( $tol = 0.0012$ ), which finds an additional symmetry for the group C2v.
- structure Gupta/Co:190, SYVA find D5, SOFI finds D5d-, and D5h after combinations, with maximal distortion value 0.0012.
- structure QLJ:71A, SYVA finds Cs, SOFI finds C1. The S0 symmetry missed by SOFI( $tol = 0.001$ ) is retrieved with SOFI( $tol = 0.0014$ ).

Upon some analysis of the SYVA source code, we find a table of hard-coded point groups, and the group S10 is not among them (see file `blockdata.f` in SYVA source). It also seems like SYVA does not attempt to deal with slightly broken symmetries (as in structure Gupta/Co:183), but instead directly reports a failure.

Henceforth we skip listing and analysing any of the reported failures.

### 3.1.2 Value $tol = 0.05$

set	struc name	SYVA	$N_{op}$	SOFI	$N_{op}$	dot product	needed tol
glue_Al	134	C2v	4	C2	2	1.00000	0.059
glue_Al	181	C2v	4	Cs	2	1.00000	0.062
glue_Al	183	Cs	2	C1	1	1.00000	0.061
gupta/Co	37	C2	2	C1	1	0.99998	0.051
gupta/Na	246	D5	10	C5	5	1.00000	0.051
murrel-mottram/Na	109	Cs	2	C1	1		
murrel-mottram/Na	112	Cs	2	C1	1		
murrel-mottram/Na	113	Cs	2	C1	1		
murrel-mottram/Na	120	C2v	4	C2	2	1.00000	
NaCl_N/CBM	15	Cs	2	C1	1		

Table S2: Cases of different results between SYVA and SOFI at  $tol = 0.05$ . There are 290 cases of failure by SYVA. In cases where SYVA has found a PG with a higher order, the column labelled "needed tol" indicates the value of  $tol$  such that SOFI( $tol$ ) retrieves the same PG as SYVA.

In the case of  $tol = 0.05$ , the number of differences between SYVA and SOFI is 10. The number of failures reported by SYVA( $tol = 0.05$ ) is 290, without counting the structures with more than 250 atoms. The cases of different results are given in the Tab. S2.

In the last 5 cases of the Tab. S2 (the murrel-mottram and NaCl\_N cases), SYVA has returned a PG of higher order than SOFI, and we were not able to determine the value of  $tol$  for which SOFI( $tol$ ) would retrieve the same groups. Upon further inspection into these cases, the symmetry operations in the SYVA output seem unconventional, for example the reported axes of symmetry are far from normalized (normally the axes output by SYVA are normalized), the angles of rotation have peculiar values such as 179.95 degrees (which we have not observed in other SYVA outputs). These observations make us suspect a possible (unknown) software bug in SYVA, which might be further supported by the fact that none of the included software reports the groups found by SYVA for these structures, at any tolerance value (see the complete results in Sec. 5, namely the corresponding entries in Tables S45, S46, and S50). In fact, all other software agree in the resulting PG.

## 3.2 Comparison with SymMol

In some cases, the SymMol software seems to get trapped in what appears to be an infinite loop (a process that never terminates). To mitigate this, we constrain every call to SymMol with a timeout value of 10 seconds. If a computation takes more than 10 seconds, the call is terminated and result recorded as failure.

SymMol software labels the S6 group as C3i. We have changed all occurrences of C3i in the results into S6, a-posteriori.

### 3.2.1 Value $tol = 0.001$

The number of different results between SymMol( $tol = 0.001$ ) and SOFI( $tol = 0.001$ ) is 225, where in all cases SOFI has found a higher order PG than SymMol. On top of that, the number of cases where SymMol fails due to the timeout constraint is 112. We skip listing all these cases here, but they could easily be filtered from all the results.

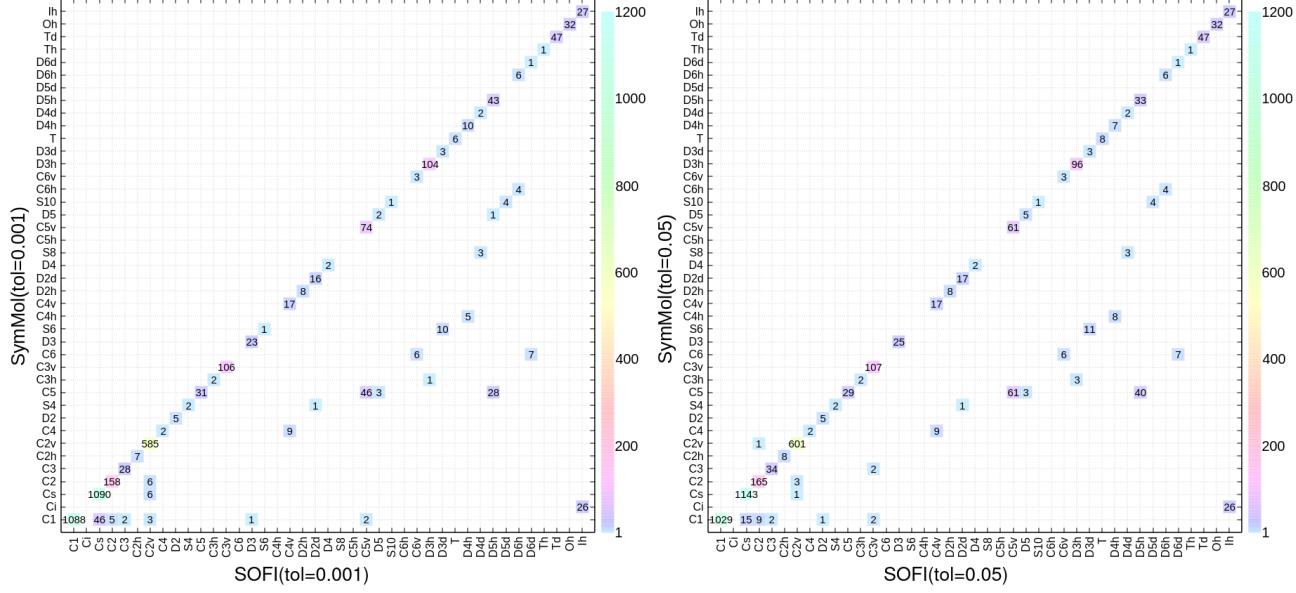


Figure S2: Comparison of SymMol and SOFI at (left)  $tol = 0.001$ , and (right)  $tol = 0.05$ .

### 3.2.2 value $tol = 0.05$

set	struc name	SymMol	$N_{op}$	SOFI	$N_{op}$	dot product	needed tol
glue_A1	134	C2v	4	C2	2	1.00000	0.059

Table S3: Case of higher-order symmetry obtained by SymMol than SOFI at  $tol = 0.05$ . The column labelled "needed tol" indicates the value of  $tol$  such that SOFI( $tol$ ) retrieves the same PG as SymMol.

The number of different results between SymMol( $tol = 0.05$ ) and SOFI( $tol = 0.05$ ) is 221, where in all cases except for one, SOFI has found a higher order PG than SymMol. The single case where SymMol( $tol = 0.05$ ) found a higher order symmetry is reported in Tab. S3. With the modified tolerance, SOFI( $tol = 0.059$ ) retrieves the C2v group reported by Symmol( $tol = 0.05$ ). On top of that, the number of cases where SymMol fails due to the timeout constraint is 112.

### 3.2.3 General observations

set	name	SYVA 0.001	0.05	SymMol 0.001	0.05	'default'	libmsym 'medium'	'loose'	SOFI 0.001	0.05	dot product
bin_LJ/1.05	55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.98152
bin_LJ/1.1	45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.99961
bin_LJ/1.15	45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.99898
bin_LJ/1.2	45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.97000
bin_LJ/1.25	45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.95774
bin_LJ/1.3	45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.96335
dzugutov	13	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.99682
dzugutov_mod	13	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.93269
gupta/Co	13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.97125
gupta/Na	13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.93316
gupta/Na	297	—	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	1.00000
gupta/Pb	13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.97225
gupta/Pb	54	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.95000
gupta/Pb	55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.95450
LJ	13	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	1.00000
LJ	135	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.91305
LJ	147	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.89257
morse	13A	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.96634
morse	45A	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.98813
morse	55B	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.94555
morse	147B	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.97282
sutton_9_6	13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.98001
sutton_9_6	55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.98488
sutton_10_8	13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.99522
sutton_12_6	13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.94451
sutton_12_6	55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.97111

Table S4: Cases where SymMol fails to recognize the Ih point group.

It is worth noting that the SymMol algorithm seems to have some trouble in recognising the Ih group. Out of 53 structures in the dataset where Ih group appears, SymMol only recognizes 27 of them correctly, even when all other algorithms seem to agree on the Ih group. Moreover, SymMol systematically labels these as the Ci group. All such

cases are noted in the Tab. S4. It is also worth noting that in many of these cases, the value of "dot product", which is the maximal scalar product between the symmetry axes and the principal axes of inertia, is below 1.0. This is significant since there are 6 principal axes of symmetry in the Ih group, and none of them seem to perfectly align with any of the principal axes of inertia. Based on this data, one could make a statement about the idea of basing the identification of symmetry axes solely on the inertial axes, or more precisely a statement about the ambiguity of such procedure.

### 3.3 Comparison with libmsym

Since the libmsym software has a completely different definition of tolerance, we cannot directly compare the obtained value. We thus compare each of the three sets of tolerance values used in libmsym, with each of the two tolerance values used in SOFI.

#### 3.3.1 libmsym( $tol = "default"$ )

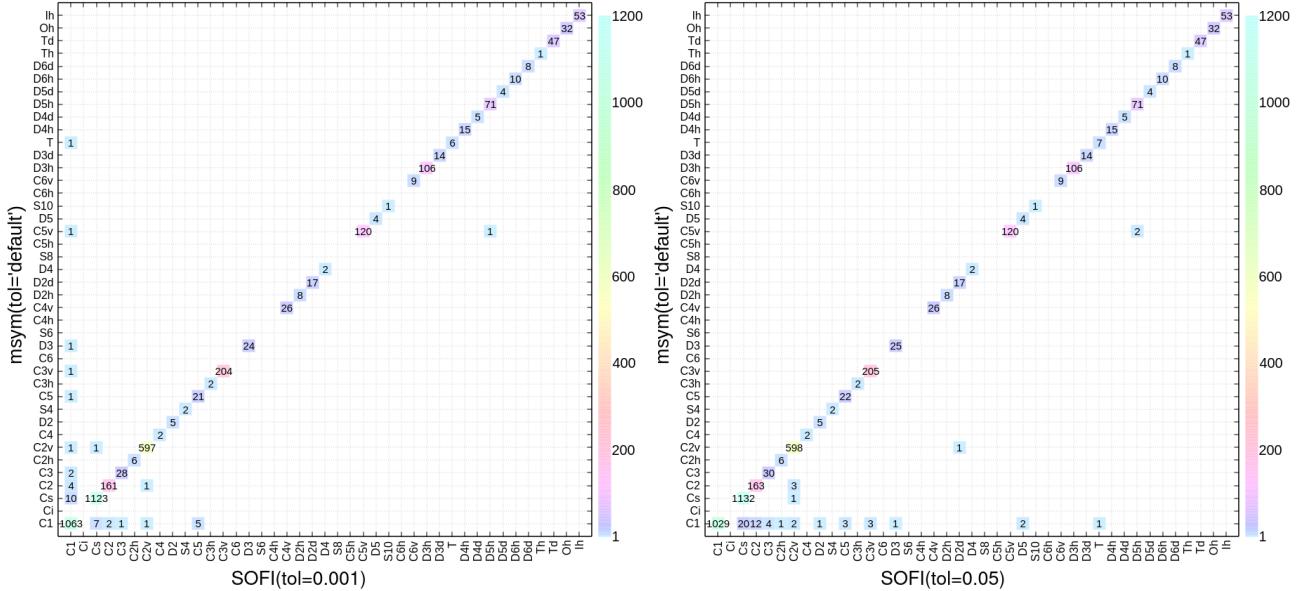


Figure S3: Comparison of libmsym( $tol = "default"$ ) with (left) SOFI( $tol = 0.001$ ), and (right) SOFI( $tol = 0.05$ ).

There are 20 cases of failure of libmsym( $tol = "default"$ ), the number of cases where SOFI( $tol = 0.001$ ) found a higher-order PG than libmsym( $tol = "default"$ ) is 18, while in 23 cases libmsym( $tol = "default"$ ) found a higher-order PG. The latter 23 cases are listed in Tab. S5. We can observe that SOFI can retrieve the PG found by libmsym in all the cases, by setting a slightly higher tolerance value.

In case of SOFI( $tol = 0.05$ ), there are 57 differences with respect to libmsym( $tol = "default"$ ), in all of which SOFI has found a higher-order PG than libmsym.

#### 3.3.2 libmsym( $tol = "medium"$ )

At the "medium" tolerance level, libmsym reports a failure for 227 cases. The number of cases where SOFI( $tol = 0.001$ ) produces a higher-order PG than libmsym( $tol = "medium"$ ) is 33, while vice-versa the number of cases is 28. The latter 28 cases are reported in Tab. S6.

With SOFI( $tol = 0.05$ ) there are 58 cases where SOFI finds a higher-order PG, and 3 cases where libmsym( $tol = "medium"$ ) finds a higher-order PG. These 3 cases can be inferred from Tab. S6, as the cases where "needed tol" is beyond 0.05, namely structures in the glue\_Al set, 79, 134, and 183. It can be observed that all of those can be retrieved in SOFI by raising the tolerance.

#### 3.3.3 libmsym( $tol = "loose"$ )

With the libmsym( $tol = "loose"$ ), there are 782 failures reported by libmsym. In 82 cases SOFI( $tol = 0.001$ ) has found higher-order PG, while in 37 cases libmsym( $tol = "loose"$ ) found a high-order PG.

set	struc name	libmsym	$N_{op}$	SOFI	$N_{op}$	dot product	needed tol
gupta/Co		Cs	2	C1	1	1.00000	0.0014
gupta/Co		Cs	2	C1	1	1.00000	0.0035
gupta/Co		Cs	2	C1	1	1.00000	0.0021
gupta/Co		Cs	2	C1	1	1.00000	0.0020
murrel-mottram/Na	40	Cs	2	C1	1	1.00000	0.0032
murrel-mottram/Na	99	C2	2	C1	1	0.99994	0.0051
murrel-mottram/Na	107	C2	2	C1	1	1.00000	0.0067
murrel-mottram/Na	111	C5	5	C1	1	1.00000	0.0015
murrel-mottram/Na	132	Cs	2	C1	1	1.00000	0.0078
murrel-mottram/Na	152	Cs	2	C1	1	1.00000	0.0026
murrel-mottram/Na	153	C3v	6	C1	1	1.00000	0.0026
murrel-mottram/Na	154	Cs	2	C1	1	1.00000	0.0015
murrel-mottram/Na	157	C2v	4	C1	1	1.00000	0.0038
murrel-mottram/Na	158	Cs	2	C1	1	1.00000	0.002
murrel-mottram/Na	182	C2	2	C1	1	1.00000	0.0026
murrel-mottram/Na	207	C3	3	C1	1	1.00000	0.0035
murrel-mottram/Na	216	T	12	C1	1	0.95174	0.0032
murrel-mottram/Na	222	C3	3	C1	1	1.00000	0.0024
murrel-mottram/Na	232	D3	6	C1	1	1.00000	0.0014
murrel-mottram/Na	242	C2	2	C1	1	1.00000	0.0029
murrel-mottram/Na	321	Cs	2	C1	1	1.00000	0.0017
murrel-mottram/Na	327	C2v	4	Cs	2	1.00000	0.002
QLJ	75A	C5v	10	C1	1	1.00000	0.0053

Table S5: Cases of higher-order symmetry obtained by libmsym( $tol = "default"$ ) than SOFI( $tol = 0.001$ ). The column labelled "needed tol" indicates the value of  $tol$  such that SOFI( $tol$ ) retrieves the same PG as libmsym.

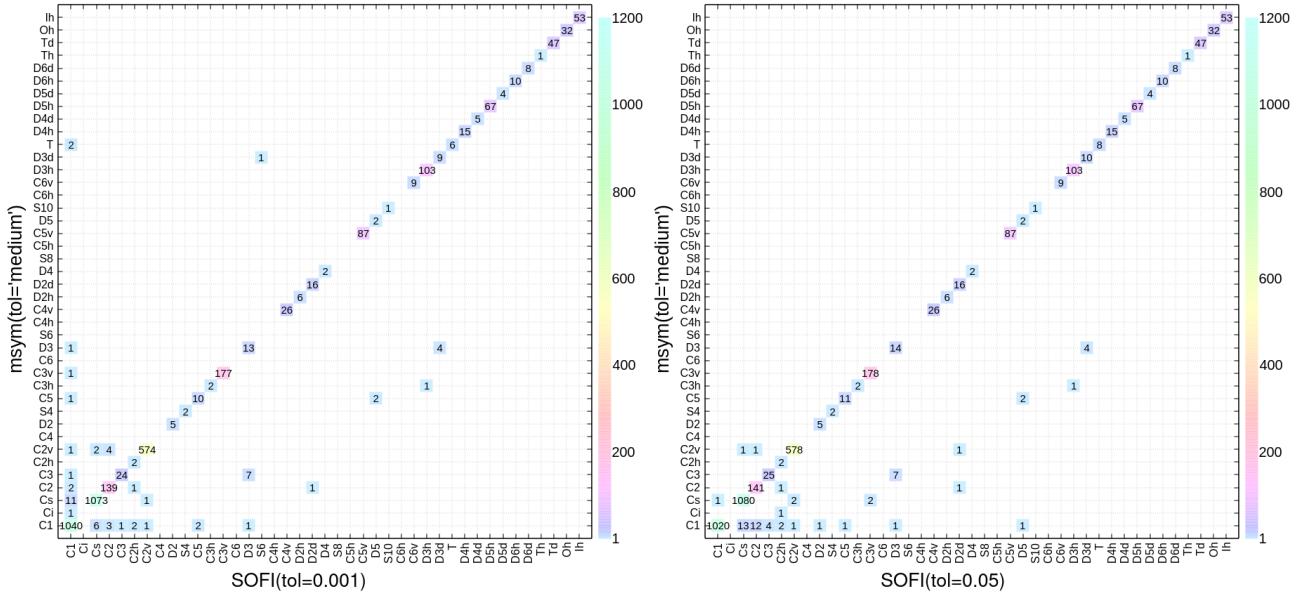


Figure S4: Comparison of libmsym( $tol = "medium"$ ) with (left) SOFI( $tol = 0.001$ ), and (right) SOFI( $tol = 0.05$ ).

When using SOFI( $tol = 0.05$ ), there are 93 cases where SOFI finds a higher-order PG, and 13 cases where libmsym( $tol = "loose"$ ) finds a higher-order PG. All these 13 cases can be inferred from Tab. S7, as cases where the "needed tol" exceeds 0.05. It can also be observed that for all these cases, SOFI can retrieve the higher-order PG with an appropriate value of  $tol$ .

set	struc name	libmsym	$N_{op}$	SOFI	$N_{op}$	dot product	needed tol
bin_LJ/1.1		D3d	12	S6	6	1.00000	0.024
glue_A1		C2v	4	C2	2	1.00000	0.0047
glue_A1		C2v	4	Cs	2	0.99984	0.0908
glue_A1		C2v	4	C2	2	1.00000	0.0432
glue_A1		C2v	4	C2	2	1.00000	0.0589
glue_A1		Cs	2	C1	1	1.00000	0.0609
gupta/Co		Cs	2	C1	1	1.00000	0.0014
gupta/Co		Cs	2	C1	1	1.00000	0.0036
gupta/Co		Cs	2	C1	1	1.00000	0.0021
gupta/Co		Cs	2	C1	1	1.00000	0.0013
murrel-mottram/Na		Cs	2	C1	1	1.00000	0.0020
murrel-mottram/Na		Cs	2	C1	1	1.00000	0.0032
murrel-mottram/Na		C2	2	C1	1	1.00000	0.0116
murrel-mottram/Na		D3	6	C1	1	1.00000	0.0159
murrel-mottram/Na		T	12	C1	1	0.98969	0.0195
murrel-mottram/Na		C2	2	C1	1	1.00000	0.0067
murrel-mottram/Na		C5	5	C1	1	1.00000	0.0015
murrel-mottram/Na		Cs	2	C1	1	1.00000	0.0078
murrel-mottram/Na		C3v	6	C1	1	1.00000	0.0026
murrel-mottram/Na		C2v	4	C1	1	1.00000	0.0038
murrel-mottram/Na		Ci	2	C1	1	1.00000	0.0046
murrel-mottram/Na		T	12	C1	1	0.95174	0.0032
murrel-mottram/Na		C3	3	C1	1	1.00000	0.0024
murrel-mottram/Na		Cs	2	C1	1	1.00000	0.0012
murrel-mottram/Na		Cs	2	C1	1	1.00000	0.0017
murrel-mottram/Na		Cs	2	C1	1	0.99996	0.0056
murrel-mottram/Na		Cs	2	C1	1	1.00000	0.0012
murrel-mottram/Na		C2v	4	Cs	2	1.00000	0.0020

Table S6: Cases of higher-order PG obtained by libmsym( $tol = "medium"$ ) than SOFI( $tol = 0.001$ ). The column labelled "needed tol" indicates the value of  $tol$  such that SOFI( $tol$ ) retrieves the same PG as libmsym.

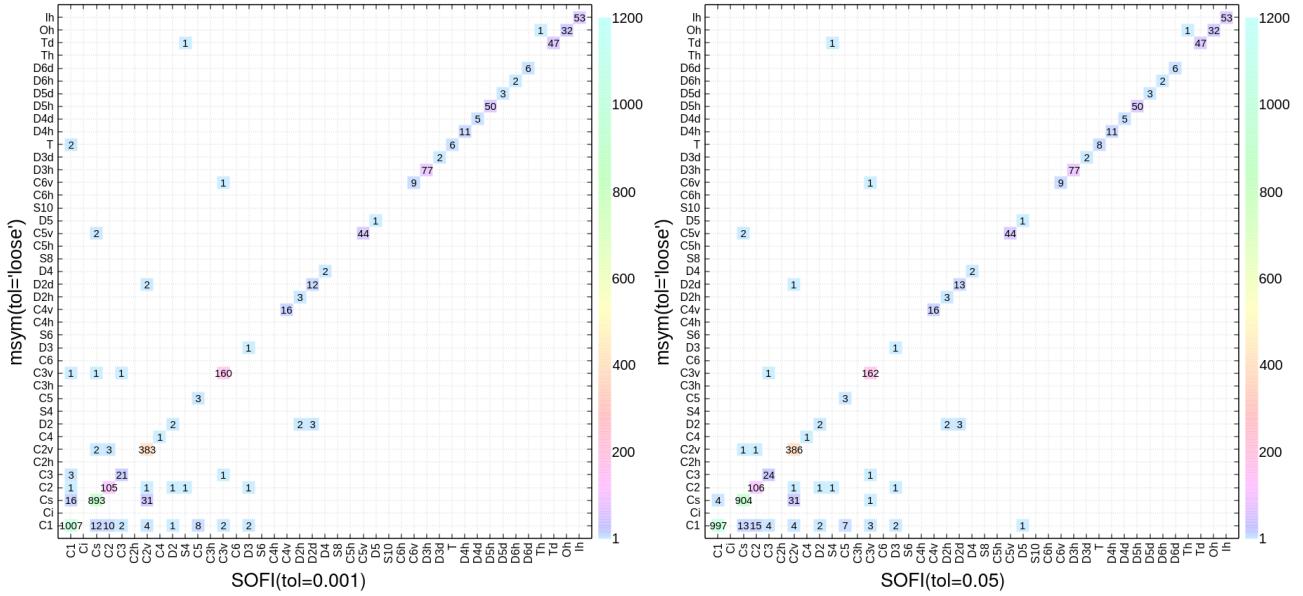


Figure S5: Comparison of libmsym( $tol = "loose"$ ) with (left) SOFI( $tol = 0.001$ ), and (right) SOFI( $tol = 0.05$ ).

## 4 Discussion

The tolerance value as defined and used by SYVA, SymMol, and SOFI is based on real distances between the atoms. Thus, such value can scale with the scale of the structure (interatomic distances). As noted in the main article of SOFI, as a rule of thumb, the tolerance value can be chosen as up to about half the nearest neighbor distance. In all the structures included in the present comparison test, the nearest neighbor distance is well beyond the used tolerance values  $tol = 0.001$  and  $tol = 0.05$ . This comparison test does not go deeper into investigation of the tolerance value, or its relationship to the nearest neighbor distance. A preprocessing procedure to determine the largest sensible tolerance value could potentially be very useful for these algorithms, since it could be used to determine the highest-order PG of a structure, from which the subgroups with a more stringent tolerance could easily be extracted by a postprocessing.

Throughout the test, we observe minor differences in the values of distortion (i.e. score, or distance), in terms of the distance value, for the symmetry operations reported by different algorithms (where the data is available). These could be explained by the different ways algorithms find and set the axes of each symmetry operation, which could result in minor differences in the actual matrix representation of the operation, which in turn leads to small differences in the symmetry-transformed structures, and thus slightly different values of the distance computed between the original, and the symmetry-transformed structure.

It appears that SYVA and libmsym algorithms do not attempt to deal with incomplete groups (in the sense

set	struc name	libmsym	$N_{op}$	SOFI	$N_{op}$	dot product	needed tol
bin_LJ/1.15	71	Cs	2	C1	1	0.95403	0.27549
C60	12	C5v	10	Cs	2	1.00000	0.2268
finnis-sinclair/Mo	8	D2d	8	C2v	4	1.00000	0.0590
finnis-sinclair/Mo	26	Td	24	S4	4	0.81061	0.1886
finnis-sinclair/Mo	27	Cs	2	C1	1	1.00000	0.1999
finnis-sinclair/Mo	29	C2v	4	C2	2	1.00000	0.2743
finnis-sinclair/Mo	31	C3	3	C1	1	0.99905	0.0409
finnis-sinclair/Mo	41	Cs	2	C1	1	0.99977	0.2409
finnis-sinclair/Mo	48	C3v	6	C3	3	1.00000	0.1860
glue_Pb	8	D2d	8	C2v	4	1.00000	0.0426
glue_Pb	26	C2v	4	Cs	2	1.00000	0.5462
glue_Pb	98	Cs	2	C1	1	0.76817	0.2175
glue_Al	70	C2v	4	C2	2	1.00000	0.0047
glue_Al	77	C6v	12	C3v	6	1.00000	0.0905
glue_Al	96	C2v	4	C2	2	1.00000	0.0432
gupta/Co	179	Cs	2	C1	1	1.00000	0.0021
gupta/Co	184	Cs	2	C1	1	1.00000	0.0020
gupta/Co	189	Cs	2	C1	1	1.00000	0.0011
gupta/Na	38	Oh	48	Th	24	0.70421	0.1677
morse	11D	C2v	4	Cs	2	0.99983	0.0463
morse	12C	C5v	10	Cs	2	1.00000	0.0767
murrel-mottram/Na	89	C3	3	C1	1	0.99991	0.0110
murrel-mottram/Na	92	T	12	C1	1	0.98969	0.0195
murrel-mottram/Na	104	C2	2	C1	1	0.99999	0.0267
murrel-mottram/Na	119	Cs	2	C1	1	0.99992	0.0216
murrel-mottram/Na	132	Cs	2	C1	1	1.00000	0.0078
murrel-mottram/Na	151	Cs	2	C1	1	0.99839	0.0087
murrel-mottram/Na	152	Cs	2	C1	1	1.00000	0.0026
murrel-mottram/Na	153	C3v	6	C1	1	1.00000	0.0026
murrel-mottram/Na	154	Cs	2	C1	1	1.00000	0.0015
murrel-mottram/Na	156	Cs	2	C1	1	0.99810	0.0095
murrel-mottram/Na	207	C3	3	C1	1	1.00000	0.0035
murrel-mottram/Na	216	T	12	C1	1	0.95174	0.0033
murrel-mottram/Na	318	Cs	2	C1	1	1.00000	0.0012
murrel-mottram/Na	319	C3v	6	Cs	2	1.00000	0.0434
murrel-mottram/Na	321	Cs	2	C1	1	1.00000	0.0017
murrel-mottram/Na	324	Cs	2	C1	1	0.99996	0.0056

Table S7: Cases of higher-order PG obtained by libmsym( $tol = "loose"$ ) than SOFI( $tol = 0.001$ ). The column labelled "needed tol" indicates the value of  $tol$  such that SOFI( $tol$ ) retrieves the same PG as libmsym.

set	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI	
	0.001	0.05	0.001	0.05				0.001	0.05
bin_LJ/1.05	0	0	3	3	0	1	6	0	0
bin_LJ/1.1	0	0	2	2	1	2	11	0	0
bin_LJ/1.15	0	0	2	2	0	2	13	0	0
bin_LJ/1.2	0	0	4	3	0	0	11	0	0
bin_LJ/1.25	0	0	3	4	0	3	21	0	0
bin_LJ/1.3	0	0	2	3	0	2	18	0	0
C60	0	0	3	2	0	4	7	0	0
C60_pacheco	0	92	1	1	0	3	24	0	0
dzugutov	0	0	1	0	0	0	16	0	0
dzugutov_mod	0	0	4	3	2	20	64	0	0
finnis-sinclair/Fe	0	0	2	2	0	1	9	0	0
finnis-sinclair/Mo	0	0	1	1	0	5	18	0	0
glue_Pb	1	13	5	3	0	5	19	0	0
glue_Al	0	0	4	3	1	12	37	0	0
gupta/Cd	0	1	0	0	0	2	8	0	0
gupta/Co	1	1	9	9	1	20	62	0	0
gupta/Na	0	2	20	21	6	48	142	0	0
gupta/Pb	0	2	4	3	0	5	31	0	0
gupta/Zn	0	1	1	0	0	1	8	0	0
LJ	0	0	8	8	0	11	36	0	0
morse	0	2	12	12	0	13	58	0	0
murrel-mottram/Na	0	132	13	12	9	57	100	0	0
NaCl_N/welch	0	21	0	0	0	0	6	0	0
NaCl_N/CBM	0	19	0	0	0	0	4	0	0
QLJ	0	0	0	0	0	3	6	0	0
sutton_9_6	0	2	2	3	0	3	17	0	0
sutton_10_8	0	1	1	1	0	2	16	0	0
sutton_12_6	0	1	5	6	0	2	14	0	0
total	2	290	112	107	20	227	782	0	0

Table S8: The count of failures of each algorithm and tolerance value used. Failures are counted only for cases when the output of an algorithm actually reports a failure, or the program crashes. For SYVA, the count does not include structures with more than 250 atoms. For SymMol the count includes cases of timed-out computations.

of group completeness), but rather just report a failure. On the other hand, it is possible that SymMol performs combinations of elements with the goal of group completeness. We have not found a routine explicitly dedicated to that in SymMol, but we also did not spend much time investigating the source code. In SOFI, the incomplete groups are explicitly labelled with + or - signs, which are related to the number of actual elements, and the expected number of elements for a PG identified via flowchart. These cases can optionally be explicitly made into complete groups, via combinations of the symmetry elements.

The comparison tests performed in this paper show that the developed SOFI algorithm is capable of identifying the PG symmetry in atomic structures. Among all the structures and tolerance values included in the test, there is no case of failure of SOFI, contrary to other algorithms (See Tab. S8). In all cases of disagreement between algorithms, SOFI is capable to find a PG of the same order, or higher, when computed with an appropriate tolerance value.

## 5 All results

The following Tables contain the results by each algorithm used, at each tolerance value, for each structure in the dataset. The first column reports the exact name of the structure as it appears in the dataset, the column marked "diff" contains an exclamation mark (!) if there is a disagreement between the algorithms, and the letter "M" if the PG assignment changes with raising the threshold value.

They are separated by dataset, as follows. Bin LJ results in Tab. [S9](#), [S10](#), [S11](#), [S12](#), [S13](#), and [S14](#). C60 and C60-Pacheco results in Tab [S15](#), and [S16](#). Dzugutov and Dzugutov\_mod results in Tab. [S17](#), [S18](#), [S19](#), and [S20](#). Finnis-Sinclair results in Tab [S21](#) and [S22](#). Glue results in Tab [S23](#), and [S25](#). Gupta results in Tab [S27](#), [S28](#), [S29](#), [S30](#), [S31](#), [S32](#), [S33](#), [S34](#), [S35](#), [S36](#), [S37](#), and [S38](#). LJ results in Tab. [S39](#), and [S40](#). Morse results in Tab [S41](#), [S42](#), [S43](#), and [S44](#). Murrel-Mottram in Tab [S45](#), [S46](#), [S47](#), [S48](#). NaClN results in Tab. [S49](#), and [S50](#). Quantum LJ results in Tab. [S51](#). Sutton results in Tab [S52](#), [S53](#), and [S54](#).

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.99906	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
18	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
19	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.89941	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	1.00000	
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
35	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
39	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
46	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
48	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
49	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
52	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
53	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	1.00000	
54	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	1.00000	!
55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.98791	
56	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
57	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
58	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
59	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
60	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
61	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
65	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
67	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
70	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	1.00000	!
71	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	1.00000	!
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
75	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
81	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
82	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
84	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
86	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
87	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
88	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
92	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
93	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	!
94	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
95	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
96	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S9: Dataset: bin\_LJ/1.05, part 1.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
7	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
8	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
9	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.95688	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
18	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
19	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
22	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
23	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.99856	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
34	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000
35	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
38	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
39	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
41	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
43	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000
44	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000
45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	Ih	0.99949
46	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
48	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000
49	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
51	D6d	D6d	C6	C6	D6d	D6d	—	D6d	D6d	!	1.00000
52	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
53	C2	C2	C2	C2	C2	—	C2	C2	C2	C2	1.00000
54	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000
55	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
56	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000
57	Td	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.86483
58	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000
59	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
60	C3v	C3v	—	—	C3v	C3v	—	C3v	C3v	C3v	1.00000
61	Td	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.88139
62	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
64	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
65	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
67	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
71	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
75	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
79	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
80	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
82	S6	D3d	S6	S6	—	D3d	—	S6	D3d	!	M
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
88	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
89	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
91	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
92	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
94	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
95	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	C2v	1.00000
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000

Table S10: Dataset: bin\_LJ/1.1, part 1.

name	SYVA		SymMol		'default'	libmsym	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05					0.001	0.05		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
7	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
8	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
11	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
12	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.91992	
14	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
17	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
18	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
19	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.94640	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
35	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
39	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
42	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
43	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
44	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	C5v	! 1.00000	
45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	Ih	0.99851	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
49	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
53	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
55	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
56	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
57	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
58	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
59	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
60	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
61	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
64	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
65	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
67	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
74	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
80	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
82	D2h	D2h	D2h	D2h	D2h	D2h	D2h	D2h	D2	D2h	! 1.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
87	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
88	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
90	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
91	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
92	C2h	C2h	C2h	C2h	C2h	C2h	C2h	C2h	—	C2h	C2h	1.00000
93	C1	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
95	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
97	C1	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
98	C2	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
100	D3	D3	D3	D3	D3	D3	D3	C3	C1	D3	D3	! 1.00000

Table S11: Dataset: bin\_LJ/1.15, part 1.

name	SYVA		SymMol		'default'	libmsym	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
7	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
8	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
9	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
10	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
11	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
12	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
13	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
18	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
19	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
20	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
21	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	1.00000	
24	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
25	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
27	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
30	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
35	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
39	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	! 1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
42	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
43	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	1.00000	
44	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	! 1.00000	
45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	! 0.95604	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
49	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
50	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
53	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
55	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	! 1.00000
56	D5h	D5h	C5	C5	D5h	D5h	D5h	—	D5h	D5h	! 1.00000
57	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
58	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
59	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
60	C1	C1	—	C1	C1	C1	C1	C1	C1	C1	0.00000
61	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
62	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
64	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
65	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
70	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
71	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
74	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
75	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
76	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
79	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
82	D2h	D2h	D2h	D2h	D2h	D2h	D2h	D2	D2h	D2h	! 1.00000
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
84	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
85	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
88	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
90	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
91	C3v	C3v	—	—	C3v	C3v	—	C3v	C3v	1.00000	
92	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
95	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000

Table S12: Dataset: bin\_LJ/1.2, part 1.

name	SYVA		SymMol		'default'	'libmsym'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
7	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
8	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
9	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
10	D3h	D3h	D3h	—	D3h	—	D3h	D3h	D3h	1.00000	
11	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
12	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
13	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
14	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
18	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
19	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
20	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
21	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
30	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
35	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
39	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
42	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
43	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
44	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.95488	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
49	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
50	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
53	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
55	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
56	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
57	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
58	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
59	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
60	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
61	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
62	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
63	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
64	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
65	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
69	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
74	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
76	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
78	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
79	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
82	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
84	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
85	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
86	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
87	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
88	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
89	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
92	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
95	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S13: Dataset: bin\_LJ/1.25, part 1.

name	SYVA		SymMol		'default'	'libmsym medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05				0.001	0.05			
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
6	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000		
7	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
8	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
10	D3h	D3h	D3h	—	D3h	D3h	D3h	D3h	D3h	1.00000		
11	D4d	D4d	S8	S8	D4d	D4d	D4d	D4d	D4d	1.00000		
12	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
13	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000		
14	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
15	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
16	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
17	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
18	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000		
19	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000		
20	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
25	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
26	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000		
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
29	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
30	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
32	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
34	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000		
35	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
38	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
39	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
42	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
43	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
44	C5v	C5v	C5	C5	C5v	—	—	C5v	C5v	! 1.00000		
45	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.96564		
46	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
48	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
49	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
51	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
52	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
53	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
54	D5h	D5h	C5	C5	D5h	D5h	—	D5h	D5h	! 1.00000		
55	C5v	C5v	C5	C5	C5v	C5v	—	C5v	C5v	! 1.00000		
56	D5h	D5h	C5	C5	D5h	D5h	—	D5h	D5h	! 1.00000		
57	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
58	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
59	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
60	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
61	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
62	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000	
63	C3v	C3v	—	—	C3v	C3v	—	C3v	C3v	1.00000		
64	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
65	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
66	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.89647		
67	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
69	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
71	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
74	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
76	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
78	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
79	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
80	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
82	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
84	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
86	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
87	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
88	D6h	D6h	D6h	D6h	D6h	D6h	—	D6h	D6h	1.00000		
89	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
90	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000		
91	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000		
92	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
93	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
95	C2v	C2v	C2v	C2v	C2v	C2v	—	—	C2v	C2v	1.00000	
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		

Table S14: Dataset: bin\_LJ/1.3, part 1.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	1.00000	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
12	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	!
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.98239	
14	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
17	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
18	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	!
19	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
22	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
23	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
24	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
25	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
26	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
30	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
31	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
32	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
33	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
34	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
35	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
36	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
37	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
38	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99846	
39	C4v	C4v	C4	C4	C4v	C4v	C4v	C4v	C4v	1.00000	!
40	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
41	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
44	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
49	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
51	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
52	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
53	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
55	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
56	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
57	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
58	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
59	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.99983	
60	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
61	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
62	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
64	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
65	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
68	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	C5v	C5v	C5	C5	C5v	—	—	C5v	C5v	1.00000	
75	D5h	D5h	D5h	C5	D5h	—	—	D5h	D5h	1.00000	!
76	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
77	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	!
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	D3h	D3h	—	—	D3h	D3h	D3h	D3h	D3h	1.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	

Table S15: Dataset: C60, part 1.

name	SYVA		SymMol		'default'	'libmsym medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.99800	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.97056	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.97445	
14	C3v	-	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
17	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
18	D5h	-	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
19	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
20	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
22	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
23	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
24	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
25	C3v	-	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
26	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
27	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D5h	-	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
30	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
32	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
33	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
34	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
35	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
36	C1	-	-	C1	C1	C1	C1	C1	C1	0.00000	
37	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
38	Oh	-	Oh	Oh	Oh	Oh	Oh	Oh	Oh	1.00000	
39	C4v	-	C4	C4	C4v	C4v	C4v	C4v	C4v	1.00000	
40	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
41	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
42	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
44	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
46	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
48	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
49	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50	D3h	-	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
51	Cs	-	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
52	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
53	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
55	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
56	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
57	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
58	D3h	-	D3h	D3h	D3h	D3h	D3h	-	D3h	D3h	1.00000
59	Td	-	Td	Td	Td	Td	Td	Td	Td	0.99667	
60	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
61	C3v	-	C3v	C3v	C3v	C3v	-	C3v	C3v	1.00000	
62	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
63	Cs	-	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
64	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
65	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
66	Cs	-	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
67	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
68	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
72	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
73	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	C5v	-	C5	C5	C5v	C5v	-	C5v	C5v	1.00000	
75	D5h	-	D5h	D5h	D5h	D5h	-	D5h	D5h	1.00000	
76	Cs	-	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
77	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
78	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	D3h	-	D3h	-	D3h	D3h	-	D3h	D3h	1.00000	
80	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
81	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
82	C2v	-	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
83	C2v	-	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
84	C2v	-	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
85	C3v	-	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
86	C3v	-	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
87	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
88	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
89	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
90	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	C3v	-	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
92	Cs	-	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
93	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
94	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
95	C2v	-	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
96	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
97	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
99	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
100	Td	-	Td	Td	Td	Td	Td	Td	Td	0.97270	
101	D5h	-	D5h	C5	D5h	D5h	-	D5h	D5h	1.00000	
102	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
103	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
104	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
105	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	

Table S16: Dataset: C60\_pacheco, part 1.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.99481	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.99682	!
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
18	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	1.00000	
25	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
26	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
27	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
29	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
30	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
31	D5h	D5h	D5h	C5	D5h	D5h	D5h	—	D5h	1.00000	!
32	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33	D3d	D3d	S6	S6	D3d	D3d	—	D3d	D3d	1.00000	
34	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000	
35	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
36	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
37	D5d	D5d	S10	S10	D5d	D5d	—	D5d	D5d	1.00000	
38	D6h	D6h	D6h	D6h	D6h	D6h	—	D6h	D6h	1.00000	
39	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
40	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
43	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
49	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
50	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
53	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
54	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
55	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
56	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
57	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.81200	
58	C2h	C2h	C2h	C2h	C2h	C2h	C2h	—	C2h	C2h	1.00000
59	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
60	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
61	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
65	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	D2d	D2d	S4	S4	D2d	D2d	—	D2d	D2d	1.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
74	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
75	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
76	D3d	D3d	S6	S6	D3d	D3d	—	D3d	D3d	1.00000	
77	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
81	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
82	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
86	D3	D3	D3	D3	D3	D3	D3	—	D3	D3	1.00000
87	C1	C1	—	C1	C1	C1	C1	C1	C1	0.00000	
88	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
89	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
90	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
91	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
92	D3	D3	D3	D3	D3	D3	D3	C2	D3	1.00000	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
95	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S17: Dataset: dzugutov, part 1.

name	SYVA 0.001	SYVA 0.05	SymMol 0.001	SymMol 0.05	'default'	libmsym 'medium'	'loose'	SOFI 0.001	SOFI 0.05	diff	dot product
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.93010	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	!	0.93269
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
18	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	!	1.00000
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.83025	
27	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
34	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	!	1.00000
35	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
36	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	D6h	D6h	D6h	D6h	D6h	D6h	D6h	D6h	D6h	1.00000	
39	C6v	C6v	C6	C6	C6v	C6v	C6v	C6v	C6v	!	1.00000
40	D6h	D6h	D6h	D6h	D6h	D6h	D6h	D6h	D6h	!	1.00000
41	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
42	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
49	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
50	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	C1	C1	—	C1	C1	C1	C1	C1	C1	0.00000	
53	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
54	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
55	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
56	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
57	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.80280	
58	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
59	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
60	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
61	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
64	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
65	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
71	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000
75	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
76	D3d	D3d	S6	S6	D3d	D3d	—	D3d	D3d	!	1.00000
77	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
78	C2h	C2h	C2h	C2h	—	—	—	C2h	C2h	1.00000	
79	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
81	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
82	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
88	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
89	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
90	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	1.00000	
91	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
92	C2	C2	C2	C2	C2	C2	C2	—	C2	1.00000	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
94	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	1.00000	
95	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	1.00000	
96	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	1.00000	
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
100	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
101	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
102	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
103	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
104	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
105	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
107	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	1.00000	
108	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
109	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
110	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	1.00000	
111	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	

Table S18: Dataset: dzugutov\_mod, part 1.

name	SYVA		SymMol		'default'	'libmsym 'medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05				0.001	0.05			
112	C2h	C2h	C2h	C2h	C2h	C2	—	C2h	C2h	!	1.00000	
113	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
114	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
115	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
116	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
117	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
118	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
119	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
120	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
121	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
122	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
123	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
124	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
125	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
126	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
127	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
128	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
129	D3d	D3d	S6	S6	D3d	D3	—	D3d	D3d	!	1.00000	
130	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
131	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
132	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
133	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
134	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
135	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
136	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
137	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
138	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
139	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
140	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
141	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
142	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
143	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
144	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
145	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
146	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
147	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
148	D3h	D3h	D3h	D3h	D3h	—	—	D3h	D3h		1.00000	
149	C3v	C3v	—	—	C3v	—	—	C3v	C3v		1.00000	
150	C2v	C2v	C2v	C2v	C2v	—	—	C2v	C2v		1.00000	
151	C2v	C2v	C2v	C2v	C2v	—	—	C2v	C2v		1.00000	
152	Cs	Cs	Cs	Cs	Cs	—	—	Cs	Cs		1.00000	
153	C2	C2	C2	C2	C2	C2	—	C2	C2		1.00000	
154	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
155	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
156	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
157	C2v	C2v	C2	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
158	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
159	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
160	C2	C2	C2	C2	C2	C2	—	C2	C2		1.00000	
161	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
162	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v		1.00000	
163	Cs	Cs	C1	Cs	Cs	—	—	Cs	Cs	!	1.00000	
164	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
165	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
166	Td	Td	Td	Td	Td	Td	Td	Td	Td		0.83919	
167	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v		1.00000	
168	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
169	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	C2v		1.00000	
170	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
171	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
172	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
173	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
174	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
175	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
176	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
177	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
178	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
179	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
180	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
181	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
182	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v		1.00000	
183	C1	C1	C1	C1	C1	C1	—	C1	C1		0.00000	
184	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	!	1.00000	
185	Cs	Cs	C1	Cs	Cs	Cs	—	Cs	Cs		1.00000	
186	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
187	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
188	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
189	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
190	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
191	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
192	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
193	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
194	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
195	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
196	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
197	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
198	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
199	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
200	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
201	C2	C2	C2	C2	C2	C2	—	C2	C2		1.00000	
202	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs		1.00000	
203	D3d	D3d	S6	S6	D3d	D3d	—	D3d	D3d	!	1.00000	
204	C1	C1	C1	C1	C1	C1	—	C1	C1		0.00000	
205	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
206	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
207	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
208	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
209	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
210	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
211	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
212	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
213	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
214	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
215	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
216	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
217	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
218	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
219	C3v	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v		1.00000
220	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
221	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v		1.00000	

Table S19: Dataset: dzugutov\_mod, part 2.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
222	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
223	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
224	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
225	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
226	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
227	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
228	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
229	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
230	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
231	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
232	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
233	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
234	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
235	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
236	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
237	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
238	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
239	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
240	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
241	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
242	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
243	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
244	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
245	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
246	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
247	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
248	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
249	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
250	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S20: Dataset: dzugutov\_mod, part 3.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.72205	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99353	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.96549	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
18	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
24	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
25	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.98393	
27	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
35	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	D6h	D6h	D6h	D6h	D6h	D6h	D6h	—	D6h	D6h	1.00000
39	C6v	C6v	C6	C6	C6v	C6v	C6v	C6v	C6v	1.00000	
40	D6h	D6h	C6h	C6h	D6h	D6h	D6h	D6h	D6h	1.00000	
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
49	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
51	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
52	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
53	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000
55	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
56	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
57	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.97651	
58	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
59	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
60	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
61	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.94438	
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
64	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
65	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
69	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
75	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
76	D6h	D6h	C6h	C6h	D6h	D6h	D6h	—	D6h	D6h	1.00000
77	C6v	C6v	C6	C6	C6v	C6v	C6v	C6v	C6v	1.00000	
78	D6h	D6h	D6h	D6h	D6h	D6h	D6h	—	D6h	D6h	1.00000
79	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
80	C2	C2	C2	C2	C2	C2	C2	C1	C2	1.00000	
81	Cs	Cs	Cs	Cs	Cs	Cs	—	—	Cs	Cs	1.00000
82	D3d	D3d	S6	S6	D3d	D3d	D3d	—	D3d	D3d	1.00000
83	C2v	C2v	Cs	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000
84	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000
85	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
88	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
90	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
91	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
92	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
93	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000
94	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
95	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
99	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000

Table S21: Dataset: finnis-sinclair/Fe, part 1.

name	SYVA		SymMol		'default'	libmsym	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05					0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.94412	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	1.00000	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.98729	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
18	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
20	D3	D3	D3	D3	D3	—	D3	D3	D3	D3	1.00000	
21	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
22	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
24	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
25	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
26	S4	S4	S4	S4	S4	S4	Td	S4	S4	S4	1.00000	
27	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
28	C2	C2	C2	C2	C2	—	C2	C2	C2	C2	1.00000	
29	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
30	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31	C1	C3	C1	C1	C1	—	C3	C1	C3	C3	!M	0.99905
32	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
33	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
34	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
35	D3	D3	D3	D3	D3	D3	D3	D3	D3	D3	1.00000	
36	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
39	D5	D5	C5	C5	D5	D5	D5	D5	D5	D5	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
42	C2	C2	C2	C2	C2	—	C2	C2	C2	C2	1.00000	
43	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
44	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
45	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
46	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C3	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
49	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
52	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
53	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	C5	C5	C5	C5	C5	C5	C5	C5	C5	C5	1.00000	
55	D5	D5	D5	D5	D5	D5	D5	D5	D5	D5	1.00000	
56	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
57	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
58	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
59	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99639	
60	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
61	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
62	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
63	D4h	D4h	C4h	C4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
64	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
65	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
68	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
69	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
70	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
71	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
76	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
77	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
78	D3d	D3d	D3d	D3d	D3d	D3d	D3d	D3d	D3d	D3d	1.00000	
79	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	1.00000	
80	C2h	C2h	C2h	C2h	C2h	C2h	C2h	C2h	C2h	C2h	1.00000	
81	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
82	C2h	C2h	C2h	C2h	C2h	C2h	C2h	C2h	C2h	C2h	1.00000	
83	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	1.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
86	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
88	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
89	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
90	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
91	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
92	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
93	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
94	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
95	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
96	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	1.00000	
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
99	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
100	D2d	D2d	D2d	D2d	D2d	D2d	C2	D2	D2d	D2d	1.00000	

Table S22: Dataset: finnis-sinclair/Mo, part 1.

name	SYVA 0.001	SYVA 0.05	SymMol 0.001	SymMol 0.05	'default'	libmsym 'medium'	'loose'	SOFI 0.001	SOFI 0.05	diff	dot product
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.92867	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99980	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.99686	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
18	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	!
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
24	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
25	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.86872	
27	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	!
34	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	!
35	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	D6h	D6h	D6h	D6h	D6h	D6h	D6h	D6h	D6h	1.00000	
39	C6v	C6v	C6	C6	C6v	C6v	C6v	C6v	C6v	1.00000	!
40	D6h	D6h	C6h	C6h	D6h	D6h	D6h	D6h	D6h	1.00000	!
41	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
42	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
45	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
46	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
49	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
53	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
54	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	!
55	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.97759	
56	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
57	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	!
58	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
59	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	!
60	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
61	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.96580	
62	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
65	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
66	C1	C1	—	C1	C1	C1	C1	C1	C1	0.00000	
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	!
70	C2	C2v	C2	C2	C2	C2v	C2v	C2	C2v	1.00000	M
71	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
75	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
76	D3h	D3h	C3h	C3h	D3h	D3h	D3h	—	D3h	1.00000	!
77	C3v	C3v	—	—	C3v	C3v	C6v	C3v	C3v	1.00000	!
78	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
79	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	1.00000	!
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
82	C2	C2	C2	C2	C2	C2	C2	—	C2	1.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
84	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
85	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
86	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
88	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	D3	D3	D3	D3	D3	C1	—	D3	D3	1.00000	!
92	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
94	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
95	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
96	C2	C2v	C2	C2	C2	C2v	C2v	C2	C2v	1.00000	M
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
101	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
102	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
103	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
104	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
105	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
107	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
108	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
109	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
110	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
111	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S23: Dataset: glue\_Al, part 1.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
112	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
113	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
114	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
115	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
116	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
117	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
118	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
119	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
120	C2	C2	C2	C2	C2	—	C2	C2	C2	1.00000	
121	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
122	C2	C2	C2	C2	C2	—	C2	C2	C2	1.00000	
123	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
124	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
125	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
126	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
127	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
128	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
129	C3	C3	C3	C3	—	—	C3	C3	C3	1.00000	
130	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
131	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
132	C2	C2	C2	C2	C2	C2	C1	C2	C2	!	1.00000
133	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
134	C2	C2v	C2	C2v	C2	C2v	C2v	—	C2	C2	!
135	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
136	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
137	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
138	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
139	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
140	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
141	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
142	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
143	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
144	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
145	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
146	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
147	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.98283
148	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
149	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
150	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
151	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
152	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000
153	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
154	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
155	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
156	C3v	C3v	—	—	C3v	C3v	C3v	—	C3v	C3v	1.00000
157	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
158	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
159	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
160	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000
161	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
162	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
163	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
164	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
165	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
166	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
167	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
168	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
169	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
170	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
171	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
172	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	!
173	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
174	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
175	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
176	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
177	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
178	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
179	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
180	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
181	Cs	C2v	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
182	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
183	C1	Cs	C1	C1	C1	Cs	Cs	—	C1	C1	!
184	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000
185	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
186	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000
187	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
188	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
189	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
190	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000

Table S24: Dataset: glue\_A1, part 2.

name	SYVA 0.001	SYVA 0.05	SymMol 0.001	SymMol 0.05	'default'	libmsym 'medium'	'loose'	SOFI 0.001	SOFI 0.05	diff	dot product	
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.93647		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99985		
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000		
8	C2v	D2d	C2v	D2d	C2v	C2v	D2d	C2v	D2d	1.00000		
9	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
10	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
11	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000		
12	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
13	D5h	D5h	C5	C5	D5h	D5h	—	D5h	D5h	1.00000		
14	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
16	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
17	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
18	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
19	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
21	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
22	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
23	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
24	D2h	D2h	D2h	D2h	D2h	D2h	—	D2h	D2h	1.00000		
25	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
26	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
27	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
28	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
29	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
30	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
31	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
33	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
34	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
35	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
36	D3d	D3d	—	—	D3d	D3d	D3d	D3d	D3d	1.00000		
37	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000		
38	D3d	D3d	D3d	D3d	D3d	D3d	D3d	D3d	D3d	1.00000		
39	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
40	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000		
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
46	C1	C1	—	C1	C1	C1	C1	C1	C1	0.00000		
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
48	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
49	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
50	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
52	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
53	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
54	—	—	S10	S10	S10	S10	S10	—	S10	S10	1.00000	
55	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
56	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
57	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
58	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
59	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
60	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
61	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
62	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
64	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
65	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000		
66	S4	S4	S4	S4	S4	S4	S4	S4	S4	1.00000		
67	C1	C1	—	C1	C1	C1	C1	C1	C1	0.00000		
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
70	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
71	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
74	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
76	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
78	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
79	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
80	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
81	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
82	D3	D3	D3	D3	D3	D3	—	—	D3	D3	1.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
84	D2	D2	D2	D2	D2	D2	D2	D2	D2	1.00000		
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
86	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
88	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
89	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
91	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
92	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
94	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
95	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
96	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
99	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
101	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
102	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
103	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
104	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
105	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
107	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
108	C2v	C2v	C2v	C2v	C2v	—	—	C2v	C2v	1.00000		
109	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
110	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
111	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		

Table S25: Dataset: glue\_Pb, part 1.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
112	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000
113	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000
114	C2	C2	C2	C2	C2	C2	C1	C2	C2	!	1.00000
115	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
116	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
117	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
118	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
119	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
120	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
121	C2	C2	C2	C2	C2	C2	C2	C2	C2	!	1.00000
122	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
123	C2	C2	C2	C2	C2	—	C2	C2	C2	!	1.00000
124	C2	C2	C2	C2	C2	C2	—	C2	C2	!	1.00000
125	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
126	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
127	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
128	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
129	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
130	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
131	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
132	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
133	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
134	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
135	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
136	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
137	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
138	C2	C2	C2	C2	C2	C2	C2	C2	C2	!	1.00000
139	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
140	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
141	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
142	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
143	C1	C1	C1	C1	C1	C1	C1	C1	C1	!	0.00000
144	C2	C2	C2	C2	C2	C2	—	C2	C2	!	1.00000
145	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	!	1.00000
146	C2	C2	C2	C2	C2	C2	—	C2	C2	!	1.00000
147	Cs	Cs	Cs	Cs	Cs	Cs	C1	Cs	Cs	!	1.00000
148	D3d	D3d	S6	S6	D3d	D3d	—	D3d	D3d	!	1.00000
149	C1	—	C1	C1	C1	C1	C1	C1	C1	!	0.00000
150	Cs	—	Cs	Cs	Cs	Cs	—	Cs	Cs	!	1.00000
151	C1	—	C1	C1	C1	C1	C1	C1	C1	!	0.00000
152	C2	—	C2	C2	C2	C2	—	C2	C2	!	1.00000
153	C1	—	C1	C1	C1	C1	C1	C1	C1	!	0.00000
154	C2	—	C2	C2	C2	C2	—	C2	C2	!	1.00000
155	C1	—	C1	C1	C1	C1	C1	C1	C1	!	0.00000
156	C2	—	C2	C2	C2	C2	C2	C2	C2	!	1.00000
157	C1	—	C1	C1	C1	C1	C1	C1	C1	!	0.00000
158	C2	—	C2	C2	C2	C2	C2	C2	C2	!	1.00000
159	C1	—	C1	C1	C1	C1	C1	C1	C1	!	0.00000
160	C1	—	C1	C1	C1	C1	C1	C1	C1	!	0.00000

Table S26: Dataset: glue\_Pb, part 2.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.62381	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.90719	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	D4d	D4d	D4d	D4d	D4d	D4d	D4d	D4d	D4d	1.00000	
11	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
12	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
13	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
14	D6d	—	D6d	D6d	D6d	D6d	D6d	D6d	D6d	1.00000	
15	D3	D3	D3	D3	D3	D3	D3	D3	D3	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
18	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
19	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
22	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
23	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
24	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
25	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
26	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
27	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
28	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
29	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
30	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
33	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
34	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
35	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
36	D2h	D2h	D2h	D2h	D2h	D2h	D2h	D2h	D2h	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
39	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
42	D4	D4	D4	D4	D4	D4	D4	D4	D4	1.00000	
43	C4	C4	C4	C4	C4	—	—	C4	C4	1.00000	
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
46	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
49	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
53	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
54	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
55	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
56	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
57	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
58	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
59	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
60	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
61	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
62	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
65	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
71	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
82	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
83	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
87	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
88	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
90	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
91	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
92	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
93	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
94	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
95	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
96	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
97	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
98	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
99	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
100	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	1.00000	
101	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
102	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
103	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
104	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
105	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
107	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
108	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
109	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
110	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
111	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	

Table S27: Dataset: gupta/Cd, part 1.

name	SYVA		SymMol		'default'	libmsym	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05					0.001	0.05		
112	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
113	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
114	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
115	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2		1.00000
116	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
117	C1	C1	C1	C1	C1	C1	C1	–	C1	C1		0.00000
118	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
119	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
120	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
121	C2	C2	C2	C2	C2	C2	C2	–	C2	C2		1.00000
122	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
123	C2v	C2v	C2v	C2v	C2v	C2v	C2v	–	C2v	C2v		1.00000
124	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
125	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000

Table S28: Dataset: gupta/Cd, part 2.

name	SYVA		SymMol		libmsym			SOFI		diff	dot product
	0.001	0.05	0.001	0.05	'default'	'medium'	'loose'	0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.99763	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.96601	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	-	C1	C1	Ih	Ih	Ih	Ih	Ih	0.97125	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
18	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
24	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
25	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.91836	
27	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	T	T	T	T	T	T	T	T	T	0.97817	
29	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
30	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
32	D3	D3	D3	D3	D3	D3	-	D3	D3	1.00000	
33	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
34	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
35	C2v	C2v	C2	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	C1	C2	C1	C1	C1	C1	C1	C1	C1	0.00000	
38	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99590	
39	C5v	C5v	C5	C5	C5v	C5v	-	C5v	C5v	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47	C1	C1	C1	C1	C1	C1	-	C1	C1	0.00000	
48	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
49	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
50	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51	C2v	C2v	C1	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
52	C3v	C3v	-	C3v	C3v	C3v	-	C3v	C3v	1.00000	
53	C2v	C2v	Cs	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
54	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
55	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.95414	
56	C3v	C3v	-	-	C3v	-	-	C3v	C3v	1.00000	
57	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
58	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
59	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
60	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
61	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
65	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
67	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
71	C5	C5	C5	C5	C5	C5	-	C5	C5	1.00000	
72	Cs	Cs	C1	Cs	Cs	Cs	-	Cs	Cs	1.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	C5v	C5v	C5	C5	C5v	C5v	-	C5v	C5v	1.00000	
75	D5h	D5h	D5h	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
76	Cs	Cs	C1	Cs	C1	Cs	-	Cs	Cs	1.00000	
77	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
80	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
81	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
82	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
83	C2v	C2v	Cs	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
86	C3	C3	C3	C3	C3	C3	-	C3	C3	1.00000	
87	Cs	Cs	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
88	Cs	Cs	C1	Cs	Cs	Cs	-	Cs	Cs	1.00000	
89	C3v	C3v	-	-	C3v	C3v	C1	C3v	C3v	1.00000	
90	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
92	C3v	C3v	-	-	C3v	C3v	C3v	C3v	C3v	0.99987	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
95	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
97	C2v	C2v	C2v	C2v	C2v	C2v	C2v	Cs	C2v	1.00000	
98	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
99	C2v	C2v	C2v	C2v	C1	C2v	-	C2v	C2v	1.00000	
100	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
101	C2v	C2v	Cs	C2v	C2v	C2v	-	C2v	C2v	1.00000	
102	C2v	C2v	C2v	C2v	C2v	C2v	C2v	Cs	C2v	1.00000	
103	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
104	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
105	C2	C2	C1	C2	C2	C2	C1	C2	C2	1.00000	
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
107	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
108	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
109	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
110	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
111	Cs	Cs	C1	Cs	Cs	Cs	-	Cs	Cs	1.00000	

Table S29: Dataset: gupta/Co, part 1.

name	SYVA		SymMol		'default'	libmsym	'medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05					0.001	0.05			
112	Cs	Cs	Cs	Cs	Cs	Cs	—	—	Cs	Cs	—	1.00000	
113	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
114	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
115	C5v	C5v	C5v	C5v	C5v	C5v	—	—	C5v	C5v	—	1.00000	
116	C5v	C5v	C5v	C5v	C5v	C5v	—	—	C5v	C5v	—	1.00000	
117	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
118	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
119	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
120	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
121	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
122	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
123	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
124	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
125	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
126	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
127	C2v	C2v	C2	C2v	C2v	C2v	C2v	—	C2v	C2v	!	1.00000	
128	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
129	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
130	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
131	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
132	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
133	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
134	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	—	1.00000	
135	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
136	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
137	C3v	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v	—	1.00000	
138	C3v	C3v	—	—	C3v	C3v	C3v	—	C3v	C3v	—	1.00000	
139	C2v	C2v	C1	C2v	C2v	C2v	C2v	—	C2v	C2v	!	1.00000	
140	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	0.99991	
141	C5v	C5v	C1	C5v	C5v	C5v	C5v	—	C5v	C5v	!	0.99999	
142	Cs	Cs	C1	C1	Cs	Cs	C1	C1	Cs	Cs	!	0.99983	
143	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
144	C3v	C3v	—	—	C3v	C3v	C3v	—	C3v	C3v	—	1.00000	
145	C2v	C2v	C1	C2v	C2v	C2v	C2v	—	C2v	C2v	!	1.00000	
146	C5v	C5v	C1	C5	C5v	C5v	C5v	—	C5v	C5v	!	1.00000	
147	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	—	0.98344	
148	Cs	Cs	C1	C1	Cs	Cs	—	—	Cs	Cs	!	0.99509	
149	Cs	Cs	C1	Cs	C1	C1	Cs	Cs	Cs	Cs	—	1.00000	
150	C3v	C3v	—	—	C3v	C3v	C3v	—	C3v	C3v	—	1.00000	
151	Cs	Cs	C1	Cs	Cs	Cs	—	—	Cs	Cs	!	0.99998	
152	Cs	Cs	Cs	Cs	Cs	Cs	—	—	Cs	Cs	—	1.00000	
153	C3v	C3v	—	—	C3v	C3v	C3v	—	C3v	C3v	—	1.00000	
154	C2v	C2v	C2	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
155	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
156	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
157	C2v	C2v	C2	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
158	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
159	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
160	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
161	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
162	Cs	Cs	C1	Cs	Cs	Cs	C1	Cs	Cs	Cs	!	1.00000	
163	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
164	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
165	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
166	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
167	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
168	C3v	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v	—	1.00000	
169	C2	C2	C1	C2	C2	C2	C2	—	C2	C2	!	1.00000	
170	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
171	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
172	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	!	1.00000	
173	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	—	1.00000	
174	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	C1	Cs	!M	1.00000	
175	C1	Cs	C1	Cs	Cs	Cs	Cs	Cs	C1	Cs	!M	1.00000	
176	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
177	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	—	1.00000	
178	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	!	1.00000	
179	C1	Cs	C1	Cs	Cs	Cs	C1	Cs	C1	Cs	!M	1.00000	
180	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
181	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
182	Cs	Cs	Cs	Cs	Cs	Cs	C1	Cs	Cs	Cs	—	1.00000	
183	—	C2v	C1	C2v	C1	C2v	C1	C2v	—	C2	C2v	!M	1.00000
184	C1	Cs	C1	Cs	Cs	Cs	Cs	Cs	C1	Cs	!M	1.00000	
185	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
186	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
187	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	1.00000	
188	Cs	Cs	C1	Cs	C1	Cs	Cs	Cs	Cs	Cs	!	1.00000	
189	C1	Cs	C1	Cs	C1	C1	Cs	C1	C1	Cs	!M	1.00000	
190	D5	D5h	D5	C5	C5v	D5h	D5h	—	D5h	D5h	!	1.00000	
191	C5v	C5v	C5v	C5	—	—	—	—	C5v	C5v	!	1.00000	
192	D5h	D5h	D5h	C5	D5h	D5h	D5h	—	D5h	D5h	!	1.00000	
193	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
194	Cs	Cs	Cs	Cs	C1	C1	—	—	Cs	Cs	!	1.00000	
195	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	—	1.00000	
196	C2v	C2v	Cs	C2v	C2v	C1	C1	—	C2v	C2v	—	1.00000	
197	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	—	1.00000	
198	C2	C2	C1	C2	C2	C1	C1	—	C2	C2	!	1.00000	
199	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	
200	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	—	0.00000	

Table S30: Dataset: gupta/Co, part 2.

name	SYVA		SymMol		libmsym			SOFI		diff	dot product	
	0.001	0.05	0.001	0.05	'default'	'medium'	'loose'	0.001	0.05			
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.70645		
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99970		
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000		
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000		
9	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000		
13	Ih	-	C1	C1	Ih	Ih	Ih	Ih	Ih	0.93316		
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
15	D6d	-	C6	C6	D6d	D6d	D6d	D6d	D6d	1.00000		
16	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
17	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.98972		
18	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000		
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000		
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
21	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
25	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.89129		
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
28	T	T	T	T	T	T	T	T	T	0.84607		
29	D3h	D3h	D3h	D3h	D3h	D3h	-	D3h	D3h	1.00000		
30	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000		
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
33	D3	D3	D3	-	D3	C3	-	D3	D3	1.00000		
34	T	T	T	T	T	T	T	T	T	0.81925		
35	D3	D3	D3	D3	D3	-	-	D3	D3	1.00000		
36	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
37	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000		
38	Th	Th	Th	Th	Th	Th	Th	Th	Th	0.70421		
39	C5	C5	C5	C5	C5	C5	C5	C5	C5	1.00000		
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
41	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
42	D2	D2	D2	D2	D2	D2	D2	D2	D2	1.00000		
43	C2	C2	C2	C2	C2	C2	-	C2	C2	1.00000		
44	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
45	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
48	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
49	C5v	C5v	C5	C5	C5v	C5v	-	C5v	C5v	1.00000		
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
51	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
52	C3v	C3v	-	-	C3v	C3v	C3v	C3v	C3v	1.00000		
53	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
54	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000		
55	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.95786		
56	C3v	C3v	-	-	C3v	-	C3	C3v	C3v	1.00000		
57	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
58	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
59	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000		
60	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
61	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.86453		
62	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000		
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
64	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
65	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
66	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
69	C5	C5	C5	C5	C5	-	-	C5	C5	1.00000		
70	C5	C5	C5	C5	C5	C5	C5	-	C5	C5	1.00000	
71	C5	C5	C5	C5	C5	C5	-	C1	C5	1.00000		
72	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
74	C2h	C2h	C2h	C2h	C2h	C2h	-	C2h	C2h	1.00000		
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
78	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
79	C2v	C2v	C2v	C2v	C2v	C2v	C2v	Cs	C2v	1.00000		
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	C1	Cs	1.00000		
81	C2v	C2v	C2v	C2v	C2v	C2v	C2v	Cs	C2v	1.00000		
82	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
83	D3	D3	D3	D3	D3	D3	C3	-	D3	D3	1.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C3v	C3v	-	-	C3v	C3v	C3v	C3v	C3v	1.00000		
86	C3	C3	C3	C3	C3	C3	-	C3	C3	1.00000		
87	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
88	C3v	C3v	-	-	C3v	C3v	C3v	C3v	C3v	1.00000		
89	C3v	C3v	-	-	C3v	C3v	C3v	C3v	C3v	1.00000		
90	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
91	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
92	T	T	T	T	T	T	T	T	T	0.84597		
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
95	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000		
96	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
97	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000	
98	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
99	C2v	C2v	C2v	C2v	C2v	C2v	C2v	Cs	C2v	C2v	1.00000	
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
101	D3	D3	D3	D3	D3	D3	C3	-	D3	D3	1.00000	
102	Cs	Cs	Cs	Cs	Cs	Cs	-	-	Cs	Cs	1.00000	
103	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
104	D5	D5	C5	C5	D5	C5	-	D5	D5	1.00000		
105	C5	C5	C5	C5	C5	C5	-	C5	C5	1.00000		
106	D5	D5	D5	D5	D5	C5	-	D5	D5	1.00000		
107	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
108	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
109	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
110	C5	C5	C5	C5	C5	C5	C5	-	C5	C5	1.00000	
111	C5	C5	C5	C5	C5	C5	C5	-	C5	C5	1.00000	

Table S31: Dataset: gupta/Na, part 1.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
112	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
113	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
114	Cs	Cs	Cs	Cs	Cs	—	—	Cs	Cs	1.00000	
115	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.90510	
116	C5v	C5v	C5v	C5	C5v	—	—	C5v	C5v	!	1.00000
117	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
118	C3v	C3v	—	—	C3v	—	—	C3v	C3v	1.00000	
119	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
120	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
121	C2	C2	C2	C2	C2	C2	C1	C2	C2	!	1.00000
122	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
123	C2v	C2v	C2v	C2v	C2v	C2v	C1	C2v	C2v	!	1.00000
124	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
125	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
126	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
127	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
128	C3v	C3v	—	—	C3v	—	—	C3v	C3v	1.00000	
129	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
130	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
131	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
132	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
133	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
134	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
135	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.99815	
136	C5v	C5v	C5v	C5	C5v	C5v	C5v	C5v	C5v	!	1.00000
137	D5d	D5d	S10	S10	D5d	D5d	D5d	D5d	D5d	!	1.00000
138	C3v	C3v	—	—	C3v	—	—	C3v	C3v	1.00000	
139	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
140	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
141	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
142	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
143	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
144	C3v	C3v	—	—	C3v	—	—	C3v	C3v	1.00000	
145	D5d	D5d	S10	S10	D5d	D5d	D5d	D5d	D5d	!	1.00000
146	C5v	C5v	C5v	C5	C5v	C5v	—	C5v	C5v	!	1.00000
147	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.87989	
148	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
149	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
150	C3v	C3v	—	—	C3v	C3v	—	C3v	C3v	1.00000	
151	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
152	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
153	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
154	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
155	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
156	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
157	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
158	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
159	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
160	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
161	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
162	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
163	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
164	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
165	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
166	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
167	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
168	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
169	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
170	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
171	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
172	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
173	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
174	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
175	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
176	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
177	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
178	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
179	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
180	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
181	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
182	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	Cs	1.00000	
183	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
184	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
185	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
186	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
187	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
188	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
189	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
190	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
191	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
192	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
193	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
194	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
195	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
196	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
197	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
198	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
199	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
200	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
201	C3v	C3v	—	—	C3v	C3v	C1	C3v	C3v	!	1.00000
202	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
203	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
204	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
205	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
206	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
207	C3v	C3v	—	—	C3v	C3v	—	C3v	C3v	1.00000	
208	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
209	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
210	C3v	C3v	—	—	C3v	C3v	—	C3v	C3v	1.00000	
211	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
212	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
213	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
214	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
215	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
216	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
217	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
218	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
219	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
220	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000
221	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000

Table S32: Dataset: gupta/Na, part 2.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
222	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
223	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
224	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
225	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
226	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
227	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
228	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
229	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
230	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
231	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
232	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
233	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
234	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
235	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
236	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
237	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
238	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
239	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
240	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
241	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
242	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
243	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
244	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
245	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
246	C5	D5	C5	C5	—	C1	C1	C5	C5	!	1.00000
247	C5	C5	C5	C5	C5	—	C1	C5	C5	!	1.00000
248	C5	D5	C5	D5	—	C1	C1	C5	D5	!M	1.00000
249	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
250	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
251	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
252	—	—	—	—	C3v	C3v	—	C3v	C3v	1.00000	
253	—	—	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
254	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
255	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
256	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
257	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
258	—	—	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
259	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
260	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
261	—	—	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
262	—	—	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
263	—	—	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
264	—	—	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
265	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
266	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
267	—	—	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.91407	
268	—	—	C5v	C5	—	—	—	C5v	C5v	!	1.00000
269	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
270	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
271	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
272	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
273	—	—	C2	C2	C2	C2	C2	C2	C2	1.00000	
274	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
275	—	—	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
276	—	—	—	—	C3v	C3v	—	C3v	C3v	1.00000	
277	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
278	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
279	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
280	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
281	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
282	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
283	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
284	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
285	—	—	—	—	C3v	C3v	—	C3v	C3v	1.00000	
286	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
287	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
288	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
289	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
290	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
291	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
292	—	—	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
293	—	—	S10	S10	D5d	D5d	D5d	D5d	D5d	1.00000	
300	—	—	—	—	C3v	—	C3v	C3v	C3v	1.00000	
301	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
302	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
303	—	—	C2	C2	C2	C2	C2	C2	C2	1.00000	
304	—	—	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
305	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
306	—	—	—	—	C3v	—	C3v	C3v	C3v	1.00000	
307	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
308	—	—	C5v	C5	C5v	C5v	—	C5v	C5v	!	1.00000
309	—	—	Ih	Ih	Ih	Ih	Ih	Ih	Ih	1.00000	
310	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
311	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
312	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
313	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
314	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
315	—	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
316	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
317	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
318	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
319	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
320	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
321	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
322	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
323	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
324	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
325	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
326	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
327	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
328	—	—	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
329	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
330	—	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
331	—	—	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S33: Dataset: gupta/Na, part 3.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05				0.001	0.05			
332	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
333	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
334	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
335	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
336	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
337	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
338	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
339	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
340	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
341	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
342	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
343	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
344	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
345	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
346	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
347	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
348	-	-	C5v	C5v	C5v	C5v	-	-	C5v	C5v		1.00000
349	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
350	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
351	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
352	-	-	C1	C1	C1	C1	-	C1	C1		0.00000	
353	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
354	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
355	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
356	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
357	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
358	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
359	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
360	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
361	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
362	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
363	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
364	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
365	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
366	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
367	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
368	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
369	-	-	C2v	C2v	C2v	C2v	-	C2v	C2v		1.00000	
370	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
371	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
372	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
373	-	-	-	-	C3v	-	C3v	C3v	C3v		1.00000	
374	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
375	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
376	-	-	-	-	C3v	C3v	C3v	C3v	C3v		1.00000	
377	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
378	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
379	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	

Table S34: Dataset: gupta/Na, part 4.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.97670	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.98814	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	-	C1	C1	Ih	Ih	Ih	Ih	Ih	0.97225	
14	C6v	C6v	C6v	C6v	C6v	C6v	C6v	C6v	C6v	1.00000	
15	D6d	-	C6	C6	D6d	D6d	D6d	D6d	D6d	1.00000	
16	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
17	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
18	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
19	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
20	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
21	C6v	C6v	C6	C6	C6v	C6v	C6v	C6v	C6v	1.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
26	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
29	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
30	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
31	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
32	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
33	C1	C1	-	C1	C1	C1	C1	C1	C1	0.00000	
34	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
35	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
36	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
37	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
38	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99984	
39	C4v	C4v	C4	C4	C4v	C4v	C4v	C4v	C4v	1.00000	
40	D2	D2	D2	D2	D2	D2	D2	D2	D2	1.00000	
41	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
44	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
45	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
46	C3	C3	C3	C3	C3	C3	-	C3	C3	1.00000	
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
48	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
49	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
50	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
51	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
52	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
53	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
54	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.95000	
55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.95450	
56	D2h	D2h	D2h	D2h	D2h	D2h	D2h	-	D2h	D2h	1.00000
57	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
58	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
59	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
60	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
61	C3v	C3v	C3v	C3v	C3v	C3v	C3v	-	C3v	C3v	1.00000
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
64	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
65	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
68	C3v	C3v	-	-	C3v	C3v	C3v	C3v	C3v	1.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	C5v	C5v	C5	C5	C5v	C5v	-	C5v	C5v	1.00000	
75	D5h	D5h	D5h	D5h	D5h	D5h	D5h	-	D5h	D5h	1.00000
76	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
77	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
78	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
79	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99543	
80	C4v	C4v	C4v	C4v	C4v	C4v	C4v	-	C4v	C4v	1.00000
81	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
82	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
83	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
84	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
85	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
86	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
87	Cs	Cs	Cs	Cs	Cs	-	Cs	Cs	Cs	1.00000	
88	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
92	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
94	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
95	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
96	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
97	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
98	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
99	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
100	C5v	C5v	C5v	C5	C5v	-	C5v	C5v	C5v	1.00000	
101	D5h	D5h	D5h	C5	D5h	D5h	D5h	-	D5h	D5h	1.00000
102	D2h	D2h	D2h	D2h	D2h	D2h	D2h	-	D2h	D2h	1.00000
103	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
104	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	C2v	1.00000
105	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
106	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
107	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
108	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
109	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
110	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
111	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	

Table S35: Dataset: gupta/Pb, part 1.

name	SYVA				SymMol				libmsym				SOFI				diff	dot product
	0.001	0.05	0.001	0.05	'default'	'medium'	'loose'	0.001	0.05	'C2v'								
112	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
113	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
114	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
115	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
116	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
117	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
118	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
119	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
120	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
121	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
122	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
123	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
124	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
125	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
126	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
127	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
128	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
129	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
130	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
131	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
132	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
133	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
134	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
135	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
136	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
137	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
138	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
139	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
140	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	1.00000	
141	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
142	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
143	C3v	C3v	—	—	C3v	—	C3v	—	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
144	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
145	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	—	C5v	C5v	C5v	C5v	C5v	1.00000	
146	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	—	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
147	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
148	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
149	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
150	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	

Table S36: Dataset: gupta/Pb, part 2.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.95632	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.93051	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
12	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
13	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
14	C6v	C6v	C6v	C6v	C6v	C6v	C6v	C6v	C6v	1.00000	
15	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
18	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
19	D4d	D4d	S8	S8	D4d	D4d	D4d	D4d	D4d	1.00000	!
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
22	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
23	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
24	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
25	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
26	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
27	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
28	D6d	-	C6	C6	D6d	D6d	D6d	D6d	D6d	1.00000	
29	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
30	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
33	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
34	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
35	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36	D2h	D2h	D2h	D2h	D2h	D2h	D2h	D2h	D2h	1.00000	
37	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
38	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
39	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42	D4	D4	D4	D4	D4	D4	D4	D4	D4	1.00000	
43	C4	C4	C4	C4	C4	-	C4	C4	C4	1.00000	
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
46	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
49	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
53	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
54	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
55	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
56	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
57	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
58	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
59	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
60	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
61	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
62	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
65	C1	C1	-	C1	C1	C1	C1	C1	C1	0.00000	
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
71	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
75	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	!
80	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
81	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
82	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
83	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
84	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
86	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
87	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
88	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	!
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
92	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
93	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
94	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
95	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
96	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
97	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
98	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
99	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
100	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
101	Cs	Cs	Cs	Cs	Cs	Cs	Cs	-	Cs	1.00000	
102	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
103	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
104	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
105	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
107	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
108	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
109	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
110	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
111	C2	C2	C2	C2	C2	C2	C2	-	C2	C2	1.00000

Table S37: Dataset: gupta/Zn, part 1.

name	SYVA		SymMol		'default'	'libmsym'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05					0.001	0.05		
112	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
113	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
114	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
115	C2	C2	C2	C2	C2	C2	C2	—	C2	C2		1.00000
116	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
117	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
118	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
119	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
120	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v		1.00000
121	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
122	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
123	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v		1.00000
124	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000
125	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000

Table S38: Dataset: gupta/Zn, part 2.

name	SYVA 0.001	SYVA 0.05	SymMol 0.001	SymMol 0.05	'default'	libmsym 'medium'	'loose'	SOFI 0.001	SOFI 0.05	diff	dot product
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.94001	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.97782	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	1.00000	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
18	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.99957	
27	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
35	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
38	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.80819	
38i	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
39	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
45	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
48	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
49	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
52	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
53	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
54	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
55	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	1.00000	
56	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
57	Cs	Cs	C1	Cs	Cs	—	Cs	Cs	Cs	1.00000	
58	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
59	C2v	C2v	C2	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
60	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
61	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
65	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
67	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
70	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
71	C5v	C5v	C5v	C5	C5v	C5v	—	C5v	C5v	1.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
75	D5h	D5h	D5h	C5	D5h	D5h	—	—	D5h	D5h	1.00000
75i	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
76	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
76i	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
77	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
77i	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000
78	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
79	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
81	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
82	C1	C1	C1	C1	C1	C1	—	C1	C1	C1	0.00000
83	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
87	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
88	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
89	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
90	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
91	Cs	Cs	C1	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
92	C3v	C3v	C3v	—	C3v	C3v	C3v	C3v	C3v	1.00000	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
95	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
97	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
98	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.98711	
98i	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
99	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
100	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
101	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
102	C2v	C2v	Cs	C2v	C2v	—	C2v	C2v	C2v	1.00000	
102i	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
103	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
103i	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
104	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	

Table S39: Dataset: LJ, part 1.

name	SYVA		SymMol		'default'	libmsym	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05					0.001	0.05		
104i	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
105	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
107	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
108	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
109	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
110	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
111	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
112	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
113	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
114	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
115	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
116	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
117	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
118	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
119	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
120	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
121	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
122	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
123	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
124	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
125	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
126	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
127	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
128	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
129	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
130	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
131	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
132	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
133	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
134	C3v	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v	1.00000	
135	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	Ih	0.91300	!
136	C5v	C5v	C5v	C5	C5v	C5v	C5v	—	C5v	C5v	1.00000	!
137	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
138	C3v	C3v	—	—	C3v	—	—	—	C3v	C3v	1.00000	
139	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
140	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
141	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000	
142	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
143	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
144	C3v	C3v	—	—	C3v	C3v	C3v	—	C3v	C3v	1.00000	
145	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
146	C5v	C5v	C5v	C5	C5v	C5v	C5v	—	C5v	C5v	1.00000	!
147	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	Ih	0.99392	!
148	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
149	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
150	C3v	C3v	—	C3	C3v	C3v	C3v	—	C3v	C3v	1.00000	!

Table S40: Dataset: LJ, part 2.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
5A	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6A	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	1.00000	
7A	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8A	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
8B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
9A	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
9B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10A	D4d	D4d	D4d	D4d	D4d	D4d	D4d	D4d	D4d	1.00000	
10B	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11A	D4d	D4d	S8	S8	D4d	D4d	D4d	D4d	D4d	1.00000	
11B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
11C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
11D	Cs	C2v	Cs	Cs	Cs	Cs	Cs	Cs	C2v	0.99983	
11E	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
11F	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12B	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
12C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
12D	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
12E	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
13A	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.96634	
13B	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
14A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
14B	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
14C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
15A	D6d	—	C6	C6	D6d	D6d	D6d	D6d	D6d	1.00000	
15B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
15C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16A	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
16B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
16C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
17A	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
17B	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
17C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17D	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
17E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
18A	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
18B	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
18C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
18D	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
19A	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
19B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
20A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
20B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
21C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
22A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
22B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
23A	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
23B	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
23C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23D	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
24A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
24Aprime	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
24B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
24C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
25A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25Aprime	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
25B	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
25C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26A	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.94680	
26B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
26C	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
27A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
27B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
27C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
27D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
27E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28C	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
28D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
29A	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
29B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
29C	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
29D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
29E	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
29F	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	1.00000	
30A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
30B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
30C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
30D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
30Dprime	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
30E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
31B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
32A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
32B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
32C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
32D	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33B	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000	
33C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34A	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
34B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
34C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34D	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
34E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34F	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	

Table S41: Dataset: morse, part 1.

name	SYVA		SymMol		'default'	libmsym	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05					0.001	0.05		
35A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
35B	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
35C	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
35D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
35E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
35F	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
36A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
36C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36D	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
36E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36G	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
37A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
37C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
37D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
37E	C3v	C3v	—	—	C3v	—	C3v	C3v	C3v	C3v	1.00000	
38A	D2	D2	D2	D2	D2	D2	D2	D2	D2	D2	! 1.00000	
38B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
38C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38D	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.98693	
38E	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	! 1.00000	
39A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
39B	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	! 1.00000	
39C	C4v	C4v	C4	C4	C4v	C4v	C4v	—	C4v	C4v	! 1.00000	
40A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
40B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
40C	D4h	D4h	D4h	C4h	D4h	D4h	D4h	D4h	D4h	D4h	! 1.00000	
41A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
41B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
41C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
41D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
41F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42A	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
42B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
42E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
43B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
43D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	! 1.00000	
43E	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
44A	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	C5v	! 1.00000	
44B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
44C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44E	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
45A	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	Ih	! 0.98813	
45B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
45Bprime	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
45C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
45E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
45F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
46C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46Eprime	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47A	C3	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
47B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
47C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
48B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
48Bprime	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
48C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
48D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
49A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
49B	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
49C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
49D	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
50A	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
50B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
50D	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
51A	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
51B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
51Bprime	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
51C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
51D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
51E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
52A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
52B	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
52C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
52D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
52E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
53A	D6d	D6d	C6	C6	D6d	D6d	D6d	—	D6d	D6d	! 1.00000	
53B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
53C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
54A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
54B	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
54C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
54D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
55A	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
55B	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	Ih	! 0.94555	
55C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
55D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
56A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
56B	C3v	C3v	—	—	C3v	—	C3v	C3v	C3v	C3v	1.00000	
56C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
56D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
56E	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
57A	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	! 1.00000	
57B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
57C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	

Table S42: Dataset: morse, part 2.

name	SYVA		SymMol		'default'	libmsym	'medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05					0.001	0.05			
57D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
58A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
58B	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
58C	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000		
58D	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
58E	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
59A	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
59B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000		
59C	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
59D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
59E	Td	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.86271		
60A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
60B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
60C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
60D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
60E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
60F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
61A	Td	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.80426		
61B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
61Bprime	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
61C	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v	1.00000	
62A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
62B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
62C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
62D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
62E	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
62F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
62G	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
62H	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
63A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
63B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
63C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
63D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
64A	D3d	D3d	S6	S6	D3d	D3d	D3d	—	D3d	D3d	!	1.00000	
64B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
64C	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
64D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
65A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
65B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
65C	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
65D	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
65E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
65F	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
65G	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
65H	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
66A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
66B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
66C	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
66D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
66E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
66F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
66G	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
67A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
67B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
67C	C2	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
67D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
67E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
67F	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
68A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
68B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
68C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
68D	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
68Dprime	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
68E	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
68F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
68G	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
68H	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
69A	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
69B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
69C	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	!	1.00000	
69D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
69E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
69F	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
69G	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
70A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000		
70B	C1	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
70C	C5	C5	C5	C5	C5	C5	C5	—	C5	C5	1.00000		
70D	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000		
70E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
70F	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
70G	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
71A	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
71B	C5	C5	C5	C5	C5	C5	C5	—	C5	C5	1.00000		
71C	C5v	C5v	C5v	C5v	C5v	C5v	C5v	—	C5v	C5v	1.00000		
71D	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000		
71E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
72A	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
72B	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
72C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
72D	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
72E	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
72F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
73A	C3	C3	C3	C3	C3	C3	C3	—	C3	C3	1.00000		
73B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
73C	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
73D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
73E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
73F	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
74A	C3v	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v	1.00000		
74B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
74C	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	!	1.00000	
74D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
75A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
75B	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
75C	D5h	D5h	D5h	C5	D5h	—	—	—	D5h	D5h	!	1.00000	
75D	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
76A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
76B	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
76C	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		
76D	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000		

Table S43: Dataset: morse, part 3.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
76E	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
76F	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
76G	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
77C	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77D	C2v	C2v	C2v	C2v	C2v	C2v	Cs	C2v	C2v	1.00000	
77E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
78A	C3	C3	C3	C3	C3	C3	—	C3	C3	1.00000	
78B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
78C	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
78D	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
78Dprime	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
78E	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
78F	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
78G	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79B	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
79C	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
79D	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
79E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
79F	D3h	D3h	D3h	—	D3h	D3h	D3h	D3h	D3h	1.00000	
80A	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
80B	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
80C	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
80D	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
80E	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
80F	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
80G	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
147A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
147B	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.97282	
147C	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
147D	Cs	Cs	Cs	Cs	Cs	Cs	C1	Cs	Cs	1.00000	
147E	C3v	C3v	—	C3	C3v	C3v	C3v	C3v	C3v	1.00000	

Table S44: Dataset: morse, part 4.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05				0.001	0.05			
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000		
13	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	1.00000		
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
17	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
18	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	1.00000		
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000		
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
21	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000		
24	D3	D3	D3	D3	D3	D3	—	D3	D3	1.00000		
25	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000		
26	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.87031		
27	C1	C1	—	C1	C1	C1	C1	C1	C1	0.00000		
28	T	T	T	T	T	T	T	T	T	0.97859		
29	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000		
30	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
31	C2	C2	C2	C2	C2	—	C2	C2	C2	1.00000		
32	D3	D3	D3	D3	D3	C3	—	D3	D3	1.00000		
33	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
34	T	T	T	T	T	T	T	T	T	0.92770		
35	D3	D3	D3	D3	D3	D3	D3	D3	D3	1.00000		
36	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
37	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
38	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
39	C5	C5	C5	C5	C5	—	C5	C5	C5	1.00000		
40	C1	Cs	C1	Cs	Cs	Cs	—	C1	Cs	!M	1.00000	
41	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
42	D2	D2	D2	D2	D2	D2	D2	D2	D2	1.00000		
43	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
45	D3	D3	D3	D3	D3	D3	D3	D3	D3	1.00000		
46	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
48	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
49	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
50	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
51	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
52	C3v	C3v	—	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
53	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	1.00000		
54	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	1.00000		
55	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.94694		
56	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000		
57	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
58	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
59	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000		
60	D3	D3	D3	D3	D3	D3	D3	—	D3	1.00000		
61	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
62	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
63	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000		
64	D3	D3	D3	D3	D3	D3	C3	C1	D3	!	1.00000	
65	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
69	C5	C5	C5	C5	C5	—	C1	C5	C5	!	1.00000	
70	C5	C5	C5	C5	C5	C5	—	C5	C5	!	1.00000	
71	C5	C5	C5	C5	C5	C5	—	C5	C5	!	1.00000	
72	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000		
73	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000		
74	D3d	D3d	D3d	D3d	D3d	D3d	—	D3d	D3d	1.00000		
75	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000		
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
77	C2	C2	C2	C2	C2	C2	C2	C2	C2	!	1.00000	
78	C1	C2	C1	C1	C1	C2	—	C1	C2	!M	1.00000	
79	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
80	D3	D3	D3	D3	D3	D3	D3	—	D3	D3	1.00000	
81	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
82	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
83	C1	D3	C1	D3	C1	D3	—	C1	D3	!	1.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
86	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000		
87	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
88	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
89	C1	C3	C1	C3	C1	C3	C1	C1	C3	!M	0.99991	
90	C1	C1	—	C1	C1	C1	C1	C1	C1	0.00000		
91	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
92	C1	T	C1	T	C1	T	T	C1	T	!M	0.98969	
93	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
94	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
95	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000		
96	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
97	C1	C2	C1	C1	C1	—	—	C1	C2	!M	0.99996	
98	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
99	C1	C2	C1	C1	C2	—	C1	C1	C2	!M	0.99994	
100	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
101	D3	D3	D3	D3	D3	D3	C3	—	D3	D3	!	1.00000
102	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
103	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
104	C1	C2	C1	C1	C1	C1	C1	C2	C1	!M	0.99999	
105	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
106	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
107	C1	C2	C1	C2	C2	C2	—	C1	C2	!M	1.00000	
108	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000		
109	C1	Cs	C1	C1	C1	C1	C1	C1	C1	!	0.00000	
110	C2	—	C2	C2	C2	C2	C2	C2	C2	1.00000		
111	C1	C5	C1	C5	C5	C5	C5	—	C1	C5	!M	1.00000
112	C1	Cs	C1	C1	C1	C1	C1	C1	C1	!	0.00000	
113	C1	Cs	C1	C1	C1	C1	C1	C1	C1	!	0.00000	
114	C2	C2	C2	C2	C2	C2	C2	—	C2	C2	1.00000	
115	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
116	D5h	D5h	D5h	D5h	D5h	D5h	D5h	—	D5h	D5h	1.00000	
117	C2v	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
118	C1	—	C1	C1	C1	C1	C1	C1	C1	0.00000		

Table S45: Dataset: murrel-mottram/Na, part 1.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
119	C1	-	C1	C1	C1	C1	Cs	C1	Cs	!M	0.99992
120	C1	C2v	C1	C2	C1	-	C1	C1	C2	!M	1.00000
121	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
122	C1	-	C1	C1	C1	C1	C1	C1	D2	!M	0.99998
123	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
124	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
125	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
126	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
127	C2	-	C2	C2	C2	C2	-	C2	C2		1.00000
128	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
129	C2	-	C2	C2	C2	C2	-	C2	C2		1.00000
130	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
131	C2	-	C2	C2	C2	C2	-	C2	C2		1.00000
132	C1	-	C1	Cs	Cs	Cs	Cs	C1	Cs	!M	1.00000
133	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
134	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih		0.94606
135	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih		0.91157
136	C5v	-	C5v	C5	C5v	C5v	-	C5v	C5v	!	1.00000
137	C2v	-	C2v	C2v	C2v	C2v	-	C2v	C2v		1.00000
138	C3v	-	-	-	C3v	C3v	C3v	C3v	C3v		1.00000
139	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000
140	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000
141	C5v	-	C5v	C5v	C5v	C5v	-	C5v	C5v		1.00000
142	Cs	-	C1	Cs	Cs	Cs	-	Cs	Cs	!	1.00000
143	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000
144	C3v	-	-	-	C3v	C3v	C3v	C3v	C3v		1.00000
145	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000
146	C5v	-	C5v	C5v	C5v	C5v	-	C5v	C5v		1.00000
147	Ih	-	Ih	Ih	Ih	Ih	Ih	Ih	Ih		0.95272
148	Cs	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000
149	C1	-	C1	Cs	-	-	-	C1	Cs	M	1.00000
150	C3v	-	-	-	C3v	-	C3v	C3v	C3v		1.00000
151	C1	-	C1	C1	C1	-	Cs	C1	Cs	!M	0.99839
152	C1	-	C1	Cs	Cs	-	Cs	C1	Cs	!M	1.00000
153	C1	-	C1	-	C3v	C3v	C3v	C1	C3v	!M	1.00000
154	C1	-	C1	Cs	Cs	Cs	Cs	C1	Cs	!M	1.00000
155	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000
156	C1	-	C1	C1	C1	C1	C1	C1	Cs	!M	0.99810
157	C1	-	C1	C2	C2v	C2v	-	C1	C2v	!M	1.00000
158	C1	-	C1	C1	Cs	C1	-	C1	Cs	!M	1.00000
159	C2v	-	C2v	C2v	C2v	C2v	C1	C2v	C2v	!	1.00000
160	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
161	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
162	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
163	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000
164	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
165	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
166	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
167	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
168	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
169	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
170	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
171	C5	-	C5	C5	C5	C5	-	C5	C5		1.00000
172	C5	-	C5	C5	C1	C5	-	C5	C5	!	1.00000
173	C5	-	C5	C5	C5	C5	-	C5	C5		1.00000
174	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
175	C1	-	C1	C1	C1	-	-	C1	C1		0.00000
176	C5	-	C5	C5	-	-	C1	C5	C5	!	1.00000
177	C5	-	C5	C5	C5	-	-	C5	C5		1.00000
178	C5	-	C5	C5	-	-	C1	C5	C5	!	1.00000
179	C1	-	C1	C1	C1	C1	-	C1	C1		0.00000
180	C1	-	C1	C2h	C1	C1	-	C1	C2h	!M	1.00000
181	C1	-	C1	C1	C1	C1	-	C1	Cs	!M	0.99999
182	C1	-	C1	C2	C2	C1	-	C1	C2	!M	1.00000
183	C1	-	C1	C1	C1	-	-	C1	Cs	!M	0.99997
184	D3d	-	S6	S6	D3d	D3	-	D3d	D3d	!	1.00000
185	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
186	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
187	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
188	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
189	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
190	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
191	C1	-	C1	C3	C1	-	C1	C1	C3	!M	0.99999
192	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
193	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
194	D3	-	C1	D3	D3	-	-	D3	D3	!	1.00000
195	C1	-	C1	C1	C1	C1	-	C1	C1		0.00000
196	C1	-	C1	C1	C1	C1	-	C1	C1		0.00000
197	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
198	C1	-	C1	C1	C1	C1	C1	C1	C2	!M	0.99997
199	C1	-	C1	C1	C1	C1	-	C1	C1		0.00000
200	C1	-	C1	C1	C1	C1	-	C1	C2	!M	0.99034
201	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
202	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
203	C3	-	C1	C3	C3	C3	C3	C3	C3	!	1.00000
204	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
205	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
206	C3	-	C1	C3	C1	-	C3	C3	C3	!	1.00000
207	C1	-	C1	C3	C3	C1	C3	C1	C3	!M	1.00000
208	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
209	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
210	C1	-	C1	C1	C1	C1	C1	C1	C2	!M	0.99998
211	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
212	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
213	C3	-	C3	C3	C3	C3	-	C3	C3		1.00000
214	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
215	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
216	C1	-	C1	T	T	T	T	C1	T	!M	0.95174
217	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
218	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
219	C1	-	C1	C1	-	C1	C1	C1	C3	!M	1.00000
220	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
221	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
222	C1	-	C1	C3	C3	C3	-	C1	C3	!M	1.00000
223	C3	-	C3	C3	C3	-	C1	C3	C3	!	1.00000
224	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000
225	C1	-	C1	C1	C1	C1	-	C1	C1		0.00000
226	C2	-	C1	C2	C2	-	-	C2	C2	!	1.00000
227	C1	-	C1	C1	C1	C1	-	C1	C1		0.00000
228	C2	-	C2	C2	C2	C1	-	C2	C2	!	1.00000

Table S46: Dataset: murrel-mottram/Na, part 2.

name	SYVA		SymMol		'default'	'medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05				0.001	0.05			
229	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
230	C1	-	C1	C1	C1	-	-	C1	C2	!M	0.99991	
231	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
232	C1	-	C1	D3	D3	-	-	C1	D3	!M	1.00000	
233	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
234	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
235	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
236	C2	-	C2	C2	C2	C1	C1	C2	C2	!	1.00000	
237	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
238	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
239	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
240	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
241	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
242	C1	-	C1	C2	C2	C1	-	C1	C2	!M	1.00000	
243	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
244	C1	-	C1	C1	C1	C1	-	C1	C2	!M	1.00000	
245	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
246	D5	-	C5	D5	-	-	-	D5	D5	!	1.00000	
247	C5	-	C5	C5	C5	-	C5	C5	C5		1.00000	
248	C5	-	C5	G5	C1	-	-	C5	D5	!M	1.00000	
249	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
250	C1	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
251	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
252	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
253	-	-	C5	C5	C5	-	-	C5	C5		1.00000	
254	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
255	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
256	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
257	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
258	-	-	C5	D5	C1	-	-	C5	D5	!M	1.00000	
259	-	-	C1	C2	C1	C1	C1	C1	C2	!M	1.00000	
260	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
261	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
262	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
263	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
264	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
265	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
266	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
267	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
268	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
269	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
270	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
271	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
272	-	-	C2	C2	C2	C2	-	C2	C2		1.00000	
273	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
274	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
275	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
276	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
277	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
278	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
279	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
280	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
281	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
282	-	-	Cs	Cs	Cs	C1	Cs	Cs	Cs	!	1.00000	
283	-	-	C1	C1	C1	C1	C1	C1	C1		0.00000	
284	-	-	-	-	C3v	C3v	C3v	C3v	C3v		1.00000	
285	-	-	-	-	C3v	C3v	C3v	C3v	C3v		1.00000	
286	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
287	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
288	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
289	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
290	-	-	C5v	C5v	C5v	C5v	-	C5v	C5v		1.00000	
291	-	-	C5v	C5v	C5v	C5v	-	C5v	C5v		1.00000	
292	-	-	C5v	C5v	C5v	C5v	-	C5v	C5v		1.00000	
293	-	-	C1	Cs	Cs	Cs	-	Cs	Cs	!	1.00000	
294	-	-	C1	C1	C1	C1	C1	C1	Cs	!M	0.98891	
295	-	-	C1	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
296	-	-	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.97463	
297	-	-	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.97429	
298	-	-	C5v	C5	C5v	-	-	C5v	C5v	!	1.00000	
299	-	-	C2v	C2v	C2v	C2v	-	C2v	C2v		1.00000	
300	-	-	-	-	C3v	-	-	C3v	C3v		1.00000	
301	-	-	C2v	C2v	C2v	C2v	-	C2v	C2v		1.00000	
302	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
303	-	-	C2	C2	C2	C2	C2	C2	C2		1.00000	
304	-	-	C1	C1	Cs	-	Cs	Cs	Cs	!	1.00000	
305	-	-	C2v	C2v	C2v	C2v	-	C2v	C2v		1.00000	
306	-	-	-	-	C3v	C3v	-	C3v	C3v		1.00000	
307	-	-	C2v	C2v	C2v	C2v	-	C2v	C2v		1.00000	
308	-	-	C5v	C5	C5v	-	-	C5v	C5v	!	1.00000	
309	-	-	Ih	Ih	Ih	Ih	Ih	Ih	Ih	Ih	0.99314	
310	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
311	-	-	Cs	Cs	Cs	Cs	-	Cs	Cs		1.00000	
312	-	-	-	-	C3v	C3v	-	C3v	C3v		1.00000	
313	-	-	C1	Cs	-	Cs	Cs	Cs	Cs	!	1.00000	
314	-	-	Cs	Cs	-	Cs	Cs	Cs	Cs		1.00000	
315	-	-	-	-	C3v	-	C3v	C3v	C3v		1.00000	
316	-	-	-	-	C3v	C3v	C3v	C3v	C3v		1.00000	
317	-	-	Cs	Cs	Cs	-	Cs	Cs	Cs		1.00000	
318	-	-	C1	Cs	C1	Cs	Cs	C1	Cs	!M	1.00000	
319	-	-	C1	C1	C1	Cs	Cs	Cs	C3v	!M	1.00000	
320	-	-	C1	Cs	Cs	Cs	Cs	Cs	Cs	!	1.00000	
321	-	-	C1	Cs	Cs	Cs	Cs	C1	Cs	!M	1.00000	
322	-	-	C1	C1	C1	C1	-	C1	C1	C3v	!M	1.00000
323	-	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
324	-	-	C1	C1	C1	Cs	Cs	C1	Cs	!M	0.99996	
325	-	-	C1	C3v	C1	Cs	Cs	Cs	C3v	!M	1.00000	
326	-	-	C1	C1	C1	Cs	-	C1	Cs	!M	1.00000	
327	-	-	C1	C2v	C2v	C2v	-	Cs	C2v	!M	1.00000	
328	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
329	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
330	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
331	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
332	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
333	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
334	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
335	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
336	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
337	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
338	-	-	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S47: Dataset: murrel-mottram/Na, part 3.

name	SYVA		SymMol		'default'	libmsym	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
339	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
340	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
341	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
342	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
343	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
344	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
345	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
346	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
347	-	-	C5	C5	C5	-	-	C5	C5	1.00000	
348	-	-	C5	C5	-	-	-	C5	C5	1.00000	
349	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
350	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
351	-	-	C1	C1	C1	C1	-	C1	C1	0.00000	
352	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
353	-	-	C5	C5	C1	-	-	C5	C5	!	1.00000
354	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
355	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
356	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
357	-	-	S6	S6	D3d	D3	-	D3d	D3d	!	1.00000
358	-	-	C1	C1	C1	-	-	C1	Cs	!M	0.99998
359	-	-	C1	Cs	C1	-	-	C1	Cs	!M	1.00000
360	-	-	C1	C1	C1	-	-	C1	C1	0.00000	
361	-	-	C1	C1	C1	-	C1	C1	C1	0.00000	
362	-	-	C1	C1	C1	C1	C1	C1	Cs	!M	0.99988
363	-	-	C1	C1	C1	C1	-	C1	C1	0.00000	
364	-	-	C1	Cs	C1	-	C1	Cs	Cs	!	1.00000
365	-	-	C1	C2	C1	C1	-	C1	C2	!M	1.00000
366	-	-	C1	C1	C1	-	-	C1	Cs	!M	0.85440
367	-	-	C1	C1	C1	C1	-	C1	C1	0.00000	
368	-	-	C1	Cs	C1	-	-	C1	Cs	!M	1.00000
369	-	-	C1	C3v	-	-	-	C1	C3v	M	1.00000
370	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
371	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
372	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
373	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
374	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
375	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
376	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
377	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
378	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
379	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
380	-	-	C1	C1	C1	C1	C1	C1	C1	0.00000	

Table S48: Dataset: murrel-mottram/Na, part 4.

name	SYVA		SymMol		'default'	libmsym	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
4	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
5	C1	C1	C1	C1	C1	C1	-	C1	C1	0.00000	
6	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
7	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
8	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
9	C3h	C3h	C3h	C3h	C3h	C3h	C3h	-	C3h	C3h	1.00000
10	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
11	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
12	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
13	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.94097	
14	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
15	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
16	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
17	C4v	-	C4v	C4v	C4v	C4v	-	C4v	C4v	1.00000	
18	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
19	C2	-	C2	C2	C2	C2	C2	C2	C2	1.00000	
20	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
21	C4v	-	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
22	D4h	-	C4h	C4h	D4h	D4h	-	D4h	D4h	!	1.00000
23	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
24	D3	-	D3	D3	D3	D3	D3	D3	D3	1.00000	
25	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	C4v	-	C4	C4	C4v	C4v	-	C4v	C4v	!	1.00000
27	C2v	-	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
30	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31	D4h	-	C4h	C4h	D4h	D4h	-	D4h	D4h	!	1.00000
32	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33	C1	-	C1	C1	C1	C1	C1	C1	C1	0.00000	
34	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
35	Cs	-	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	

Table S49: Dataset: NaCl\_N/welch, part 1.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
4	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
5	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
6	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
7	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
8	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
9	C3h	C3h	C3h	C3h	C3h	C3h	—	C3h	C3h	1.00000	
10	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
11	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
12	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
13	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.94424	
14	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
15	C1	Cs	C1	C1	C1	C1	C1	C1	C1	! 0.00000	
16	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
17	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
18	C1	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
19	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
20	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
21	C4v	—	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	
22	D4h	—	C4h	C4h	D4h	D4h	D4h	D4h	D4h	! 1.00000	
23	Cs	—	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
24	C1	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
25	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
26	C4v	—	C4	C4	C4v	C4v	—	C4v	C4v	! 1.00000	
27	C2v	—	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
28	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
29	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
30	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31	D4h	—	C4h	C4h	D4h	D4h	—	D4h	D4h	! 1.00000	
32	Cs	—	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33	C1	—	C1	C1	C1	C1	C1	C1	C1	0.00000	
34	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
35	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
38	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
39	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.99980	
40	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
41	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
42	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
48	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
49	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
50	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
51	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
52	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
53	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
54	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
55	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
56	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
57	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
58	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
59	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
60	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
61	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
62	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
63	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
64	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
65	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
66	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
67	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
68	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
71	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
72	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
73	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
74	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
75	C1	C1	C1	C1	C1	C1	C1	C1	C1	!M 1.00000	
76	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
77	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
79	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
80	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
81	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
82	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
83	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
84	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
85	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
86	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
87	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
88	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.82308	
89	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	

Table S50: Dataset: NaCl\_N/CBM, part 1.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
17A	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
17B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17C	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
27A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
27B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
30A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
30B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
31A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31C	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
32B	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
33A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
33B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
34A	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
34B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
35A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
35B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36B	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
37A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
37B	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
38A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
39A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
40A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
41A	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
42A	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
43A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46A	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
47A	Cs	Cs	Cs	C							

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.99850	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.93406	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	1.00000	
13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	!	0.98001
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
15	D6d	—	C6	C6	D6d	D6d	D6d	D6d	D6d	!	1.00000
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000
18	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	!	1.00000
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
24	C2	C2	C2	C2	C2	C2	C2	C2	C2	!	1.00000
25	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
26	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
29	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
30	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
31	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
32	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
35	D3	D3	D3	D3	D3	D3	—	D3	D3	1.00000	
36	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
37	C3v	C3v	—	—	C3v	—	C3v	C3v	C3v	1.00000	
38	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	1.00000	
39	C4v	C4v	C4	C4	C4v	C4v	—	C4v	C4v	!	1.00000
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
41	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	Cs	1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
44	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
47	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
48	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
49	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
50	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
51	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
52	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
53	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
54	C5v	C5v	C5	C5	C5v	C5v	C5v	C5v	C5v	!	1.00000
55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	!	0.98488
56	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
57	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
58	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000
59	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.86070	
60	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
61	C3v	C3v	C3v	C3v	C3v	C3v	C3v	—	C3v	C3v	1.00000
62	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
63	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
64	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
65	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
67	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	!
68	C3v	C3v	—	—	C3v	C3v	C3v	—	C3v	C3v	1.00000
69	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
71	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	!
72	C1	C1	C1	C1	C1	C1	C1	—	C1	C1	0.00000
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
74	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	!
75	D5h	D5h	D5h	C5	D5h	D5h	D5h	—	D5h	D5h	1.00000
76	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000
77	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	!
78	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000
79	D3h	D3h	D3h	—	D3h	D3h	D3h	—	D3h	D3h	1.00000
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000

Table S52: Dataset: sutton\_9\_6, part 1.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product
	0.001	0.05	0.001	0.05				0.001	0.05		
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td	0.98731	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.88855	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	1.00000	
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
12	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
13	Ih	-	Ci	Ci	Ih	Ih	Ih	Ih	Ih	0.99522	
14	C6v	C6v	C6v	C6v	C6v	C6v	C6v	C6v	C6v	1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
17	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
18	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
19	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
21	C6v	C6v	C6	C6	C6v	C6v	C6v	C6v	C6v	1.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
23	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
24	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
25	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
26	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
28	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
29	C2	C2	C2	C2	C2	C2	C2	C2	C2	1.00000	
30	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
31	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
32	C3	C3	C3	C3	C3	C3	-	C3	C3	1.00000	
33	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
34	C3	C3	C3	C3	C3	C3	C3	C3	C3	1.00000	
35	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
36	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
37	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
38	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	1.00000	
39	C4v	C4v	C4	C4	C4v	C4v	-	C4v	C4v	1.00000	
40	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	D4h	1.00000	
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
43	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
44	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
45	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
46	C3	C3	C3	C3	C3	C3	-	C3	C3	1.00000	
47	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
48	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
49	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	1.00000	
50	D3h	D3h	D3h	D3h	D3h	D3h	D3h	-	D3h	1.00000	
51	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
52	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
53	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	1.00000	
54	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
55	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
56	D2h	D2h	D2h	D2h	D2h	D2h	D2h	-	D2h	1.00000	
57	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
58	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
59	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
60	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
61	C3v	C3v	C3v	C3v	C3v	C3v	C3v	-	C3v	1.00000	
62	Cs	Cs	Cs	Cs	Cs	Cs	-	Cs	Cs	1.00000	
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
64	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
65	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
67	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
68	C3v	C3v	-	-	C3v	C3v	C3v	C3v	C3v	1.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1	0.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
71	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
72	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
73	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
74	C5v	C5v	C5	C5	C5v	-	-	C5v	C5v	1.00000	
75	D5h	D5h	D5h	D5h	D5h	D5h	D5h	-	D5h	1.00000	
76	C2v	C2v	C2v	C2v	C2v	C2v	C2v	-	C2v	1.00000	
77	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	1.00000	
78	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	1.00000	
79	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	0.98778	
80	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	C4v	1.00000	

Table S53: Dataset: sutton\_10\_8, part 1.

name	SYVA		SymMol		'default'	libmsym 'medium'	'loose'	SOFI		diff	dot product	
	0.001	0.05	0.001	0.05				0.001	0.05			
3	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	!	1.00000	
4	Td	Td	Td	Td	Td	Td	Td	Td	Td		0.99681	
5	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h		1.00000	
6	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh		1.00000	
7	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h	D5h		1.00000	
8	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d	D2d		1.00000	
9	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
10	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v		1.00000	
11	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
12	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v	C5v		1.00000	
13	Ih	—	Ci	Ci	Ih	Ih	Ih	Ih	Ih	!	0.94451	
14	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v		1.00000	
15	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
16	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
17	C2	C2	C2	C2	C2	C2	C2	C2	C2		1.00000	
18	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
19	D5h	D5h	C5	C5	D5h	D5h	D5h	D5h	D5h	!	1.00000	
20	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
21	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
22	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
23	D3h	D3h	D3h	D3h	D3h	D3h	D3h	—	D3h	D3h	1.00000	
24	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
25	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v		1.00000	
26	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h		1.00000	
27	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
28	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v		1.00000	
29	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
30	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
31	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
32	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
33	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
34	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
35	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
36	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
37	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v		1.00000	
38	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh	Oh		1.00000	
39	C4v	C4v	C4	C4	C4v	C4v	C4v	—	C4v	C4v	!	1.00000
40	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
41	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
42	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
43	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
44	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
45	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
46	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
47	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
48	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
49	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v		1.00000	
50	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h	D3h		1.00000	
51	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
52	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v		1.00000	
53	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
54	C5v	C5v	C5	C5	C5v	C5v	C5v	—	C5v	C5v	!	1.00000
55	Ih	Ih	Ci	Ci	Ih	Ih	Ih	Ih	Ih	!	0.97111	
56	C3v	C3v	—	—	C3v	—	—	C3v	C3v		1.00000	
57	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
58	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v	C3v		1.00000	
59	Td	Td	Td	Td	Td	Td	Td	Td	Td		0.96339	
60	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
61	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
62	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
63	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
64	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
65	C2v	C2v	C2v	C2v	C2v	C2v	C2v	—	C2v	C2v	1.00000	
66	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
67	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
68	C3v	C3v	—	—	C3v	C3v	C3v	C3v	C3v		1.00000	
69	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
70	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs	Cs		1.00000	
71	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
72	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
73	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v		1.00000	
74	C5v	C5v	C5	C5	C5v	—	—	C5v	C5v	!	1.00000	
75	D5h	D5h	D5h	C5	D5h	D5h	D5h	—	D5h	D5h	!	1.00000
76	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	
77	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	C2v	!	1.00000	
78	C1	C1	C1	C1	C1	C1	C1	C1	C1		0.00000	
79	D3h	D3h	D3h	—	D3h	D3h	D3h	D3h	D3h		1.00000	
80	Cs	Cs	Cs	Cs	Cs	Cs	Cs	—	Cs	Cs	1.00000	

Table S54: Dataset: sutton\_12\_6, part 1.

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